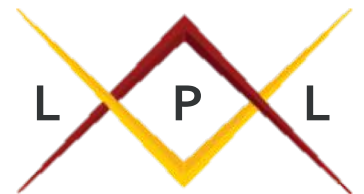
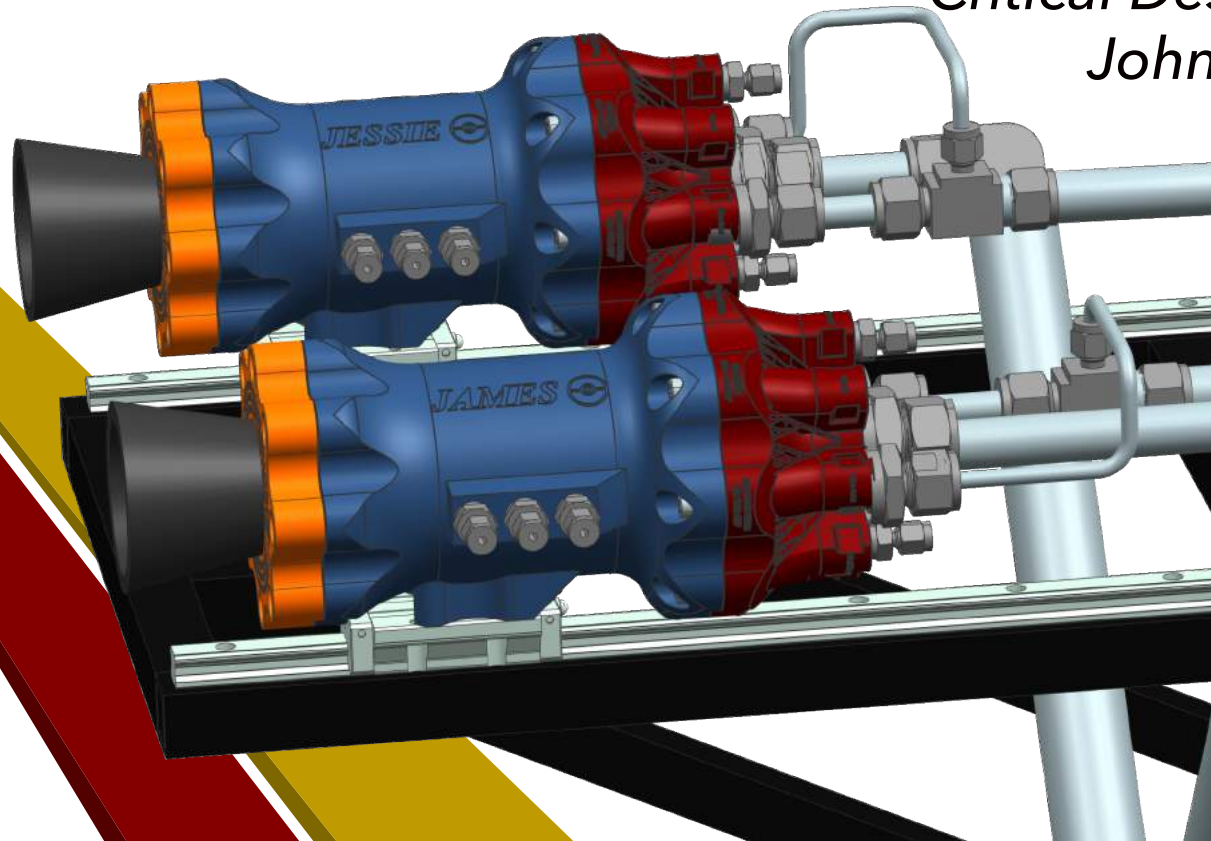


Jessie & James

Critical Design Review - March 30, 2018

John Targonski & Michael Moruzzi



Agenda

Introduction & Motivation

- Discoveries
- Design Considerations
- Trade Studies
- Operating Conditions

J&J Design & Analysis

- Engine Design Tool (GUI)
- Engine , Injector Sizing, & Nozzle Sizing
- Overall Engine Design
- Thermal Control
- Engine Interfaces
- Modular Features

- Fasteners & Sealing

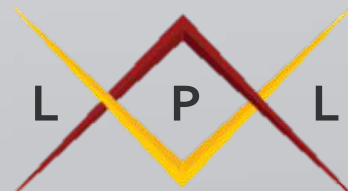
J&J Build & Test

- Print Design
- Post Machining
- Assembly
- Tolerance Stack Ups
- Engine Checkouts

Future Modifications

Supplementary Material

- MEL, Cost, Schedule

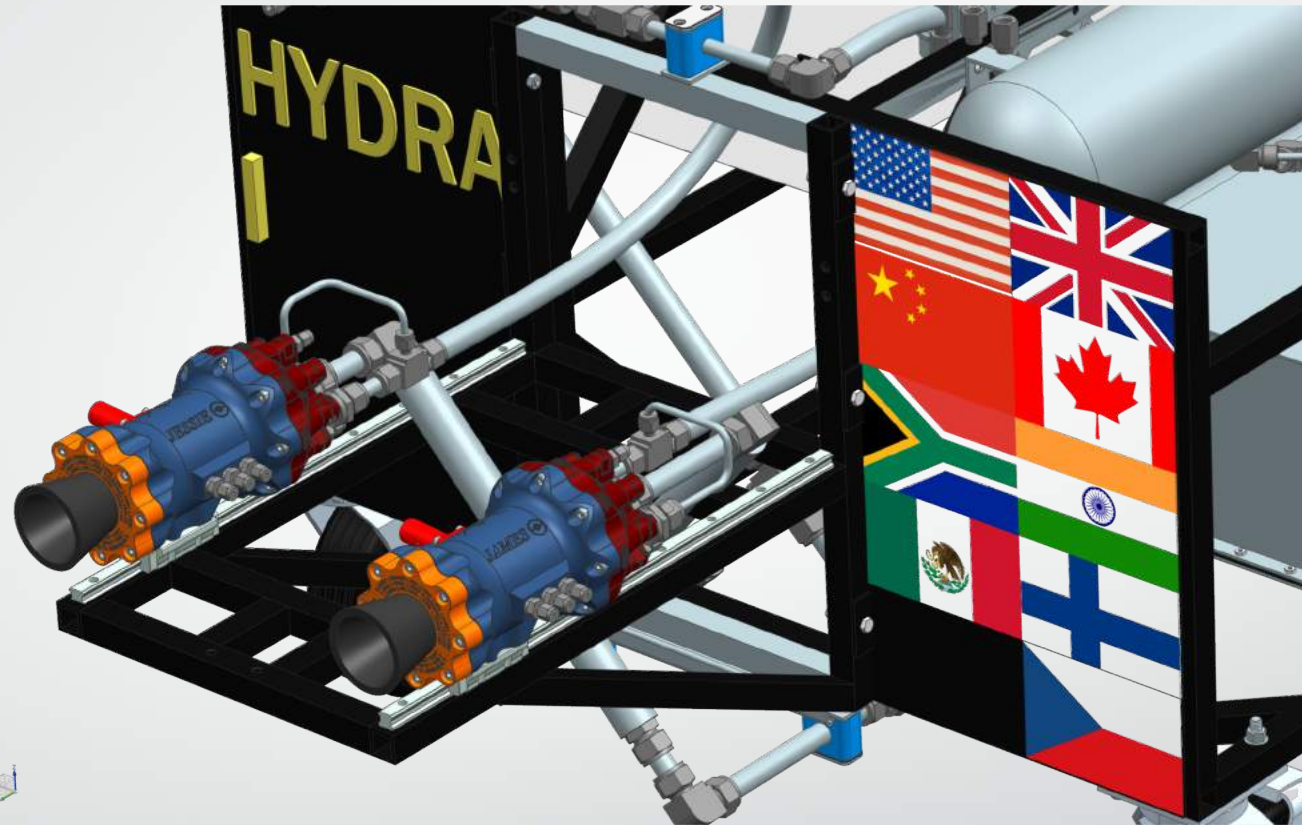




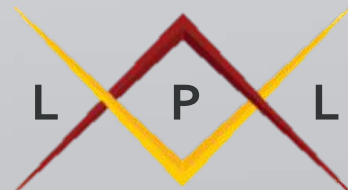
MOTIVATION & INTRODUCITON

Introduction & Motivation

Meet Jessie & James



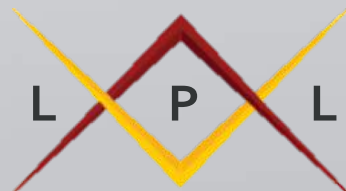
Jessie & James (J&J) – Pair of 3D printed Maraging Steel Kerosene/Gaseous Oxygen Liquid Rocket Engines that feature ablative & film cooling that will be integrated and tested on our mobile thrust stand (Hydra)



Introduction & Motivation

Why Continue Building GOX rocket engines?

- Hydra (our mobile thrust stand) is not cryo-rated and would require significant resources and funding to make the transition.
- Keep Hydra Operational (Hydra doesn't currently have an engine to test)
 - Blue Steel 2.0 (previous engine) was only intended to be fired once
- J&J/Hydra can serve as a morale booster, learning tool for new members & help give experience to our test & operations team
- Enable the LPL the ability to test rocket engines with no dependences on hardware
 - Balerion will require renting a test stand in order to conduct tests

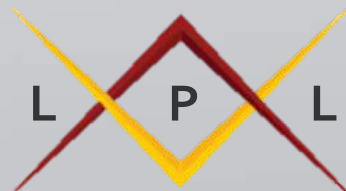


Motivation & Introduction

Discoveries from Inaugural Hydra Static Fire

- The inaugural static fire of (12/02/18) was to test Hydra (mobile test stand) while using the labs originally built rocket engine (Blue Steel)
- Hydra featured a student designed & built kerosene/gaseous oxygen (GOX) feed system and data acquisition/control unit
- Hydra was designed to provide convenient way to perform static fires at FAR in the Mojave desert and future plans are to help accelerate the "learning curve" for new members by performing modifications on this relatively simple system

The J&J rocket engines have been designed to integrate onto Hydra and enable the LPL the ability to perform static fire with 100% LPL designed hardware



Motivation & Introduction

Discoveries from Inaugural Hydra Static Fire

Injector Deterioration

- The injector experienced severe deterioration (Could have been a result of excessive BKNO_3 and/or chamber temperature)
- This limited the lifetime of this injector to 1 static fire
- Injector is not a long term solution as fabrication time took ~3 weeks and total cost of material and labor was ~\$3,5000

New J&J injector would be designed to lower both the cost and lead time



Motivation & Introduction

Discoveries from Inaugural Hydra Static Fire

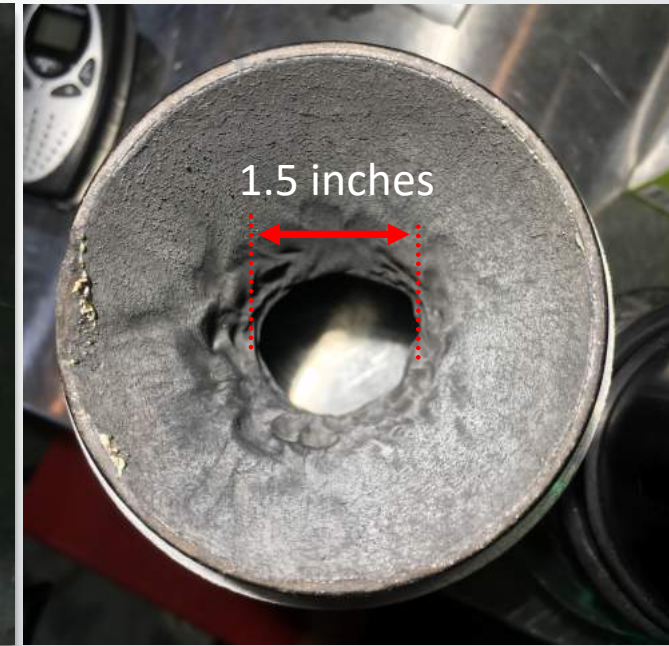
Nozzle Ablation

- The nozzle experienced a significant amount of ablation during the 5 second static fire
- This ablation of the nozzle resulted in a throat area that was 2.1 times larger than the initial throat area
- As the throat area increased, the chamber pressure had to decrease in order to compensate, which in turn lead to a increase in mass flow rate throughout the static fire

J&J would be designed to mitigate this phenomena

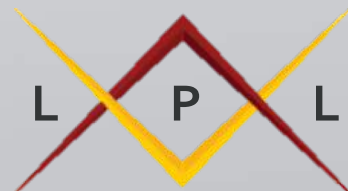


$D_t(\text{before}) = 1 \text{ inch}$



$D_t(\text{after}) = 1.5 \text{ inches}$

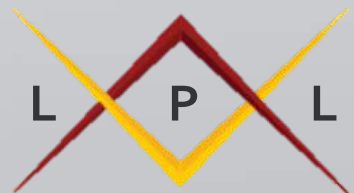
$$\frac{A_t(\text{after})}{A_t(\text{before})} = 2.1$$



Introduction & Motivation

Jessie & James Design Considerations

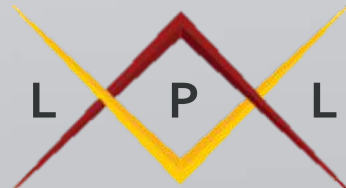
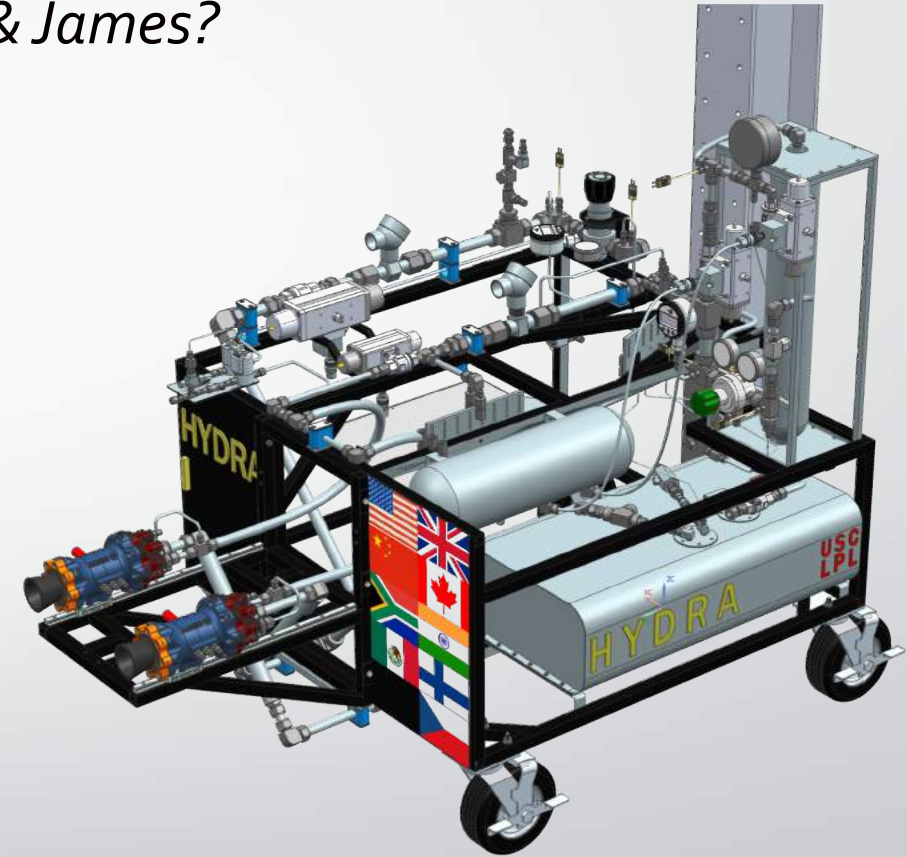
- Designed to be integrated & tested on LPL's mobile test stand Hydra
- Design to be LPL's workhorse engine
 - Ability to be fired at various operating conditions
 - Ability to be fired separately or in tandem
- Simplified design that is 3D printed
 - Minimal parts, fabricated in a relatively short lead time and at a low cost
- Reusable with minimal maintenance and hardware changes
 - One injector design that can be used at various operating conditions
 - Nozzle with minimal ablation



Introduction & Motivation

How to determine a operating condition for Jessie & James?

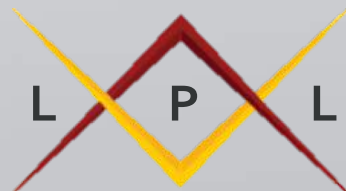
- Attempt to squeeze max performance out of Hydra
 - Design to the max mass flow rate Hydra can deliver while staying in a reliable range
- Push the boundaries for a student run university lab
 - First university to design, print (using USC's new Center of Advanced Manufacturing), assemble, and test an additive manufactured rocket engine in house
 - Operate an engine at the highest chamber pressure ever designed & tested by a university (1,000 psi) (69 bar)
 - Become the first university to perform a dual engine static fire



Introduction & Motivation

Why two Rocket Engines?

- LPL's partnership with the Kyushu Institute of Technology (Kyutech) to design, build, and integrate a propulsion system on their vehicle which will feature 2 flight engines
- Allows the LPL an opportunity to get over any growing pains of firing multiple engines simultaneously before completely building the Kyutech flight propulsion system
- Allows the LPL the ability to conduct dual engine tests in a relatively cheap, safe, and less complex manner
 - No cryogenics
 - Cheap & rapid engine production (in the event of an anomaly)



Motivation & Introduction

Jessie & James Trade Study

Derivation to show how mass flow rate and pressure affect injector sizing for J&J

$$\dot{m} = c_d A \sqrt{2\rho\Delta P}$$

Fuel Line (*Incompressible Fluid*)

$$\dot{m}_f = c_d A_f \sqrt{2\rho_f (P_{inj,f} - P_c)}$$

Where

$c_d = 0.7$ (square edge orifice)

$A_f =$ injector orifice total area

$\rho_f = 810 \text{ kg/m}^3$

$P_{inj,f} =$ Fuel injector pressure

$P_c =$ chamber pressure

Oxygen Line (*Compressible Fluid*)

$$\dot{m}_o = c_d A_{i,o} \sqrt{2\rho_o (P_{inj,o} - P_c)} \quad \rho_o = \frac{P_{inj,o}}{R_o T_o}$$

$$\dot{m}_o = c_d A_{i,o} \sqrt{2 \left(\frac{P_{inj,o}}{R_o T_o} \right) (P_{inj,o} - P_c)}$$

Where

$c_d = 0.7$ (square edge orifice)

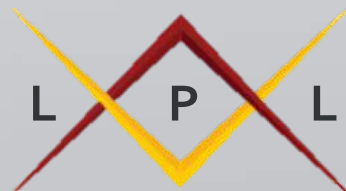
$A_{i,o} =$ oxygen injector orifice total area

$R_o = 259.8$ oxygen gas constant

$P_{inj,f} =$ fuel injector pressure

$T_o =$ oxygen temperature

$P_c =$ chamber pressure



Motivation & Introduction

Jessie & James Trade Study

Derivation to show how mass flow rate and pressure affect injector sizing for J&J

Oxygen Line (*Compressible Fluid*)

$$A_i = \left(\frac{\dot{m}}{c_d}\right) \sqrt{\frac{R_0 T_0}{2 P_{i,0} (P_{i,0} - P_c)}}$$

Where

$P_{i,0}$ = oxygen injection pressure

P_d = % pressure drop

$$P_{i,0} = P_c (1 + P_d)$$

Substitute and after some algebra...

$$A_i = \frac{\dot{m}}{P_c} \left(\frac{1}{P_d^{1.5} c_d}\right) \sqrt{T_0 R_0}$$

∴ Keeping A_i and P_d constant \dot{m} and P_c scale proportionally

Fuel Line (*Incompressible Fluid*)

$$A_i = \left(\frac{\dot{m}}{c_d}\right) \sqrt{\left(\frac{1}{2\rho}\right) \frac{1}{(P_{i,f} - P_c)}}$$

Where

$P_{i,f}$ = fuel injection pressure

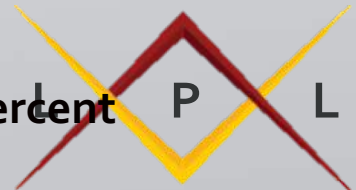
P_d = % pressure drop

$$P_{i,f} = P_c (1 + P_d)$$

Substitute and after some algebra...

$$A_i = \frac{\dot{m}}{P_c^{0.5} P_d^{0.5}} \left(\frac{1}{c_d}\right) \sqrt{\left(\frac{1}{2\rho}\right)}$$

∴ Keeping A_i , double \dot{m} and P_c , and the percent P_d will double



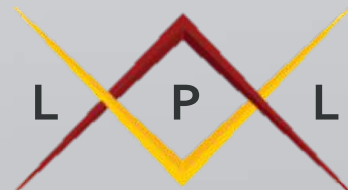
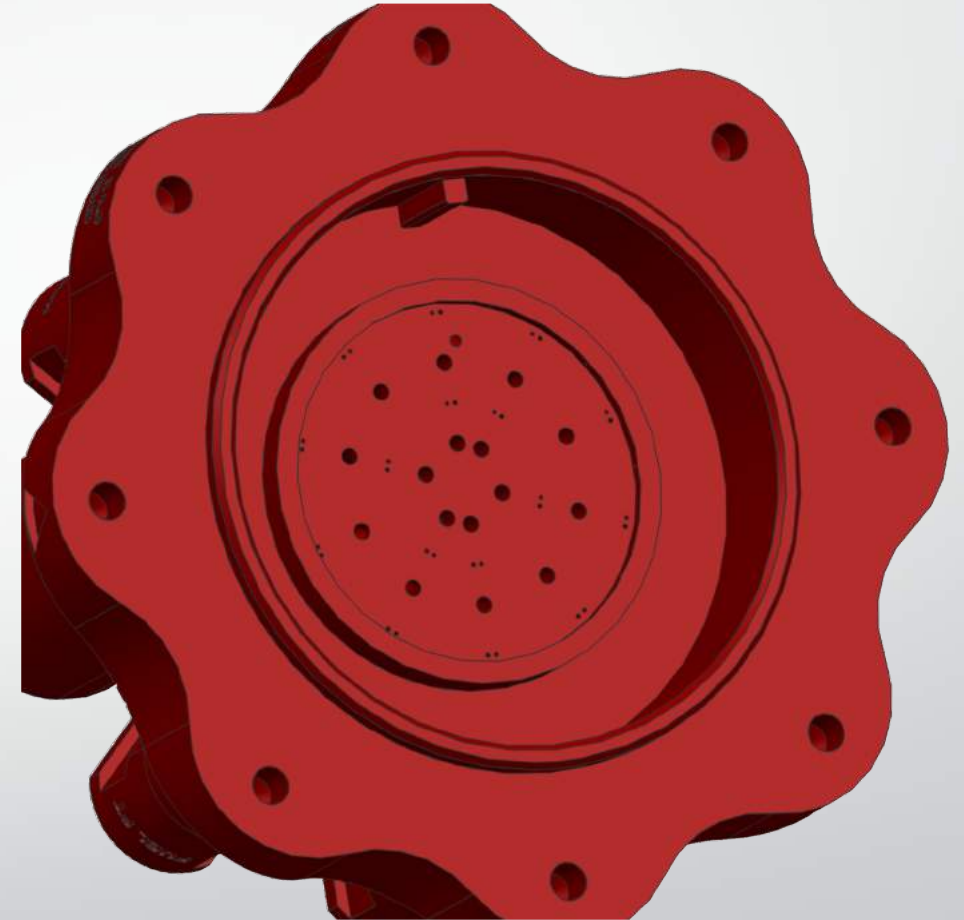
Motivation & Introduction

Jessie & James Trade Study

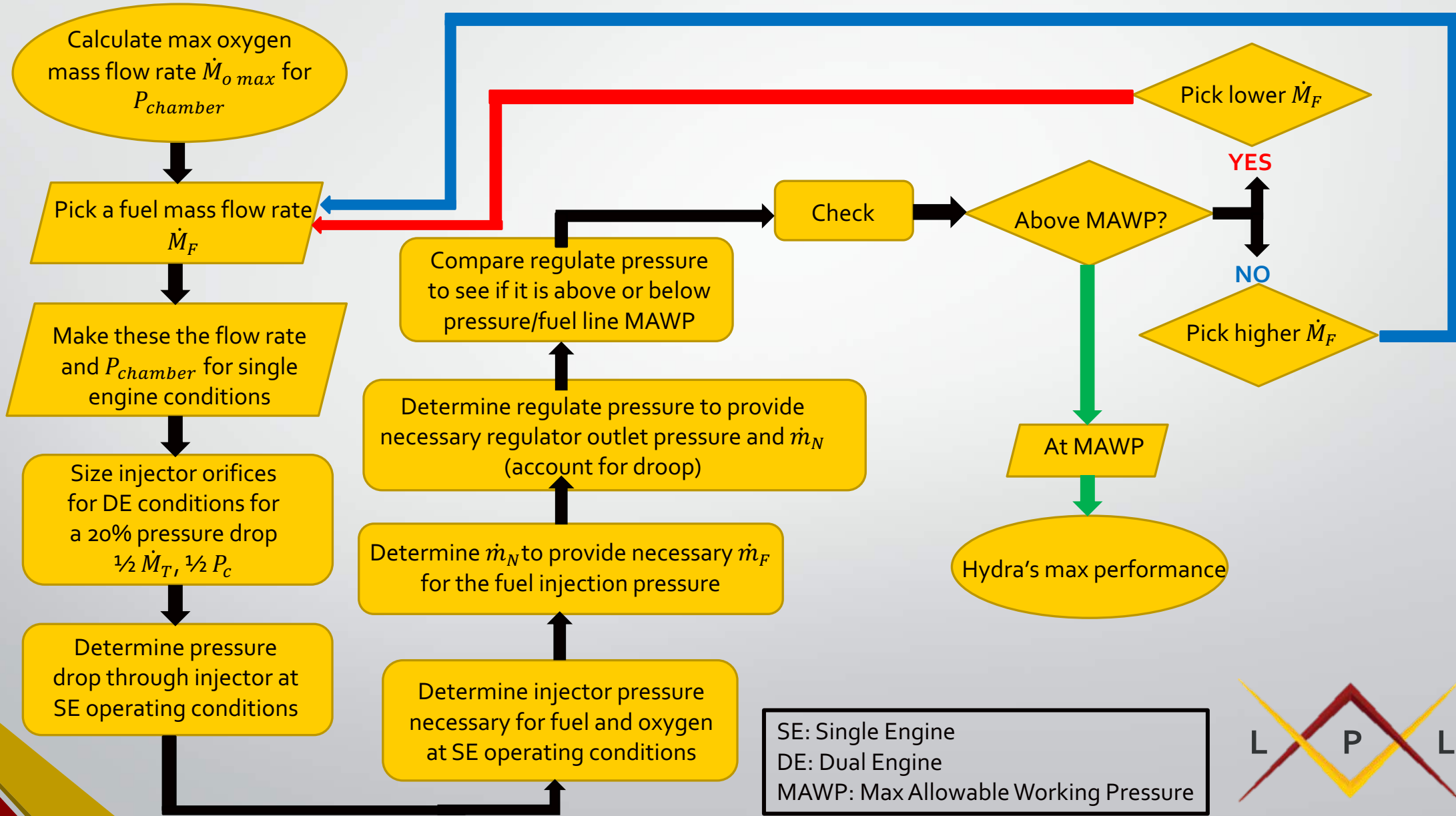
Injector Design:

Engine Injectors initial sized for a **20% pressure drop** for the **fuel** & a **20% pressure drop** for **oxygen** orifices and at **50%** of Hydra max mass flow rate (Dual Engine Conditions)

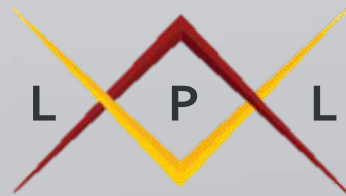
Using the same injector for at **100%** of Hydra's max mass flow rate will result in a **20% pressure drop** through the **oxygen** side of the injector and a **40%** pressure drop through the **fuel** side. (Single Engine Conditions)



Maximizing Hydra's Performance



SE: Single Engine
DE: Dual Engine
MAWP: Max Allowable Working Pressure



Motivation & Introduction

SCFM to Mass Flow Rate

SCFM (Standard Cubic Feet per Minute)

$$CFM = SCFM \times \frac{P_{atm}}{P} \times \frac{T}{T_{atm}}$$

$$\dot{m} = (CFM)\rho$$

$$\rho = \frac{P}{TR} \text{ (gas)}$$

where: CFM (cubic feet per minute)

Fluid Correction Factor

$$F_G = \sqrt{\frac{SG_{ref}}{SG_{act}}}$$

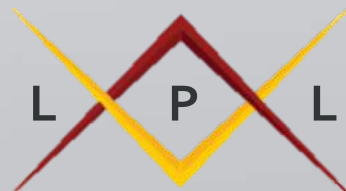
where: SG = *specific gravity*

SG_{act} is the specific gravity of your system fluid.

$$SG_{\text{oxygen}} = 1.1044$$

$$SG_{\text{Nitrogen(pure)}} = 0.9669$$

$$SG_{\text{air}} = 1.0$$



Motivation & Introduction

Single Engine Oxygen Mass Flow Rate to SCFM

$$SCFM = \dot{m} \frac{P}{P_{atm}} \frac{T_{atm}}{T} \frac{RT}{P}$$

$$SCFM = \dot{m} \frac{T_{atm} R}{P_{atm}}$$

Notice: Cylinder
Pressures &
Temperatures Cancel
Out

Note: Don't forget about units!

(SCFM is in English units)

Note: For a better estimate take into account atmospheric temperature for the time of year

(desert has hot summers and cold winters)

For $T_{atm} = 40 \text{ F (277 K)} \rightarrow 1190 \text{ SCFM}_{Air}$

$T_{atm} = 100 \text{ F (311 K)} \rightarrow 1336 \text{ SCFM}_{Air}$

$$\dot{m}_O = 1.65 \text{ lbm/s (0.75 kg/s)}$$

$$\left(\frac{m^3}{s}\right)_{O_2} = (0.75) \frac{kg}{s} (298)K(259.8) \frac{J}{Kg-K} \left(\frac{1}{1.01E5}\right) \frac{1}{Pa} = 0.57 \left(\frac{m^3}{s}\right)$$

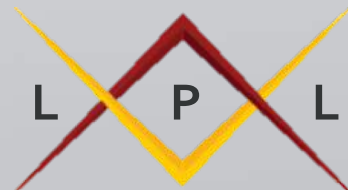
$$SCFM_{O_2} = (0.57) \frac{m^3}{s} \left(\frac{1^3}{0.3048^3}\right) \frac{ft^3}{m^3} \left(\frac{60}{1}\right) \frac{s}{min}$$

$$SCFM_{O_2} = 1214$$

$$SCFM_{Air} = SCFM_{O_2} \sqrt{\frac{SG_{O_2}}{SG_{air}}}$$

$$SCFM_{Air} = 1214 \sqrt{\frac{1.1044}{1}}$$

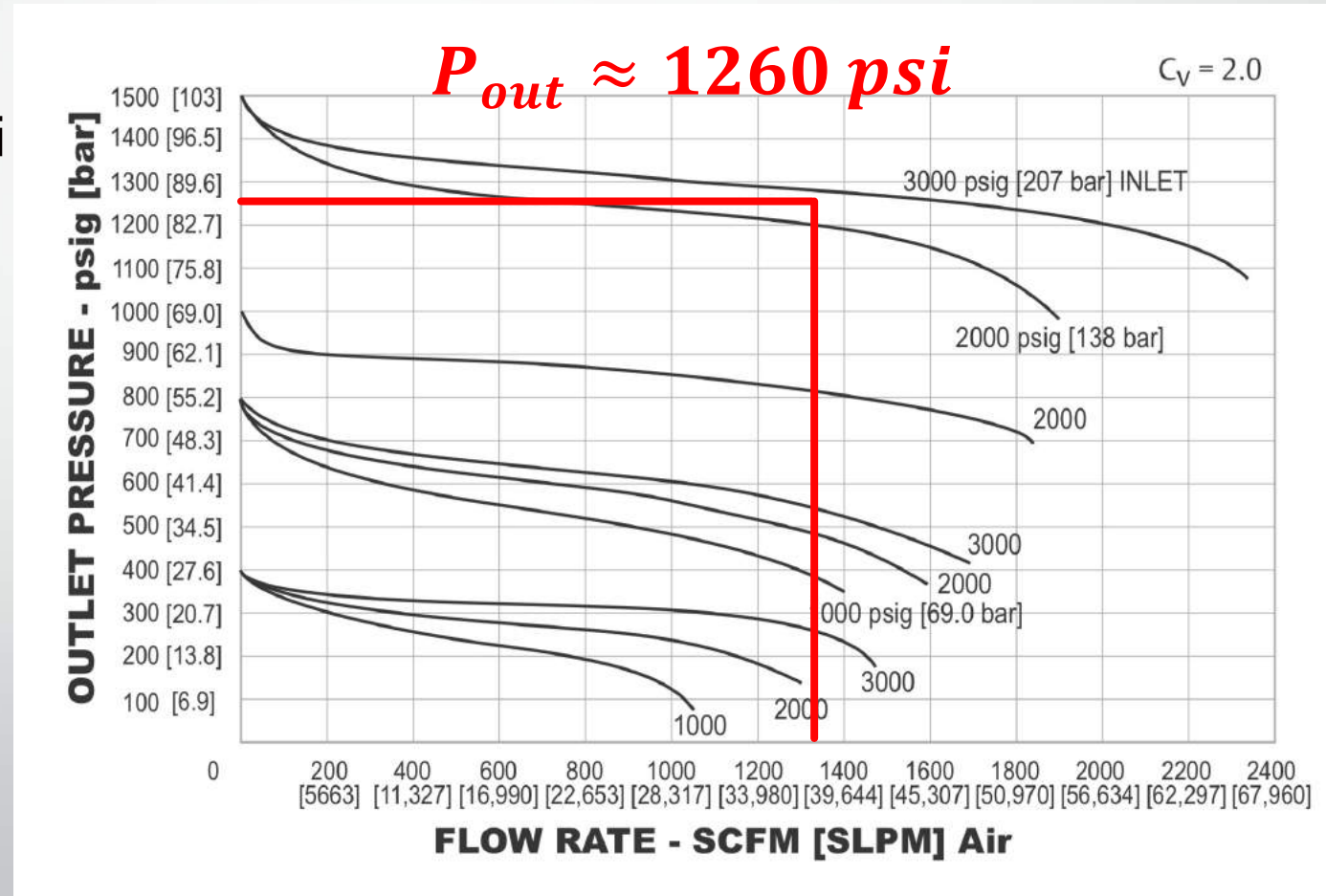
$$SCFM_{Air} = 1276$$



Motivation & Introduction

Single Engine Oxygen Regulator Set Pressure

For a cylinder pressure of 2600 psi and a desired flow rate of 1276 SCFM_{air}, setting the regulator to 1500 psi will result in an outlet pressure of about 1260 psi



Motivation & Introduction

Determining Nitrogen Mass Flow Rate

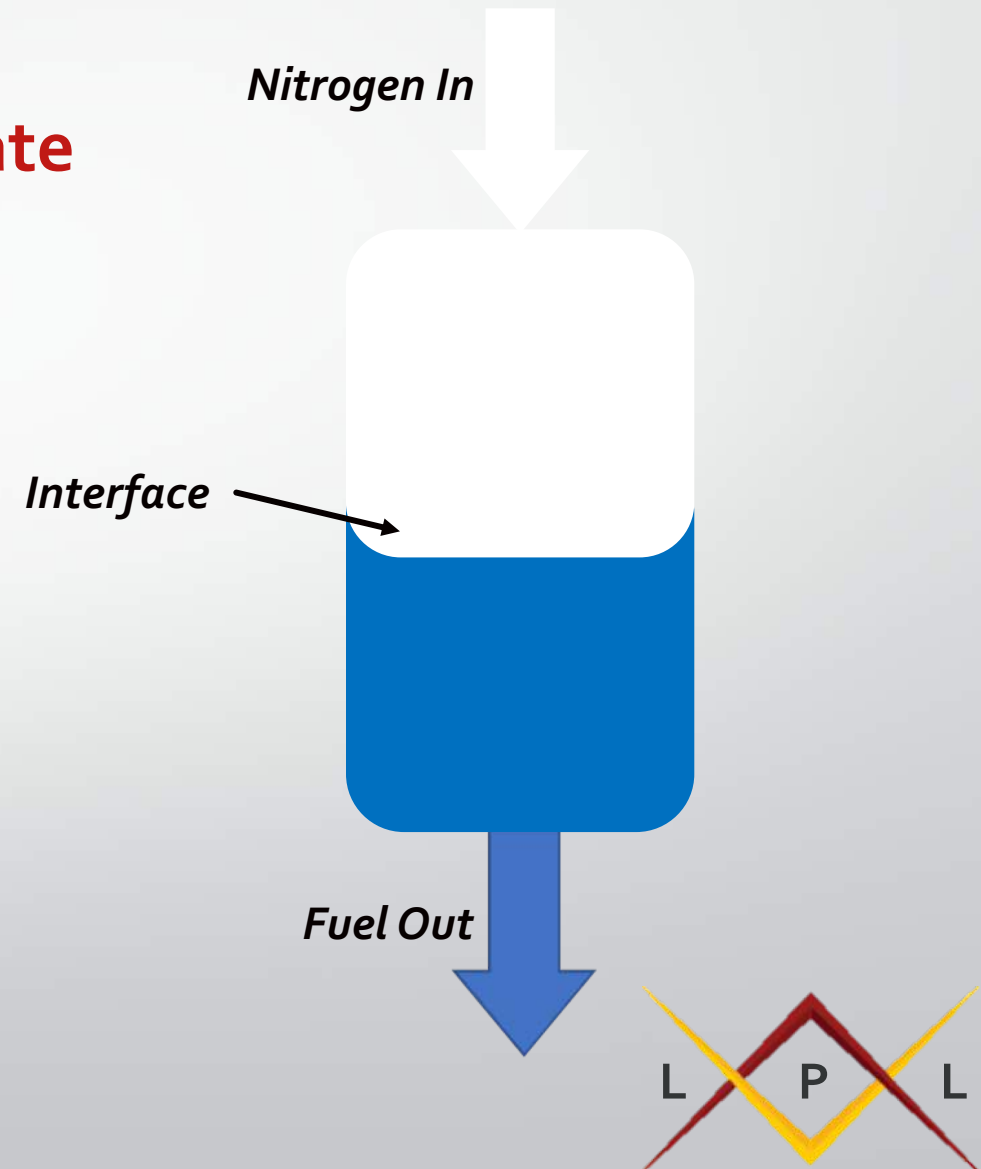
$$\text{Volumetric Flow}_{N,I} = \text{Volumetric Flow}_{F,I}$$

$$\text{Volumetric Flow} = \dot{m} / \rho$$

$$\dot{m}_N / \rho_{N,I} = \dot{m}_F / \rho_{F,I}$$

$$\rho_F = 810 \text{ kg/m}^3 \quad P_{N,I} = \rho_{N,I} R_{N,I} T_{N,I}$$

$$\dot{m}_N = \frac{\dot{m}_F P_{N,I}}{\rho_{F,I} R_{N,I} T_{N,I}}$$



Motivation & Introduction

Single Engine Nitrogen Mass Flow Rate

*Volumetric Flow*_{N,I} = *Volumetric Flow*_{F,I}

Volumetric Flow = \dot{m}/ρ

$$\dot{m}_N/\rho_{N,I} = \dot{m}_F/\rho_{F,I}$$

$$\rho_{F,I} = 810 \text{ kg/m}^3 \quad P_{N,I} = \rho_{N,I} R_{N,I} T_{N,I}$$

$$\dot{m}_N = \frac{\dot{m}_F P_{N,I}}{\rho_{F,I} R_{N,I} T_{N,I}}$$

NOTE: Temperature at nitrogen interface $T_{N,I}$ will change the require \dot{m}_N and needs to be taken into account . Also $\rho_{F,I}$ may vary slightly

$$\text{For } T_{N,I} = 40 \text{ F (277 K)} \rightarrow \dot{m}_N = 0.06 \frac{\text{kg}}{\text{s}}$$

$$\text{For } T_{N,I} = 100 \text{ F (311 K)} \rightarrow \dot{m}_N = 0.053 \frac{\text{kg}}{\text{s}}$$

$$\dot{m}_F = 0.88 \text{ lbm/s (0.4 } \frac{\text{kg}}{\text{s}})$$

$$\rho_{F,I} = 810 \text{ kg/m}^3$$

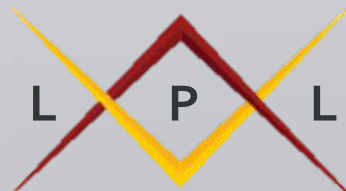
$$P_{N,I} = 1450 \text{ psi (10 Mpa)}$$

$$T_{N,I} = 75^\circ\text{F (297 K)}$$

$$R_{N,I} = (296.8 \frac{\text{J}}{\text{Kg-K}})$$

$$\dot{m}_N = \frac{0.4(10E6)}{(810)(296.8)(297)}$$

$$\dot{m}_N = 0.123 \text{ lbm/s (0.056 } \frac{\text{kg}}{\text{s}})$$



Motivation & Introduction

Single Engine Nitrogen Mass Flow Rate to SCFM

$$SCFM = \dot{m} \frac{P}{P_{atm}} \frac{T_{atm}}{T} \frac{RT}{P}$$

$$SCFM = \dot{m} \frac{T_{atm} R}{P_{atm}}$$

where $T_{atm} = 298 \text{ K}$ $P_{atm} = 1.01 \text{ E5 Pa}$

Note: Don't forget about units!

(SCFM is in English units)

$$\dot{m}_N = 0.123 \text{ lbm/s (0.056 kg/s)}$$

$$0.049 \left(\frac{\text{m}^3}{\text{s}} \right) = (0.056) \frac{\text{kg}}{\text{s}} (298) \text{K} (296.8) \frac{\text{J}}{\text{kg-K}} \left(\frac{1}{1.01 \text{E5}} \right) \frac{1}{\text{Pa}}$$

$$SCFM_{N_2} = (0.049) \frac{\text{m}^3}{\text{s}} \left(\frac{1^3}{0.3048^3} \right) \frac{\text{ft}^3}{\text{m}^3} \left(\frac{60}{1} \right) \frac{\text{s}}{\text{min}}$$

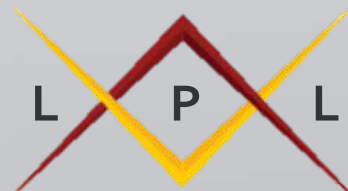
$$SCFM_{N_2} = 104$$

Note: Variations in T for the Nitrogen DOES effect the overall SCFM because it changes the required \dot{m}_N .

(desert has hot summers and cold winters)

For $T_{atm} = 40 \text{ F (277 K)} \rightarrow \dot{m}_N = 0.06 \frac{\text{kg}}{\text{s}} \rightarrow 111 SCFM_{N_2}$

$T_{atm} = 100 \text{ F (311 K)} \rightarrow \dot{m}_N = 0.053 \frac{\text{kg}}{\text{s}} \rightarrow 98 SCFM_{N_2}$



Motivation & Introduction

Single Engine Nitrogen Regulator Set Pressure

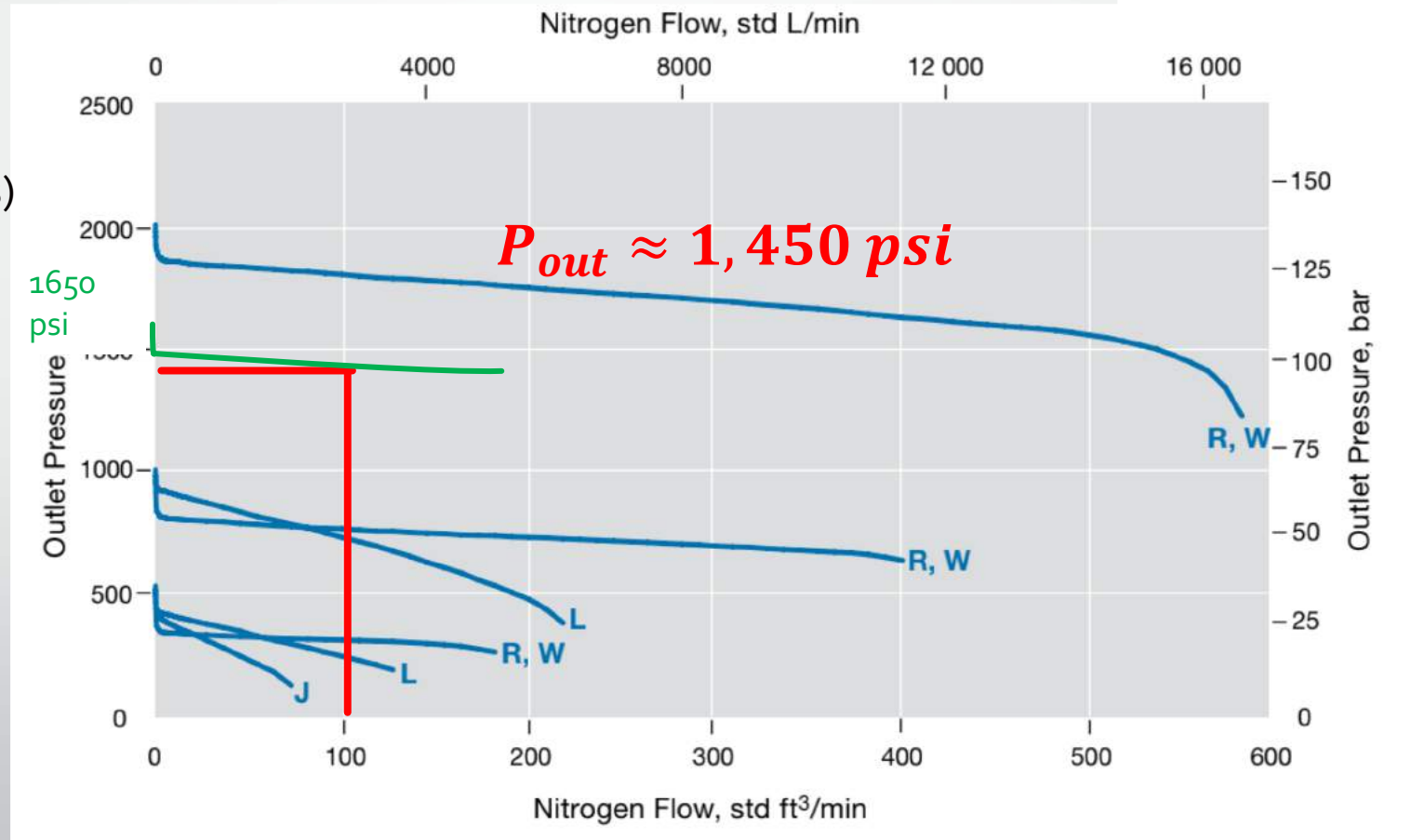
Inlet Pressure

- J** 500 psig (34.4 bar)
- L** 1000 psig (68.9 bar)
- R** 3600 psig (248 bar)
- W** 6000 psig (413 bar)

Desired Regulator Outlet Pressure – 1450 psi (40% pressure drop over injector and 50 psi estimated line loss)

Setting the regulator to 2,000 psi would result in a pressure drop of about 200 psi at 104 SCFM

Therefore, if we want an outlet pressure of 1,450 psi we should set the regulator to 1,650 psi.

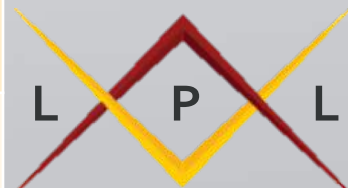


Motivation & Introduction

Jessie & James Operating Condition Summary

Single Engine Operating Conditions

$\dot{M}_{TOT} = 1.15 \text{ kg}$	$OF = 1.875$
Fuel	OX
Injector % $P_d = 40 \%$	Injector % $P_d = 20 \%$
Cylinder Pressure = 2600 psi	Cylinder Pressure = 2600 psi
$P_{regulate} = 1650 \text{ psi}$	$P_{regulate} = 1500 \text{ psi}$
$P_{supply} = 1450 \text{ psi}$	$P_{supply} = 1260 \text{ psi}$
$P_{injector} = 1400 \text{ psi}$	$P_{injector} = 1200 \text{ psi}$
$P_{chamber} = 1000 \text{ psi}$	$P_{chamber} = 1000 \text{ psi}$



Motivation & Introduction

Dual Engine Oxygen Mass Flow Rate to SCFM

$$SCFM = \dot{m} \frac{P}{P_{atm}} \frac{T_{atm}}{T} \frac{RT}{P}$$

$$SCFM = \dot{m} \frac{T_{atm} R}{P_{atm}}$$

Note: Don't forget about units!

(SCFM is in English units)

Note: Same Oxygen Mass Flow & SCFM rate as Single Engine Fire

$$\dot{m}_O = 1.65 \text{ lbm/s} (0.75 \text{ kg/s})$$

$$0.57 \left(\frac{\text{m}^3}{\text{s}}\right) = (0.75) \frac{\text{kg}}{\text{s}} (298) \text{K} (259.8) \frac{\text{J}}{\text{Kg-K}} \left(\frac{1}{1.01E5}\right) \frac{1}{\text{Pa}}$$

$$SCFM_{O_2} = (0.57) \frac{\text{m}^3}{\text{s}} \left(\frac{1^3}{0.3048^3}\right) \frac{\text{ft}^3}{\text{m}^3} \left(\frac{60}{1}\right) \frac{\text{s}}{\text{min}}$$

$$SCFM_{O_2} = 1214$$

$$SCFM_{Air} = SCFM_{O_2} \sqrt{\frac{SG_{O_2}}{SG_{air}}}$$

$$SCFM_{Air} = 1214 \sqrt{\frac{1.1044}{1}}$$

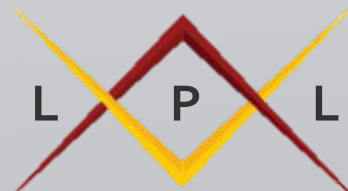
$$SCFM_{Air} = 1276$$

Note: For a better estimate take into account atmospheric temperature for the time of year

(desert has hot summers and cold winters)

For $T_{atm} = 40 \text{ F} (277 \text{ K}) \rightarrow 1190 \text{ SCFM}_{Air}$

$T_{atm} = 100 \text{ F} (311 \text{ K}) \rightarrow 1336 \text{ SCFM}_{Air}$



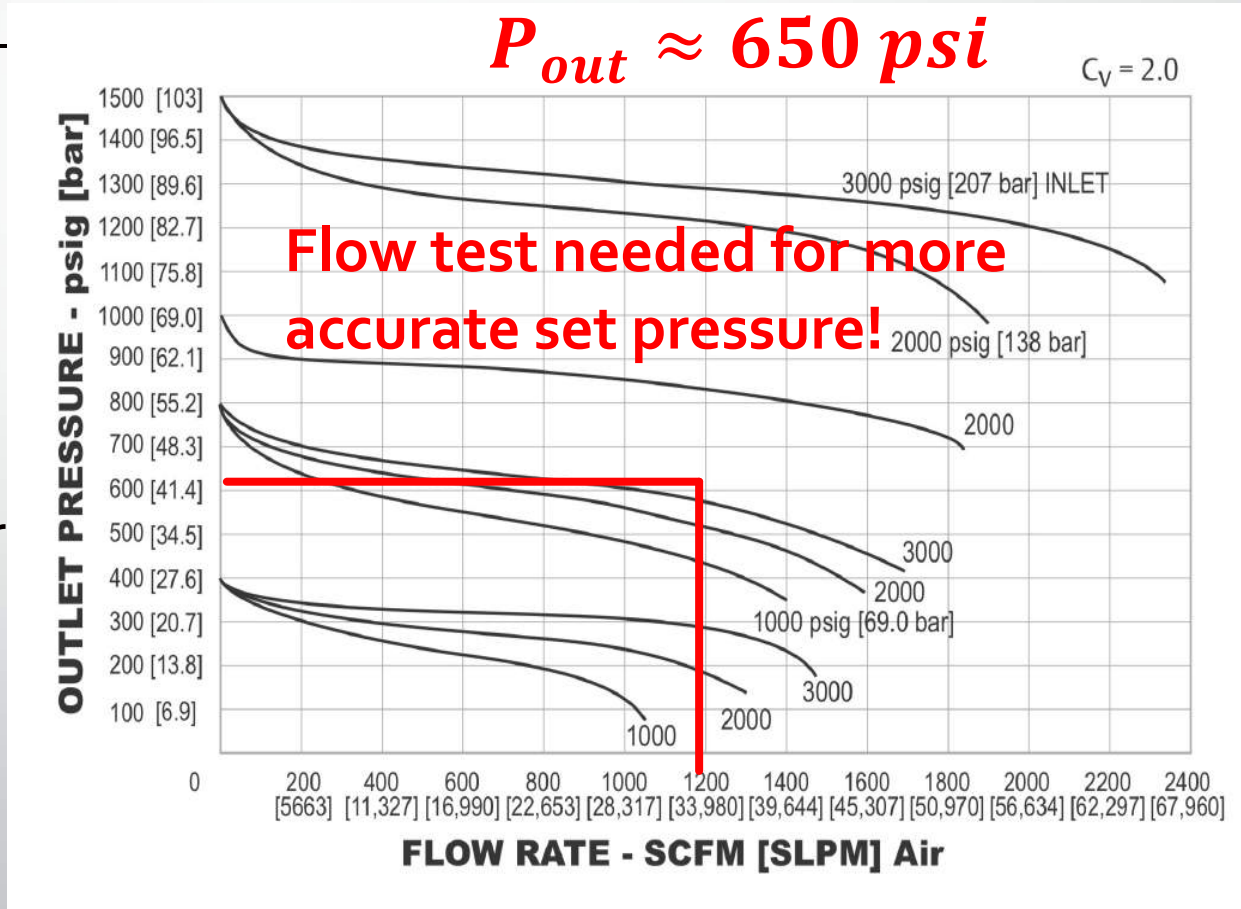
Motivation & Introduction

Dual Engine Oxygen Regulator Set Pressure

Desired Regulator Outlet Pressure – 650 psi (20% pressure drop over injector and 50 psi estimated line loss)

For a cylinder pressure of 2600 psi and a desired flow rate of 1276 SCFM_{air}, ~ 300 psi drop for regulator set to 800 psi and about 200 psi for regulator set at 1000 psi.

Therefore setting regulator to 900 psi may result in desired outlet pressure



Motivation & Introduction

Dual Engine Nitrogen Mass Flow Rate

$$\text{Volumetric Flow}_{N,I} = \text{Volumetric Flow}_{F,I}$$

$$\text{Volumetric Flow} = \dot{m} / \rho$$

$$\dot{m}_N / \rho_{N,I} = \dot{m}_F / \rho_{F,I}$$

$$\rho_F = 810 \text{ kg/m}^3 \quad P_{N,I} = \rho_{N,I} R_{N,I} T_{N,I}$$

$$\dot{m}_N = \frac{\dot{m}_F P_{N,I}}{\rho_{F,I} R_{N,I} T_{N,I}}$$

NOTE: Temperature at nitrogen interface $T_{N,I}$ will change the require \dot{m}_N and needs to be taken into account . Also $\rho_{F,I}$ may vary slightly

$$\text{For } T_{N,I} = 40 \text{ F (277 K)} \rightarrow \dot{m}_N = 0.027 \frac{\text{kg}}{\text{s}}$$

$$\text{For } T_{N,I} = 100 \text{ F (311 K)} \rightarrow \dot{m}_N = 0.024 \frac{\text{kg}}{\text{s}}$$

$$\dot{m}_F = 0.88 \text{ lbm/s (0.4 } \frac{\text{kg}}{\text{s}})$$

$$\rho_F = 810 \text{ kg/m}^3$$

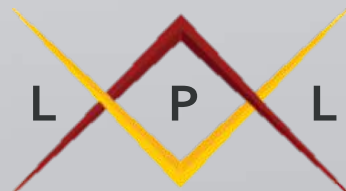
$$P_{N,I} = 650 \text{ psi (4.48 Mpa)}$$

$$T_{N,I} = 75^\circ\text{F (297 K)}$$

$$R_{N,I} = (296.8 \frac{\text{J}}{\text{kg-K}})$$

$$\dot{m}_N = \frac{(0.4)(4.48E6)}{(810)(296.8)(297)}$$

$$\dot{m}_N = 0.551 \text{ lbm/s (0.025 } \frac{\text{kg}}{\text{s}})$$



Motivation & Introduction

Dual Engine Nitrogen Mass Flow Rate to SCFM

$$SCFM = \dot{m} \frac{P}{P_{atm}} \frac{T_{atm}}{T} \frac{RT}{P}$$

$$SCFM = \dot{m} \frac{T_{atm} R}{P_{atm}}$$

$$\dot{m}_N = 0.551 \text{ lbm/s} (0.025 \text{ kg/s})$$

$$0.0218 \left(\frac{\text{m}^3}{\text{s}} \right) = (0.025) \frac{\text{kg}}{\text{s}} (298) \text{K} (296.8) \frac{\text{J}}{\text{Kg-K}} \left(\frac{1}{1.01E5} \right) \frac{1}{\text{Pa}}$$

$$SCFM_{N_2} = (0.0218) \frac{\text{m}^3}{\text{s}} \left(\frac{1^3}{0.3048^3} \right) \frac{\text{ft}^3}{\text{m}^3} \left(\frac{60}{1} \right) \frac{\text{s}}{\text{min}}$$

Note: Don't forget about units!

(SCFM is in English units)

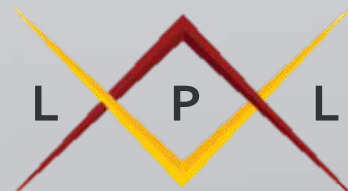
$$SCFM_{N_2} = 46$$

Note: Variations in T for the Nitrogen DOES effect the overall SCFM because it changes the required \dot{m}_N .

(desert has hot summers and cold winters)

For $T_{atm} = 40 \text{ F} (277 \text{ K}) \rightarrow \dot{m}_N = 0.027 \frac{\text{kg}}{\text{s}} \rightarrow 50 SCFM_{N_2}$

$T_{atm} = 100 \text{ F} (311 \text{ K}) \rightarrow \dot{m}_N = 0.024 \frac{\text{kg}}{\text{s}} \rightarrow 45 SCFM_{N_2}$



Motivation & Introduction

Dual Engine Nitrogen Regulator Set Pressure

Inlet Pressure

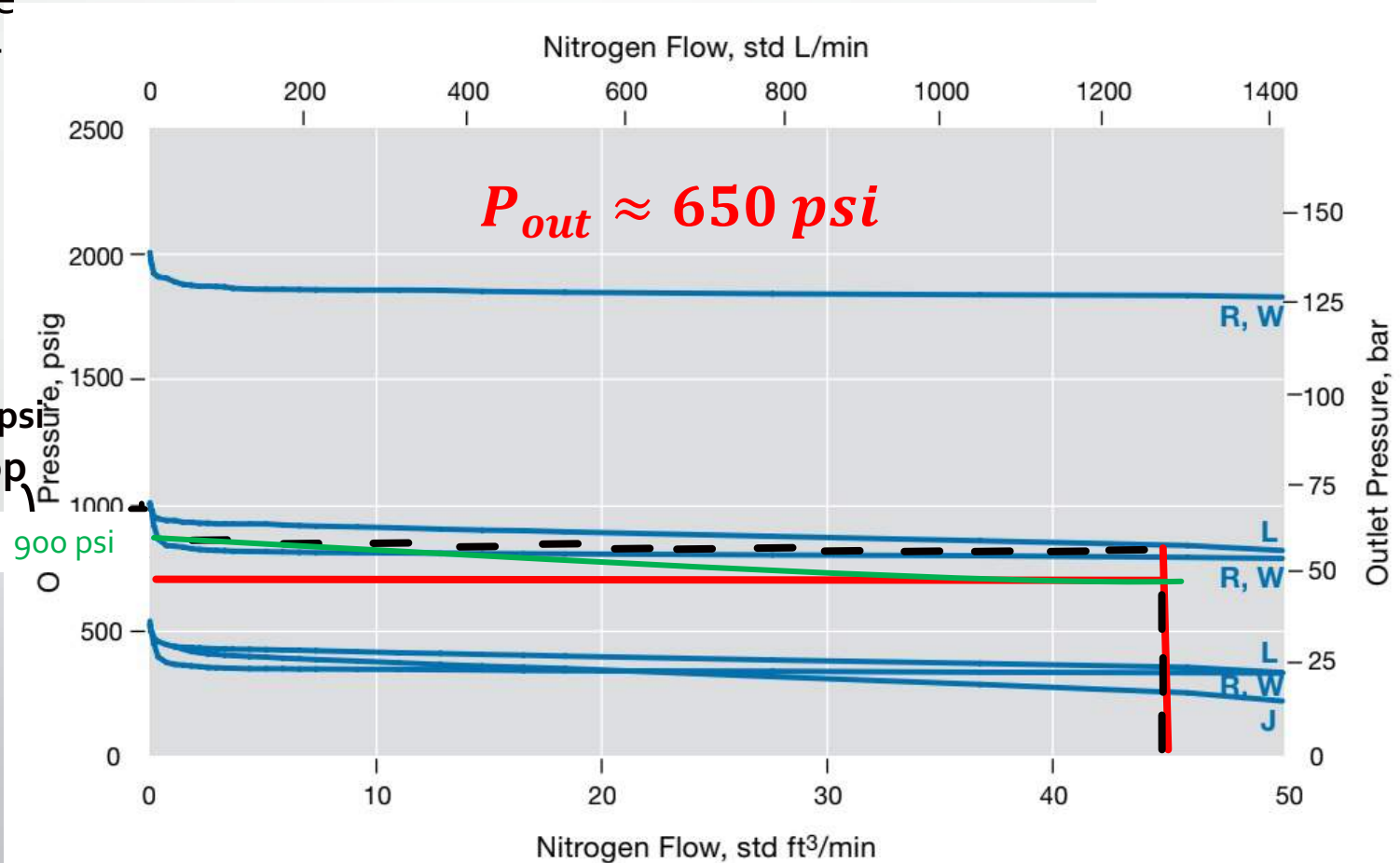
- J 500 psig (34.4 bar)
- L 1000 psig (68.9 bar)
- R 3600 psig (248 bar)
- W 6000 psig (413 bar)

Desired Regulator Outlet Pressure
– 650 psi (20% pressure drop over injector and 50 psi estimated line loss)

Setting the regulator to 1,000 psi would result in a pressure drop of about 200 psi at 46 SCFM

Therefore, if we want an outlet pressure of 650 psi we should set the regulator to around 900 psi.

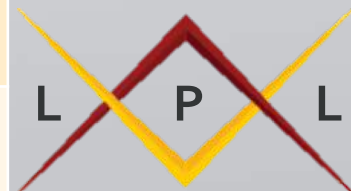
200 psi drop



Motivation & Introduction

Jessie & James Operating Condition Summary

Dual Engine Operating Conditions	
$\dot{M}_{TOT} = 0.575 \text{ kg}$	$OF = 1.875$
Fuel	OX
Injector % $P_d = 20 \%$	Injector % $P_d = 20 \%$
Cylinder Pressure = 2600 psi	Cylinder Pressure = 2600 psi
$P_{regulate} = 900 \text{ psi}$	$P_{regulate} = 900 \text{ psi}$
$P_{supply} = 650 \text{ psi}$	$P_{supply} = 650 \text{ psi}$
$P_{injector} = 600 \text{ psi}$	$P_{injector} = 600 \text{ psi}$
$P_{chamber} = 500 \text{ psi}$	$P_{chamber} = 500 \text{ psi}$





J&J DESIGN & Analysis



J&J DESIGN & Analysis ***GUI Tool***

Jessie & James Engine Design & Analysis Tool

Engine Sizing

Total Mass Flow Rate: 1.15 Kg/s

OF Ratio: 1.875

Chamber Pressure: 1000.0 Psia

Exit Pressure: 101320 Pa

L*: 1.27 meter(s)

Chamber Temperature: 3265.5 Kelvin

Mbar: 20.05 Gamma: 1.187

CALC Thermodynamic Properties (NASA CEA)

CALC Engine Sizing

English Units

Mdot_Total = 2.5 [lbm/s]
 OF Ratio = 1.88
 mdot_o = 1.65 [lbm/s]
 Mdot_f = 0.88 [lbm/s]
 A* = 0.466 [inch^2]
 D* = 0.770 [inch]
 Me = 3.178
 Area Ratio = 9.1044
 Ae = 4.240 [inch^2]
 De = 2.323 [inch]
 Ue = 6464.8 [mph]
 ISP = 294.5 [s]
 Chamber Volume = 23.285 [inch^3]
 Thrust = 747.0 [lbf]

Injector Sizing

Injector Fuel

Injector Fuel Pressure Drop [Decimal]: 20

Cd: 0.7 # of Holes: 32

Film Cooling

% of Mass Flow Tapped Off (enter 0 if none): 15

of Holes: 10

Cd: 0.7

Injector Oxygen

Injector Fuel Pressure Drop [Decimal]: 20

Cd: 0.7 # of Holes: 16

Temperature Injector: 290 Kelvin

Mdot_Total = 2.5 [lbm/s]
 Mdot_Fuel_inj = 0.75 [lbm/s]
 Mdot_OX = 1.65 [lbm/s]
 Mdot_Film = 0.13 [lbm/s]
 Chamber Pressure = 1000.0 [Psi]

Injector Area CALCULATE

English Units

# Holes = 32.0 Mdot Fuel inj = 0.7 [lbm/s] Injection Pressure = 1200.0 [Psi] Total Area = 0.0159 [inch^2] Area/Hole = 0.0005 [inch^2] Hole Radius = 0.0126 [inch] Hole Diameter = 0.0252 [inch] Film Total Area = 0.0028 [inch^2] Film Area/Hole = 0.0003 [inch^2] Film Hole Radius = 0.0095 [inch] Film Hole Diameter = 0.0189 [inch]	# Holes = 16.0 Mdot Ox = 1.7 [lbm/s] Injection Pressure = 1200.0 [Psi] Total Area = 0.0954 [inch^2] Area/Hole = 0.0060 [inch^2] Hole Radius = 0.0436 [inch] Hole Diameter = 0.0871 [inch]
--	---

Fastener Sizing (Nozzle Side)

Screw Size: 1/4-28

Screw Material: 18-8 Stainles...

of Screws: 8 Clearance Hole: Normal Fit

Retention Ring Thickness: 0.75 inch(es)

Thread Length: 5/8"

CALCULATE Fastener

English Units

Bore Depth = 0.4 [inch]
 Bore Diameter = 0.49 [inch]
 Clearance Diameter = 0.3 [inch]
 Hole Depth = 0.3 [inch]
 Preload/Bolt = 74.12 [in-lbf]
 Force/Screw = 2061.72 [lbf]
 FS ult = 1.28
 FS gap = 25.90

Fastener Sizing (Injector Side)

Screw Size: 1/4-28

Screw Material: 18-8 Stainles...

of Screws: 8 Clearance Hole: Normal Fit

Engine Flange Thickness: 0.75 inch(es)

Thread Length: 5/8"

CALCULATE Fastener

English Units

Bore Depth = 0.4 [inch]
 Bore Diameter = 0.49 [inch]
 Clearance Diameter = 11.4 [inch]
 Hole Depth = 0.3 [inch]
 Preload/Bolt = 74.12 [in-lbf]
 Force/Screw = 1977.21 [lbf]
 FS ult = 1.33
 FS gap = 9.02



J&J DESIGN & Analysis

Engine & Injector Sizing

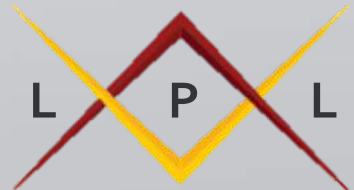


J&J Design & Analysis

Engine & Injector Sizing

Single Engine Design Point

Design Point J&J	Thermochemistry
$\dot{M}_{TOT} = 1.15 \text{ kg/s}$	From NASA CEA
OF ratio= 1.875	Chemistry: Kerosene/Gaseous Oxygen (GOX)
$P_c = 6.895 \text{ MPa}, (1000 \text{ psi}, 69 \text{ bars})$	$T_c = 3266 \text{ K}, (5418 \text{ °F})$
$P_e = 101352.9 \text{ Pa} (14.7 \text{ psi}, 1.01325 \text{ bars})$	$\bar{M} = 20.05 \text{ kg/kmol}$
$L^* = 1.27 \text{ m}, (50 \text{ inches})$	$\gamma = 1.187$



J&J Design & Analysis

Engine & Injector Sizing

Single Engine

Propellant Mass Flow Rates

$$\frac{\dot{m}_o}{\dot{m}_F} = 1.875$$

$$\dot{m}_o + \dot{m}_F = 1.15 \text{ kg/s}$$

$$\dot{m}_F = 1.15 - \dot{m}_o \frac{\dot{m}_o}{1.15 - \dot{m}_o} 1.875$$

$$\dot{m}_o = 1.875(1.15 - \dot{m}_o)$$

$$\dot{m}_F = 0.4 \text{ kg/s}$$

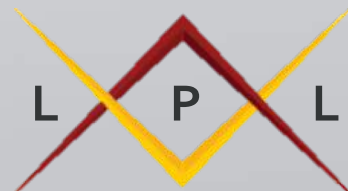
$$\dot{m}_o = 0.75 \text{ kg/s}$$

Throat Area

$$A^* = \frac{\dot{M}_{TOT}}{P_0} \sqrt{\frac{T_0 R}{\gamma} \left(1 + \frac{\gamma - 1}{2}\right)^{\frac{\gamma + 1}{2(\gamma - 1)}}}$$

$$A^* = \frac{1.15}{6.895 \text{ MPa}} \sqrt{\frac{(3265.5)(414.66)}{1.187} \left(1 + \frac{1.187 - 1}{2}\right)^{\frac{1.187 + 1}{2(1.187 - 1)}}}$$

$$A^* = 300.4 \text{ mm}^2, (0.466 \text{ inch}^2)$$



J&J Design & Analysis

Engine & Injector Sizing

Single Engine

Throat Diameter

$$D^* = 2 \left(\frac{A^*}{\pi} \right)^{0.5}$$

$$D^* = (2) \left(\frac{3E - 4}{\pi} \right)^{0.5}$$

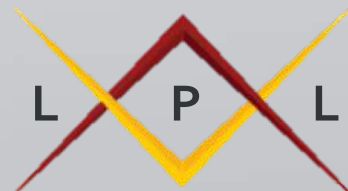
$$D^* = 0.0195 \text{ m (0.770 inch)}$$

Exit Mach Number

$$M_e = \sqrt{\frac{2 \left(\left(\frac{p_e}{p_0} \right)^{-\frac{\gamma-1}{\gamma}} - 1 \right)}{\gamma - 1}}$$

$$M_e = \sqrt{\frac{2 \left(\left(\frac{101352.9}{6.895 \text{ MPa}} \right)^{-\frac{1.187-1}{1.187}} - 1 \right)}{1.187 - 1}}$$

$$M_e = 3.178$$



J&J Design & Analysis

Engine & Injector Sizing

Single Engine

Exit to Throat Area Ratio

$$\frac{A_e}{A^*} = \frac{1}{M} \left[\frac{2}{\gamma + 1} \left(1 + \frac{\gamma - 1}{2} M^2 \right) \right]^{\frac{\gamma + 1}{2(\gamma - 1)}}$$

$$\frac{A_e}{A^*} = \frac{1}{3.178} \left[\frac{2}{1.187 + 1} \left(1 + \frac{1.187 - 1}{2} (3.178)^2 \right) \right]^{\frac{1.187 + 1}{2(1.187 - 1)}}$$

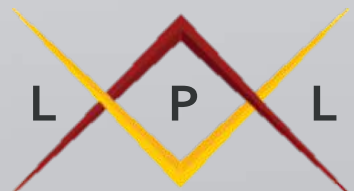
$$\frac{A_e}{A^*} = 9.1041$$

Exit Velocity

$$u_e = \sqrt{2 \frac{\bar{R}\gamma}{\gamma - 1} \frac{T_0}{M} \left[1 - \left(\frac{p_e}{p_0} \right)^{\frac{\gamma - 1}{\gamma}} \right]}$$

$$u_e = \sqrt{2 \frac{(8314)(1.187)}{1.187 - 1} \frac{3265.5}{20.05} \left[1 - \left(\frac{101352.9}{6.895 \text{ MPa}} \right)^{\frac{1.187 - 1}{1.187}} \right]}$$

$$u_e = 2889.31 \text{ m/s}, (6464.8 \text{ mph})$$



J&J Design & Analysis

Engine & Injector Sizing

Single Engine

Specific Impulse

$$I_{sp} = \frac{u_{eq}}{g}$$

$$I_{sp} = \frac{2889.311}{9.8}$$

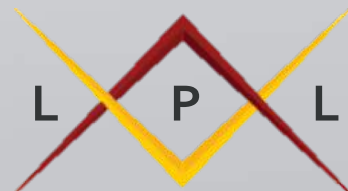
$$I_{sp} = 294.5 \text{ sec}$$

Thrust

$$F_T = \dot{m}u_e + A_e(p_e - p_a)$$

$$F_T = (1.15)(2889.31) + 0.0027(101352.9 - 6.895 * 10^6)$$

$$F_T = 3.32 \text{ kN (747 lbf)}$$



J&J Design & Analysis

Engine & Injector Sizing

Single Engine

Chamber Volume

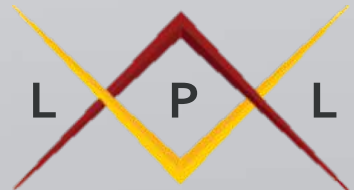
$$V_{ch} = L^* A^*$$

$$V_{ch} = (1.27)(3.004 * 10^{-4})$$

$$V_{ch} = 381.5 \text{ cm}^3, (23.28 \text{ inch}^3)$$

Propellants	Characteristic Length (L^*)	
	Low (m)	High (m)
Liquid fluorine / hydrazine	0.61	0.71
Liquid fluorine / gaseous H_2	0.56	0.66
Liquid fluorine / liquid H_2	0.64	0.76
Nitric acid / hydrazine	0.76	0.89
N_2O_4 / hydrazine	0.60	0.89
Liquid O_2 / ammonia	0.76	1.02
Liquid O_2 / gaseous H_2	0.56	0.71
Liquid O_2 / liquid H_2	0.76	1.02
Liquid O_2 / RP-1	1.02	1.27
H_2O_2 / RP-1 (including catalyst)	1.52	1.78

How to determine characteristic length



J&J Design & Analysis

Engine & Injector Sizing

Single Engine

Chamber Length

$$A_t = 3E - 4 \text{ m}^2, (0.466 \text{ inch}^2)$$

$$D_t = 1.96 \text{ cm}, (0.77 \text{ inch})$$

$$\frac{A_c}{A_t} = 8D_t^{-0.6} + 1.25$$

$$\frac{A_c}{A_t} = (8)1.96^{-0.6} + 1.25$$

$$\frac{A_c}{A_t} = 6.59$$

$$A_c = 0.002 \text{ m}^2, (3.10 \text{ inch}^2)$$

$$L_C = \frac{V_c}{A_c}$$

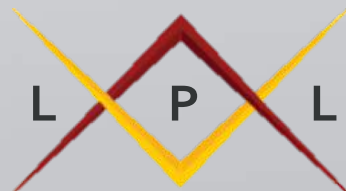
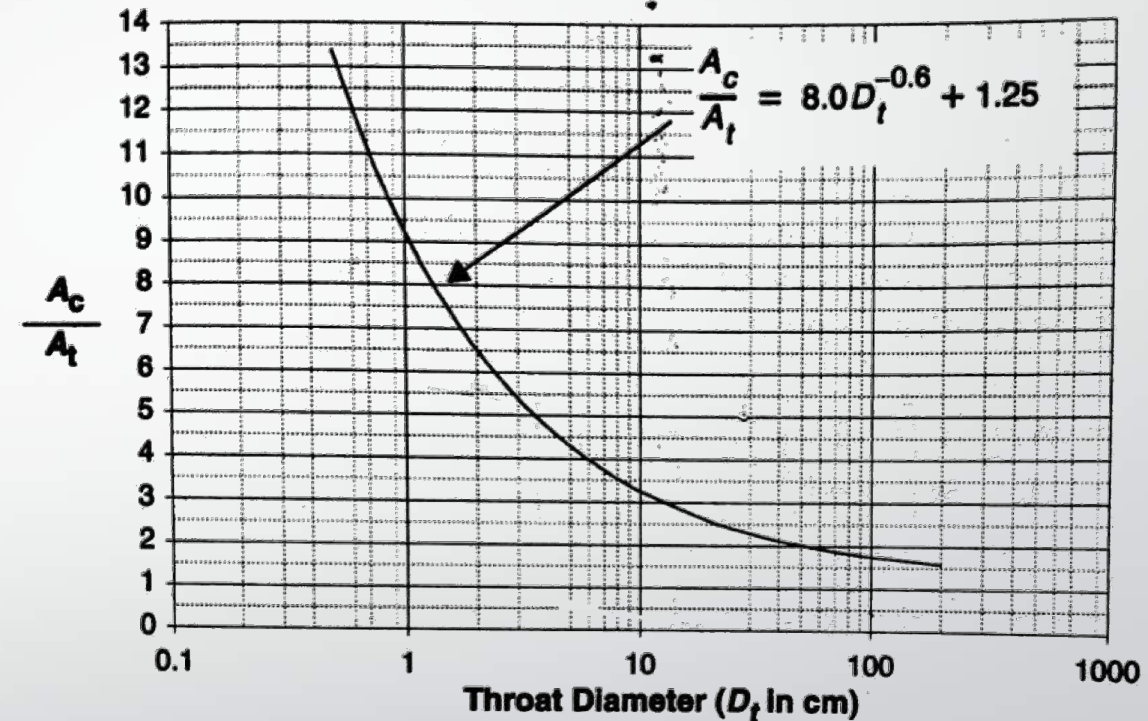
$$L_C = \frac{3.815 E - 4 \text{ m}^3}{0.002 \text{ m}^2}$$

$$L_C = 0.19 \text{ m} (7.51 \text{ inch})$$

Use as a starting point. Ended with:

$$L_C = 0.17 \text{ m} (6.58 \text{ inch})$$

$$D_C = 54 \text{ mm} (2.125 \text{ inch})$$



J&J Design & Analysis Engine & Injector Sizing

Single Engine

Nozzle Length (Conical)

$$L_n = \frac{D_e - D_t}{2 \tan \theta_{cn}}$$

Where L_n = conical nozzle length

D_t = nozzle throat diameter

θ_{cn} = nozzle cone half angle (15°)

$$L_n = \frac{0.059 - 0.02}{2 \tan(15^\circ)}$$

$$L_n = 2.87 \text{ in (72.8 mm)}$$

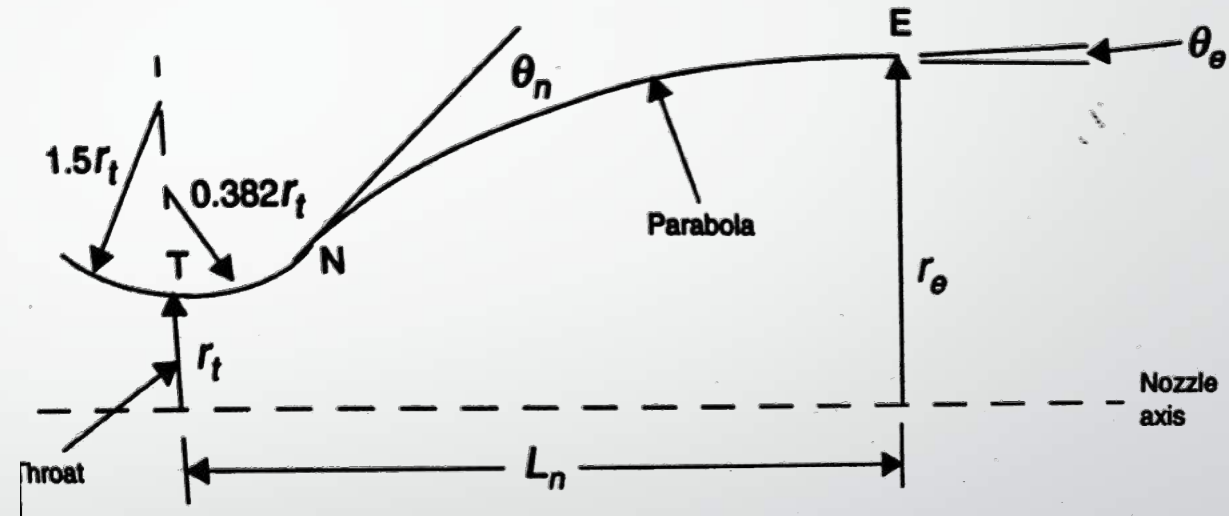
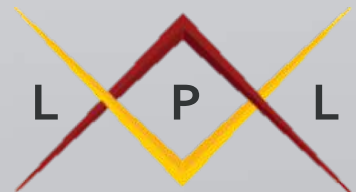


Diagram is for a parabola shaped nozzle. J&J used this diagram for sizing the converging & diverging part of the nozzle



J&J Design & Analysis

Engine & Injector Sizing

Single Engine

Chamber Wall Thickness

$$t_w = \frac{FS p_c r_c}{\sigma_y}$$

Where t_w = wall thickness

r_c = Chamber Radius 0.027 m (1.5 inch)

p_c = chamber pressure = 6.895 Mpa (1000 psi)

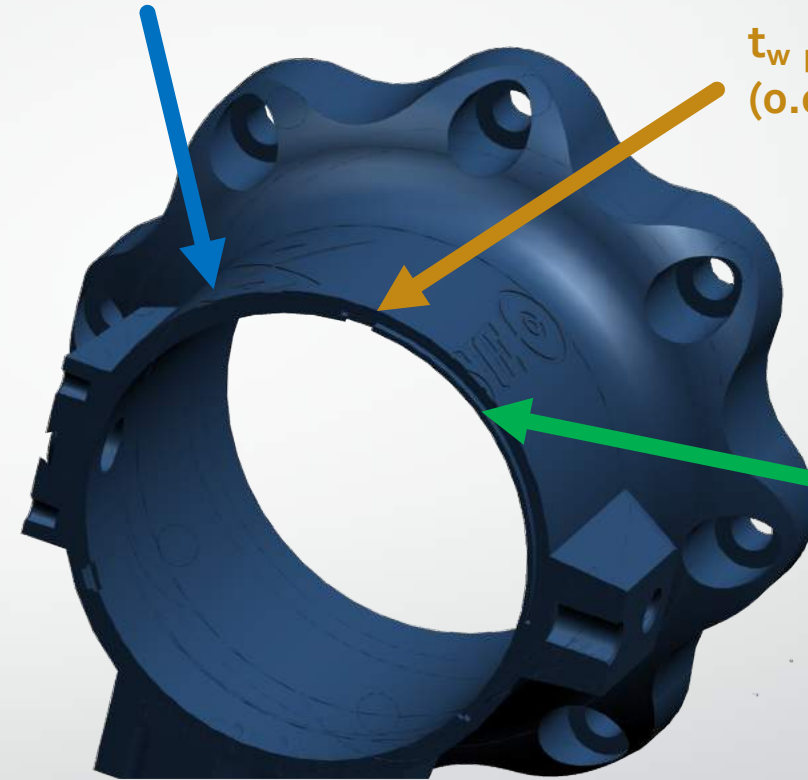
σ_y = Yield Strength = 1000 Mpa (145 ksi)

FS = Safety Factor

T_w (0.160 inch)

t_w pressure channel
(0.052 inch)

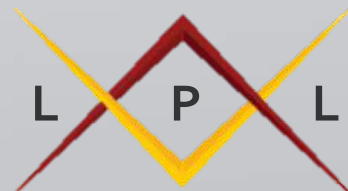
t_w logo (0.041 inch)



$t_w = 4.06\text{mm}$ (0.160 inch) [@ chamber wall] **FS = 15.5**

t_w pressure channel = 1.32 mm (0.052 inch) [@ injector pressure port wall] **FS = 5**

t_w logo = 1.04 mm (0.041 inch) [on wall where chamber pressure channel crosses over logo] **FS = 4**

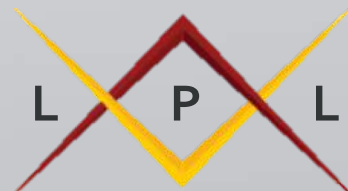


J&J Design & Analysis

Engine & Injector Sizing

Summary of Engine Specifications Single Engine Static Fire

Propellant	Kerosene	Gaseous Oxygen
OF ratio	1.875	
\dot{M}_{TOT}	1.15 kg/s	2.5 lbm/s
P_c	6.895 MPa	1000 psi
P_e	101352.9 Pa	14.7 psi
L^*	1.27 m	50 inches
D^*	19.6 mm	0.770 inch
T_c	3266 K	5418 °F
A^*	0.3004 mm ²	0.466 inch ²
A/A^*	9.1041	
I_{sp}	294.5 s	
F_T	3.32 kN	750 lbf
V_{ch}	381.5 cm ³	23.286 inch ³
L_c	0.17 m	6.58 inch
D_c	54 mm	2.125 inch
L_n	72.8 mm	2.87 inch
T_w	3.81 mm	0.15 inch

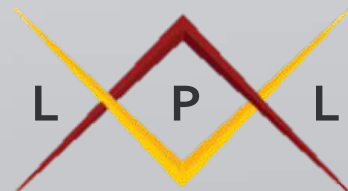


J&J Design & Analysis

Engine & Injector Sizing

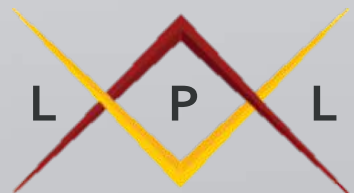
Summary of Engine Specifications Dual Engine Static Fire

Propellant	Kerosene	Gaseous Oxygen
OF ratio	1.875	
\dot{M}_{TOT}	0.575 kg/s	1.3 lbm/s
P_c	3.45 MPa	500 psi
P_e	101320 Pa	14.7 psi
L^*	1.27 m	50 inches
A^*	0.300 mm ²	0.465 inch ²
D^*	19.6 mm	0.770 inch
T_c	3222 K	5340 °F
A/A^*	5.4902	
Isp	275.9 s	
F_T	1.56 kN	350 lbf
V_{ch}	338.18 cm ³	23.286 inch ³
L_c	0.16 m	6.283 inch
D_c	54 mm	2.125 inch
L_n	49 mm	1.93 inch
T_w	3.81 mm	0.15 inch



J&J DESIGN & Analysis

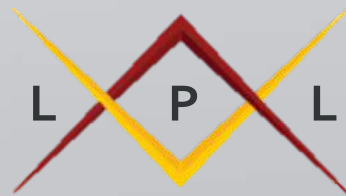
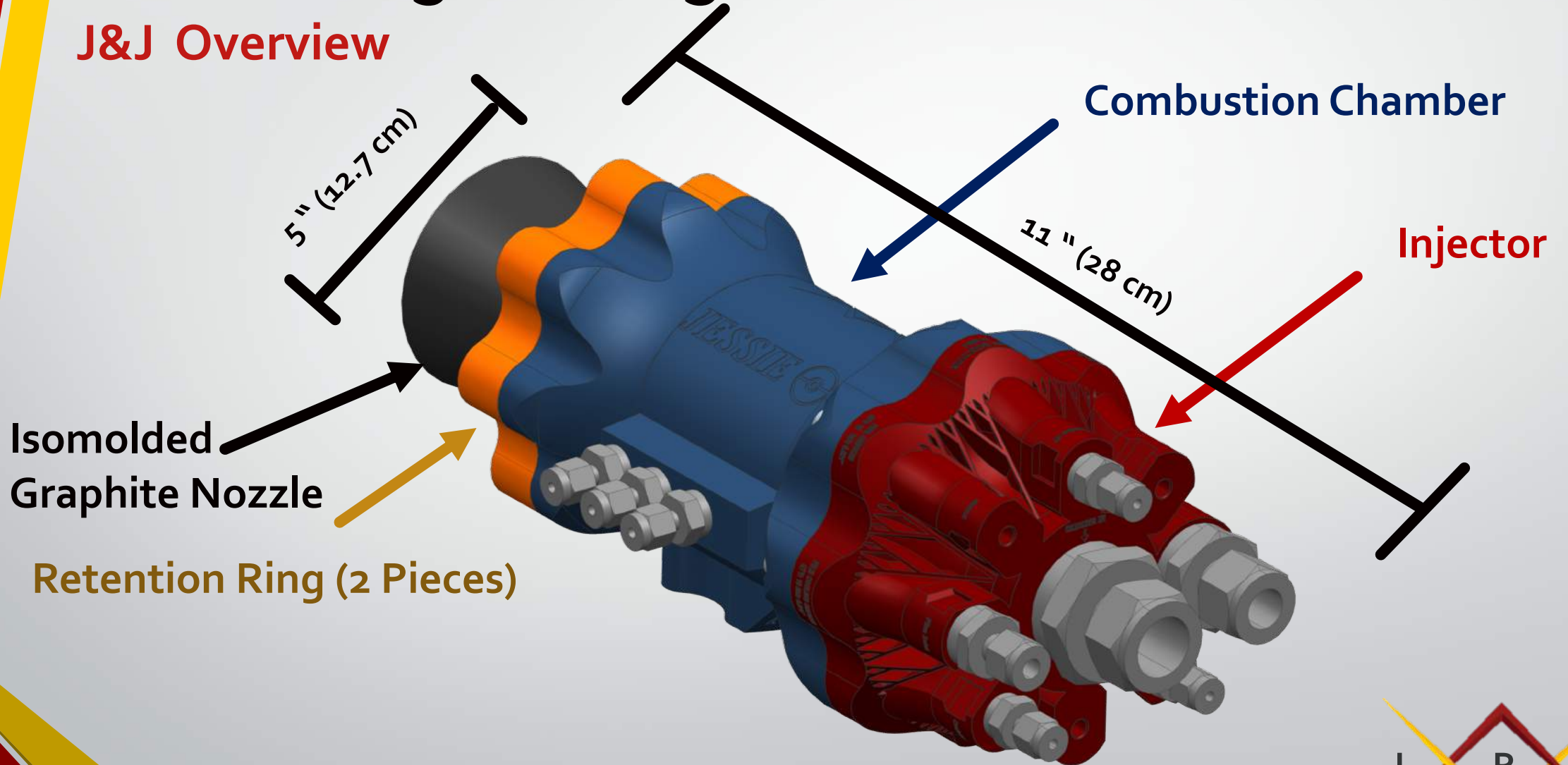
Top Level Engine Design



J&J Design & Analysis

Overall Engine Design

J&J Overview



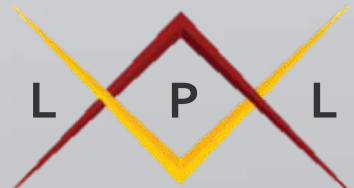
J&J Design & Analysis

Overall Engine Design

J&J Overview

The design of Jessie & James is identical besides for the pressure block & injector which is rotated by 180°

This simplifies the routing of feed & sensor lines



J&J Design & Analysis

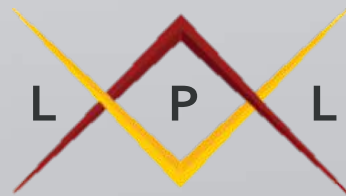
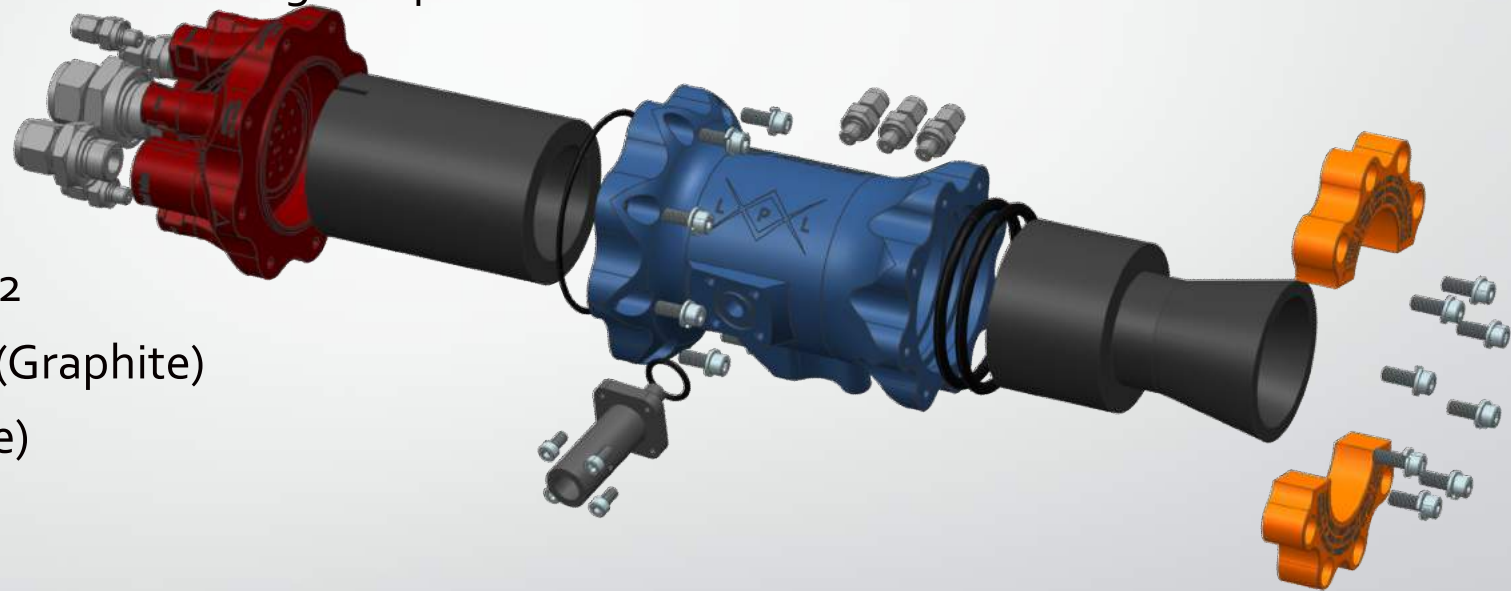
Overall Engine Design

J&J Overview

Engine Components

Each engine will be made up of the following components:

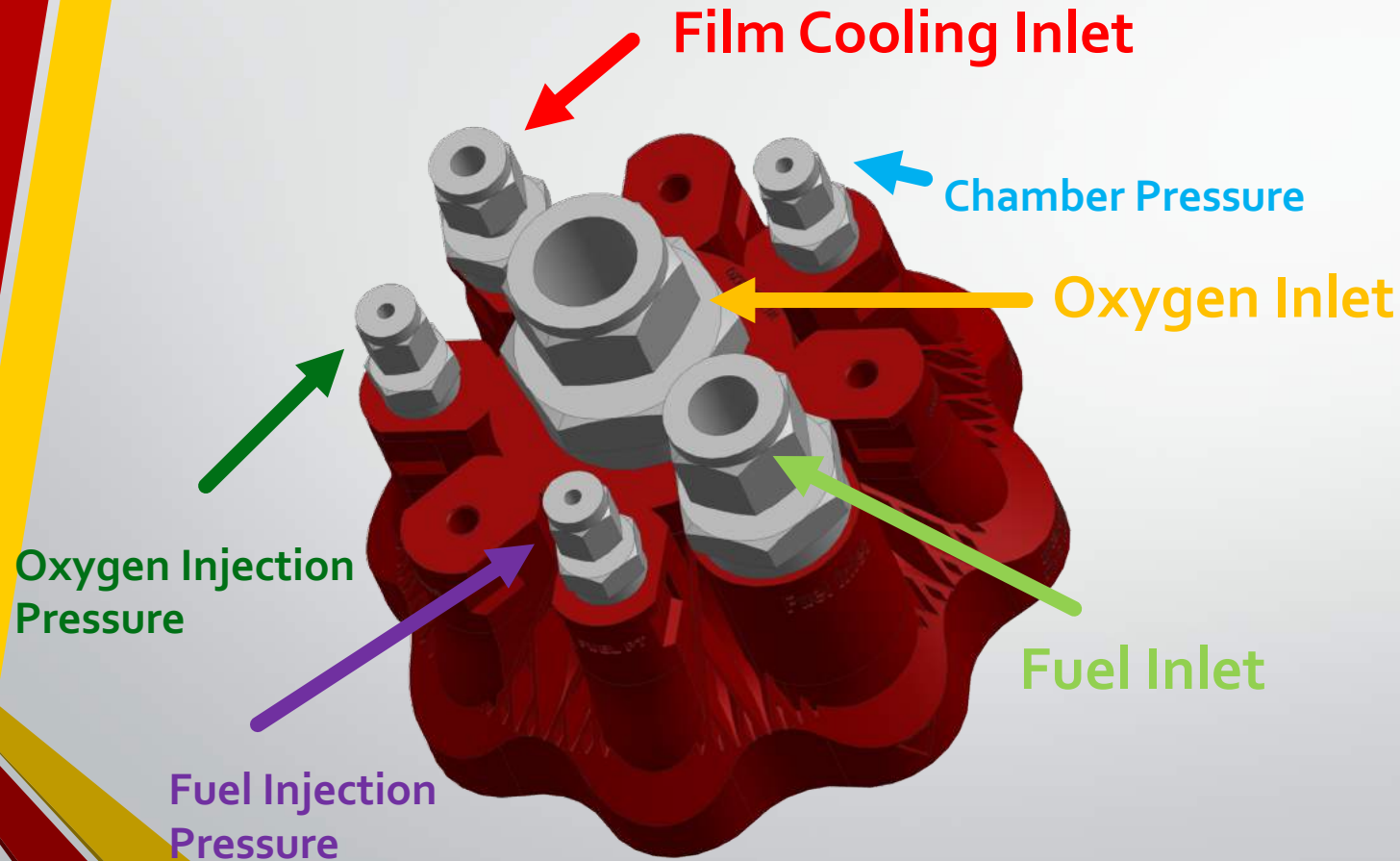
1. Injector
2. Chamber
3. Nozzle Retention Ring 1/2
4. Nozzle Retention Ring 2/2
5. Chamber Ablative Insert (Graphite)
6. Ablative Nozzle (Graphite)
7. 1 Dash 153 O-ring
8. 2 Dash 337 O-rings
9. 16 1/4"-28 5/8" screws



J&J Design & Analysis

Overall Engine Design

Jessie – Injector Ports



Oxygen Inlet - SS-1210-1-OR

3/4" Tube OD X 1 1/16-12 Male-O-Seal
SAE/MS Straight Thread

Fuel Inlet - SS-810-1-OR

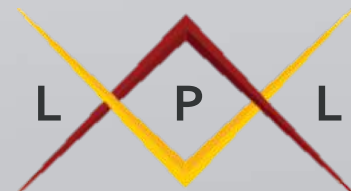
1/2" Tube OD x 3/4-16 Male O-Seal SAE/MS
Straight Thread

Film Cooling Inlet- SS-400-1-OR

1/4" Tube OD x 7/16-20 Male O-Seal SAE/MS
Straight Thread

Sensor Ports - SS-200-1-OR

1/8" Tube OD x 5/16-24 Male O-Seal SAE/MS
Straight Thread



J&J Design & Analysis

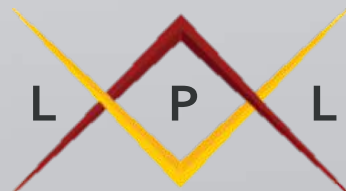
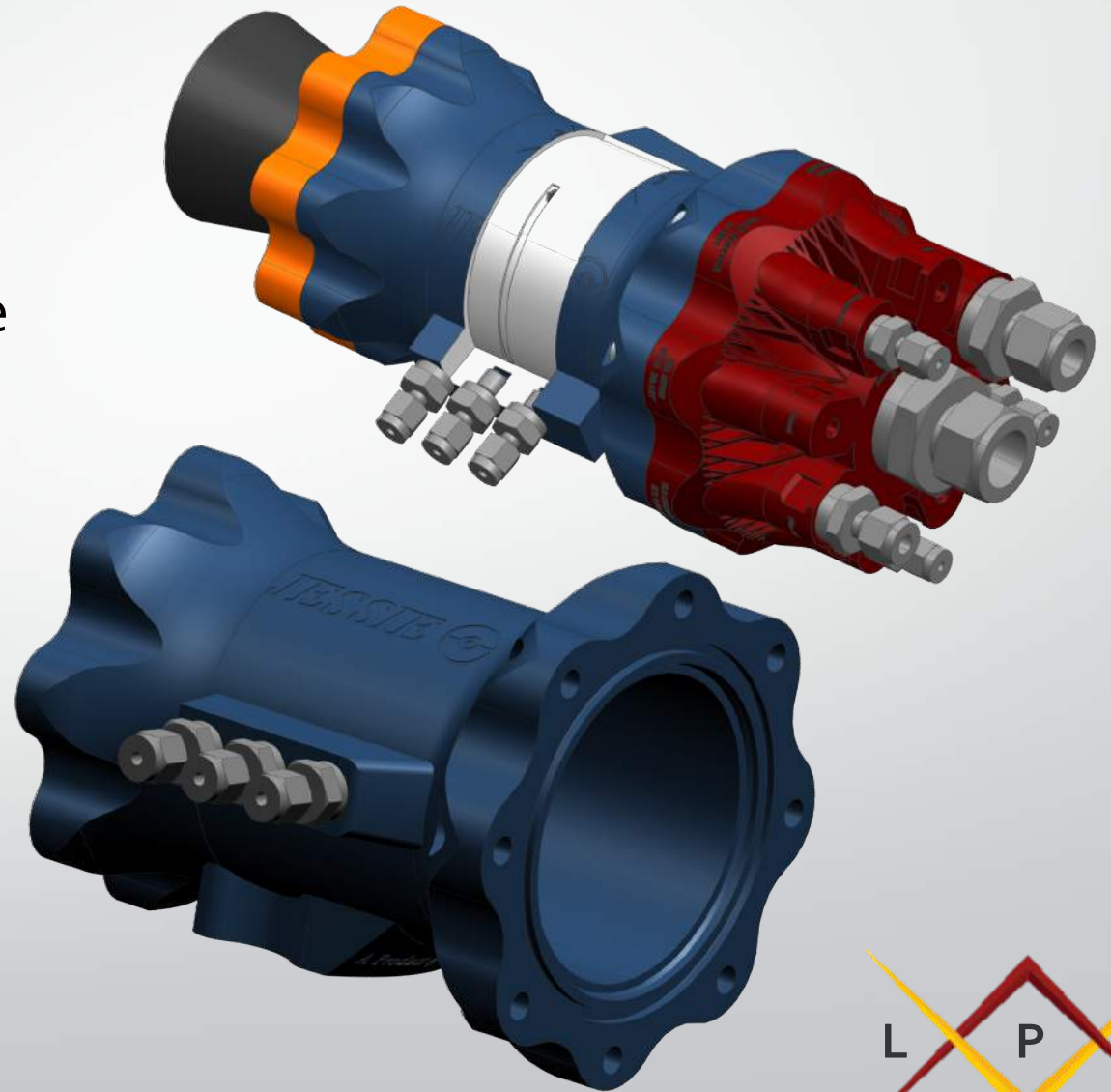
Overall Engine Design

Chamber Pressure Sensors

J&J will have 3 pressure sensors that are equally spaced around the circumference of the combustion chamber.

The 3 pressure sensor ports are routed to the pressure sensor block

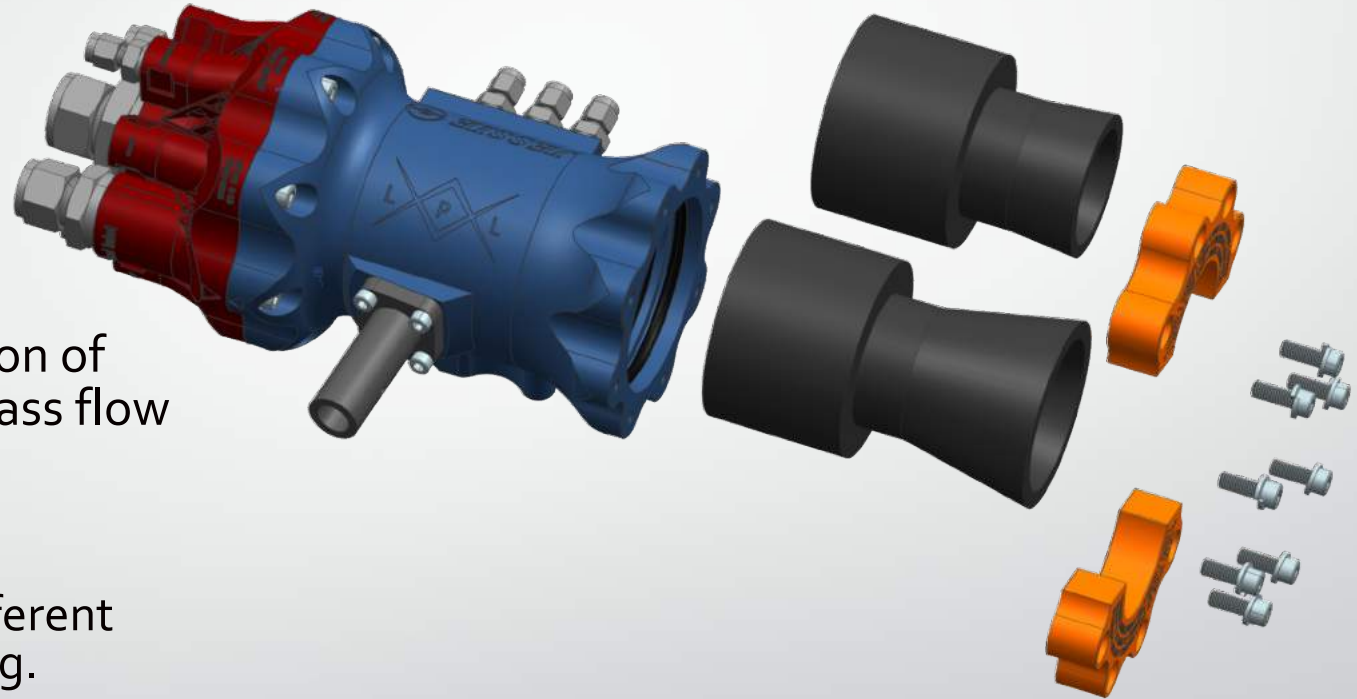
Sensor Ports - SS-200-1-OR
*1/8" Tube OD x 5/16-24 Male O-Seal
SAE/MS Straight Thread*



J&J Design & Analysis

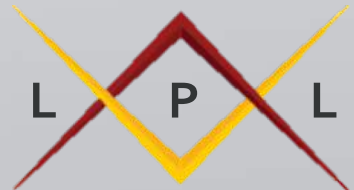
Overall Engine Design

Swap Nozzle for Different Operating Conditions



The Nozzle geometry is a function of the chamber pressure & total mass flow rate

J&J design allows you to swap different nozzles by removing retention ring.



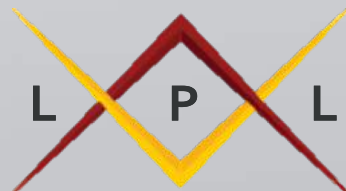
J&J Design & Analysis

Overall Engine Design

Material data sheet EOS Maraging Steel MS1

Mechanical properties of parts at 20 °C (68 °F) As Built

Tensile strength <ul style="list-style-type: none">- in horizontal direction (XY)- in vertical direction (Z)	typ. 1100 ± 100 MPa (160 ± 15 ksi) typ. 1100 ± 100 MPa (160 ± 15 ksi)
Yield strength (Rp 0.2 %) <ul style="list-style-type: none">- in horizontal direction (XY)- in vertical direction (Z)	typ. 1050 ± 100 MPa (typ. 152 ± 15 ksi) typ. 1000 ± 100 MPa (145 ± 15 ksi)
Modulus of elasticity <ul style="list-style-type: none">- in horizontal direction (XY)- in vertical direction (Z)	typ. 160 ± 25 GPa (23 ± 4 Msi) typ. 150 ± 20 GPa (22 ± 3 Msi)
Coefficient of thermal expansion	typ. 15 ± 0.8 W/m°C (104 ± 6 Btu in/(h ftÇ °F))





J&J DESIGN & Analysis

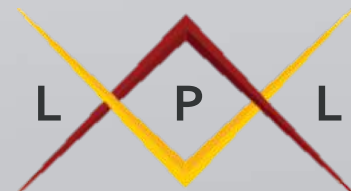
Injector Design

J&J Design & Analysis

Engine & Injector Sizing

Injector

- Both Jessie & James will feature the same injector design and will be used for both single and dual engine static fires
- The injector has been sized for dual engine testing conditions with a 20% pressure drop seen for the fuel, oxygen, and film cooling orifices
- For single engine firing conditions, the oxygen orifices will maintain a 20% pressure drop while the pressure drop for the fuel & film cooling orifices will be 40%



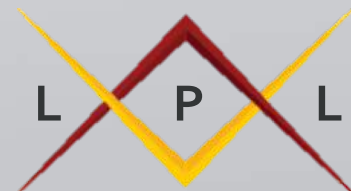
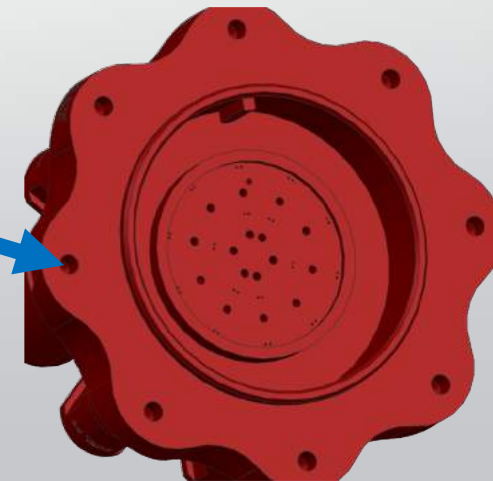
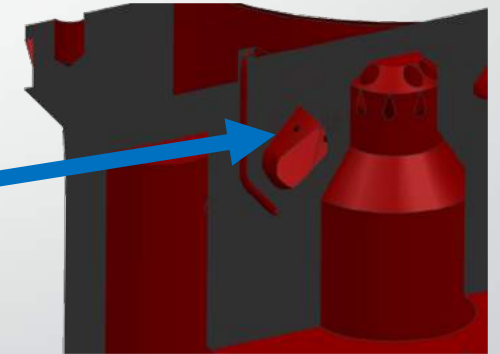
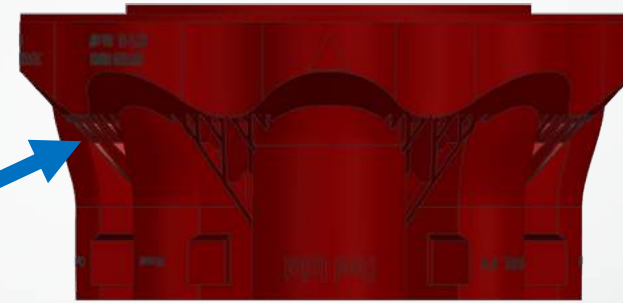
J&J Design & Analysis

Engine & Injector Sizing

Injector

3D printing Considerations

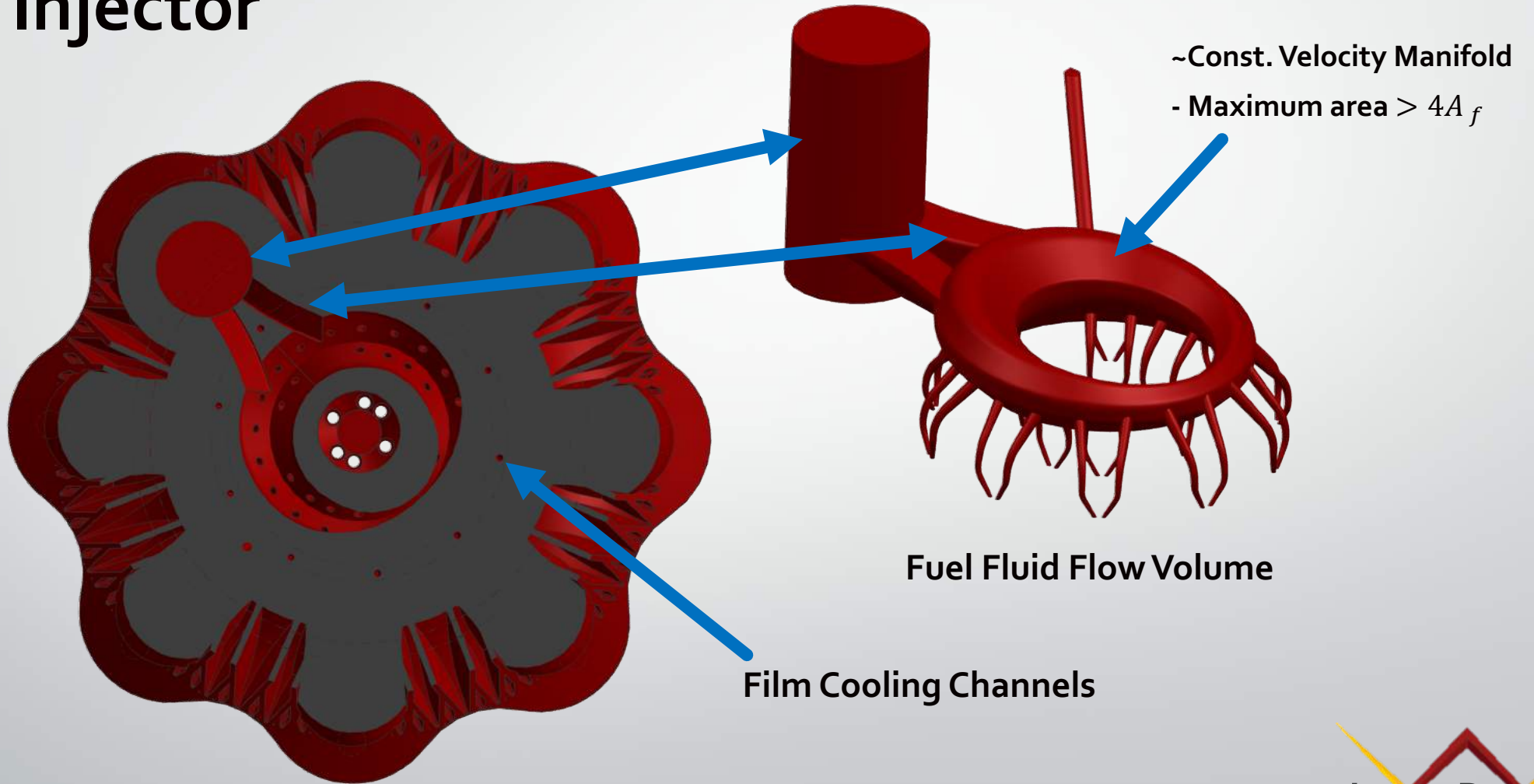
- Since this injector will be 3D printed, any overhangs more than ~45 degrees require a support structure of some sort. This can be designed in, or formed in the pre-3D printing software. In this case, a support “tree” has been designed in to reduce the mass of the printed part.
- Other overhangs are kept below 45 degrees, such as internal manifolds
- Threaded holes have also been opted for in the engine flange to eliminate the need for post-machining of the flange support structure (to allow room for a bolted joint)



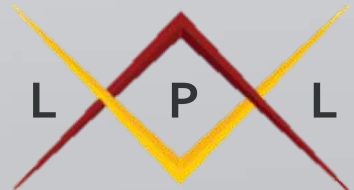
J&J Design & Analysis

Engine & Injector Sizing

Injector



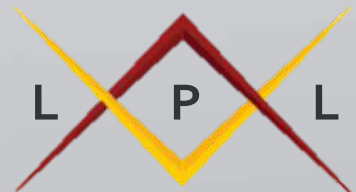
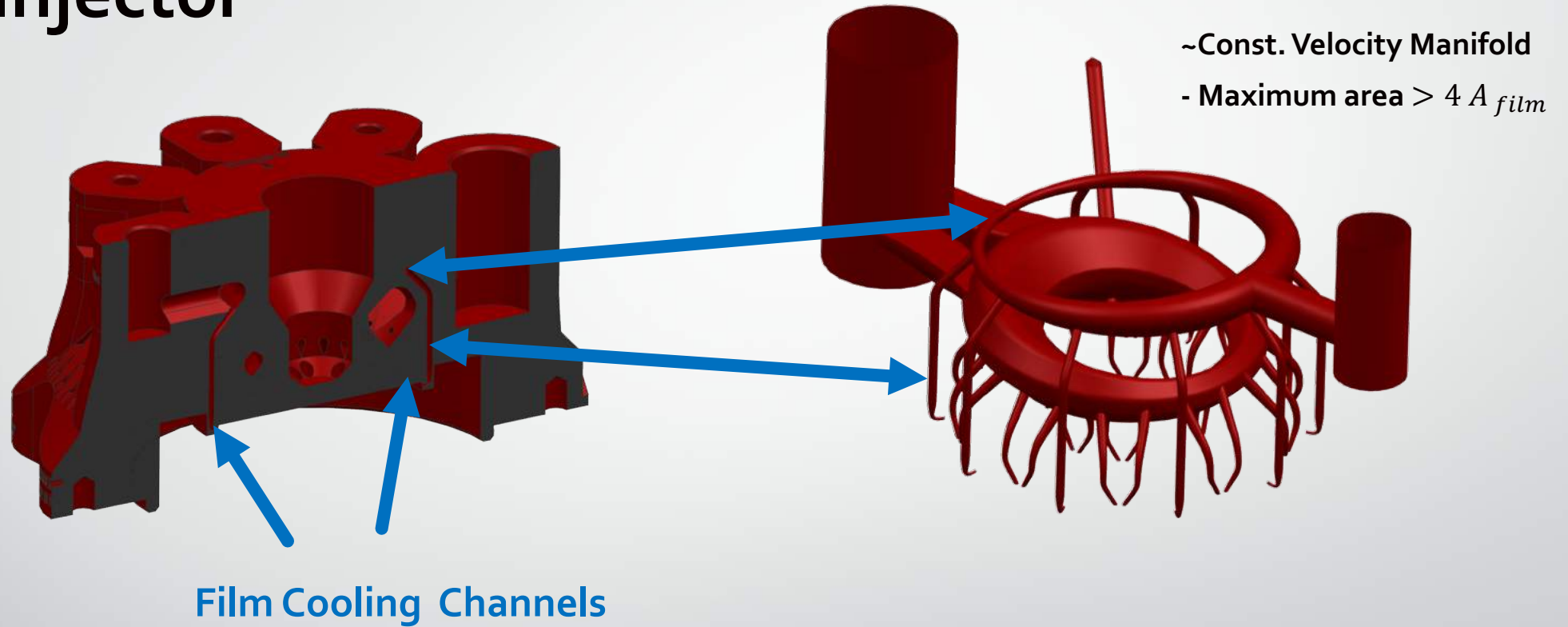
Top View Slice through Fuel Manifold



J&J Design & Analysis

Engine & Injector Sizing

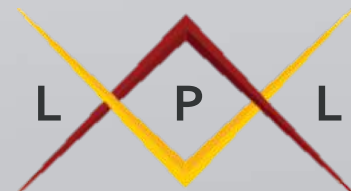
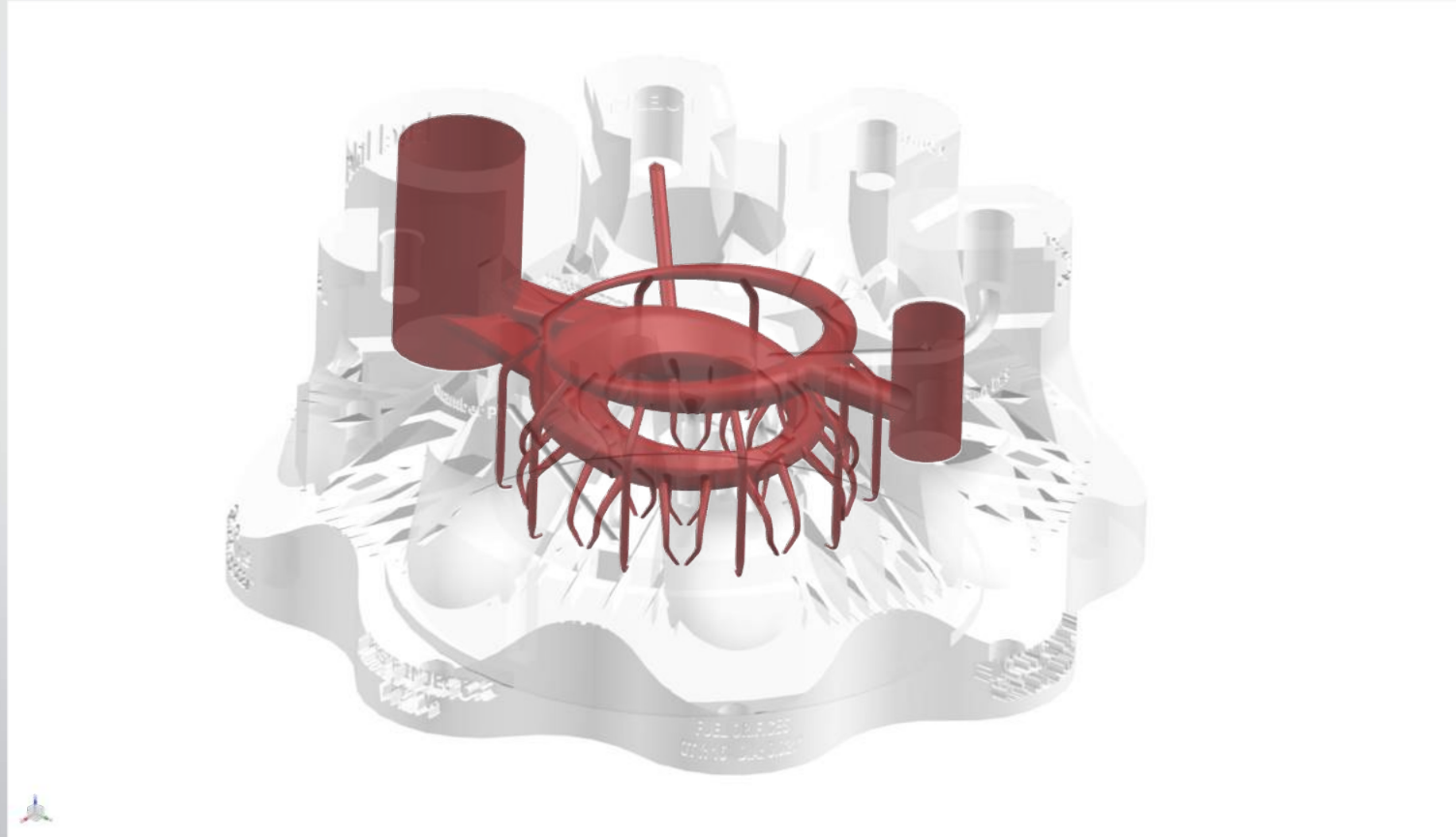
Injector



J&J Design & Analysis

Engine & Injector Sizing

Injector

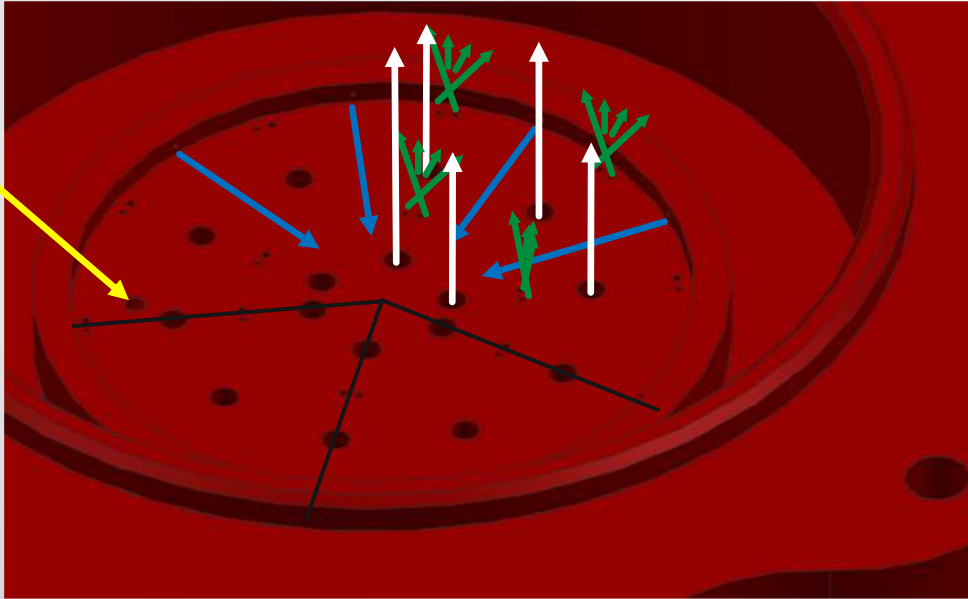


J&J Design & Analysis

Engine & Injector Sizing

Injector

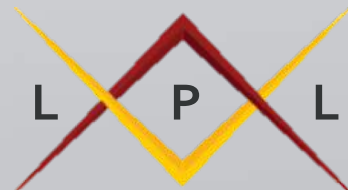
Chamber PT
channel



Orifice Arrangement

Film Cooling
Oxygen
Fuel

- The orifice arrangement is similar to the Blue Steel 2.0 Injector (machined)
- Oxygen Orifices form a shower-head in two concentric rings
- Fuel orifices are arranged in like doublets, impinging at 30 degrees from axial. They also form two concentric rings and lie on radials that intersect the oxygen orifices.
- Spray from impinging pairs tends to lie in the plane perpendicular to the plane formed by the impinging jets. These are radial planes (in this case) and so better mixing should be achieved by lining orifices up in the aforementioned manner.



J&J Design & Analysis

Engine & Injector Sizing

Fuel Injector Sizing (Based on Dual Engine Conditions)

$$A_f = \left(\frac{\dot{m}}{c_d}\right) \sqrt{\left(\frac{1}{2\rho}\right) \frac{1}{(P_{i,f} - P_c)}}$$

Where

$$\rho = 810 \frac{kg}{m^3}$$

$$c_d = 0.7 \text{ (square edge orifice)}$$

A_f = injector orifice total area

$$P_c = 3.447E6 \text{ Pa (500 psi)}$$

Pressure Drop 20%

$$P_{inj,f} = 4.137E6 \text{ (600 psi)}$$

$$\dot{m}_f = 0.17 \frac{kg}{s} \text{ (15\% tapped off for } \dot{m}_{film}\text{)}$$

$$\# \text{ of holes} = 32$$

$$A_f = \left(\frac{0.17}{0.7}\right) \sqrt{\left(\frac{1}{2(810)}\right) \frac{1}{(4.137E6 - 3.447E6)}}$$

$$A_f = 7.26E - 6 \text{ m}^2$$

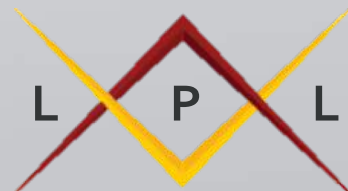
$$A_{i,f} = \frac{A_f}{\# \text{ of holes}}$$

$$A_{i,f} = \frac{7.26E - 6}{32}$$

$$A_{i,f} = 2.27E - 7 \text{ m}^2$$

$$D_f = 2 \left(\frac{2.27E - 7}{\pi}\right)^{0.5}$$

$$D_f = 0.538 \text{ mm (0.021 inch)}$$



J&J Design & Analysis

Engine & Injector Sizing

Film Orifice Sizing (Based on Dual Engine Conditions)

$$A_{film} = \left(\frac{\dot{m}_{film}}{c_d} \right) \sqrt{\left(\frac{1}{2\rho} \right) \frac{1}{(P_{i,film} - P_c)}}$$

Where

$$\rho = 810 \frac{kg}{m^3}$$

$$c_d = 0.7 \text{ (square edge orifice)}$$

$$A_{film} = \text{injector orifice total area}$$

$$P_c = 3.447E6 \text{ Pa (500 psi)}$$

Pressure Drop 20%

$$P_{inj,film} = 4.137E6 \text{ (600 psi)}$$

$$\dot{m}_{film} = 0.03 \frac{kg}{s} \quad (15\% \text{ tapped off from } \dot{m}_f)$$

$$\# \text{ of holes} = 10$$

$$A_{film} = \left(\frac{0.03}{0.7} \right) \sqrt{\left(\frac{1}{2(810)} \right) \frac{1}{(4.137E6 - 3.447E6)}}$$

$$A_{film} = 1.28E - 6 \text{ m}^2$$

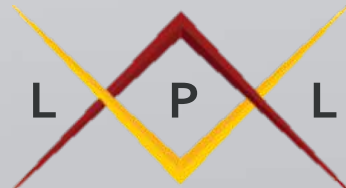
$$A_{i,film} = \frac{A_f}{\# \text{ of holes}}$$

$$A_{i,film} = \frac{1.28E - 6}{10}$$

$$A_{i,film} = 1.28E - 7 \text{ m}^2$$

$$D_{film} = 2 \left(\frac{1.28E - 7}{\pi} \right)^{0.5}$$

$$D_{film} = 0.404 \text{ mm (0.0159 inch)}$$



J&J Design & Analysis

Engine & Injector Sizing

Oxygen Injector Sizing (Based on Dual Engine Conditions)

$$A_o = \left(\frac{\dot{m}_o}{c_d} \right) \sqrt{\frac{R_o T_o}{2P_{i,o}(P_{i,o} - P_c)}}$$

Where

$$R_o = 259.8 \frac{J}{Kg-K}$$

$$T_o = 290 K$$

$$c_d = 0.7 \text{ (square edge orifice)}$$

$$A_o = \text{injector orifice total area}$$

$$P_c = 3.447E6 \text{ Pa (500 psi)}$$

Pressure Drop 20%

$$P_{inj,o} = 4.137E6 \text{ (600 psi)}$$

$$\dot{m}_o = 0.375 \frac{kg}{s}$$

$$\# \text{ of holes} = 16$$

$$A_o = \left(\frac{0.375}{0.7} \right) \sqrt{\frac{(259.8)(290)}{2(4.137E6)(4.137E6 - 3.447E6)}}$$

$$A_o = 6.155E - 5 m^2$$

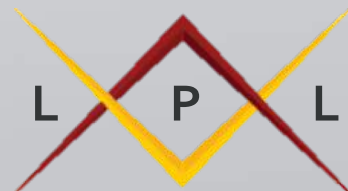
$$A_{i,o} = \frac{A_o}{\# \text{ of holes}}$$

$$A_{i,o} = \frac{6.155E - 5}{16}$$

$$A_{i,o} = 3.85E - 6 m^2$$

$$D_o = 2 \left(\frac{3.85E - 6}{\pi} \right)^{0.5}$$

$$D_o = 2.21 \text{ mm (0.087 inch)}$$





J&J DESIGN & Analysis

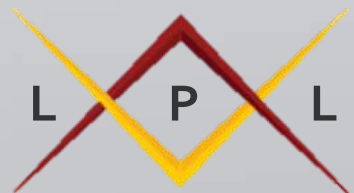
Thermal Control

J&J Design & Analysis

Thermal Control

Cooling on Jessie & James

- Jessie & James will feature both ablative & film cooling
- The engine chamber will be lined with isomolded graphite
- Nozzle will be constructed with isomolded graphite
 - Isomolded graphite has a much lower ablation rate than phenolic (nozzle material for nozzle Blue Steel 2.0)
- 15% of the fuel will be tapped off to cool the injector



J&J Design & Analysis

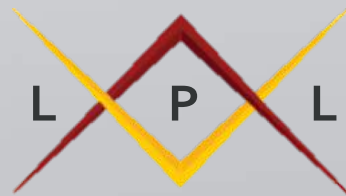
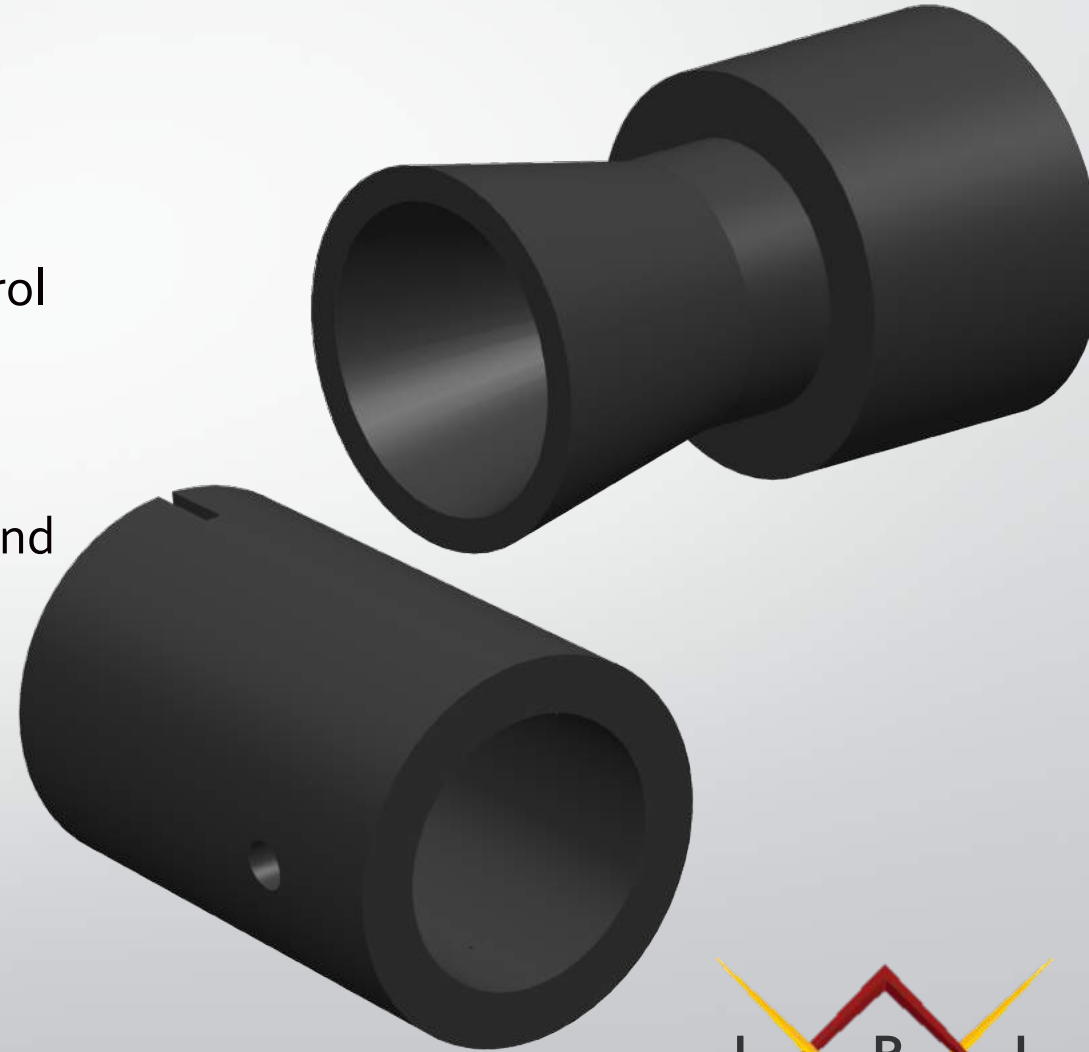
Thermal Control

Graphite Chamber Liner & Nozzle

An Isomolded Graphite will be used to thermally control both the combustion chamber and nozzle

The combustion chamber will be lined with graphite and the nozzle will be fabricated out of graphite

An alignment feature and pathways will be machined into the chamber line to allow for chamber pressure transducers and for the torch ignitor to operate



J&J Design & Analysis

Thermal Control

Isomolded Graphite

All graphite will be machined out of one 3.00" DIA X 24" L Rod

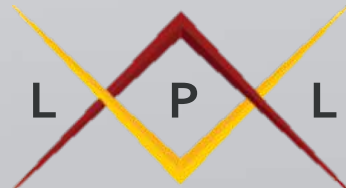
This rod is large enough to machine all components

Jessie Graphite Parts

1 - Chamber Liner
1 - 1000 psi optimum
expansion nozzle
1 - 500 psi optimum
expansion nozzle

James Graphite Parts

1 - Chamber Liner
1 - 1000 psi optimum
expansion nozzle
1 - 500 psi optimum
expansion nozzle



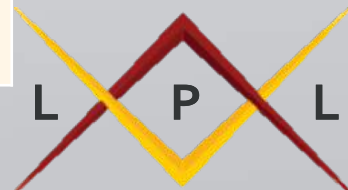
J&J Design & Analysis

Overall Engine Design

Material data Isomolded Graphite

Property	SI Units	English
Young's modulus *	7~8 GPa	1.015Mpsi ~ 1.16Mpsi
Compressive strength *	8963 Pa	13000 psi*
Density	0.065 lb/in ³	1.81 gr/cm ³
Flexural Strength	7250 psi	50 MPa
Thermal Conductivity	85 W/(m ² .K/m)	49 BTU/(h.ft ² °F/ft)
CTE	4.6 Microns/m°C	2.6 in/in°F×10 ⁻⁶

* Provided by the engineer at Graphite Store as an estimate
(This has not been tested & therefore is not in datasheet)



J&J Design & Analysis

Thermal Control

Insulation Thickness

$$t_{insul} = t_{exp} \dot{e} f_s$$

Where t_{insul} = insulation thickness (m)

t_{exp} = insulation exposure time (s)

\dot{e} = insulation erosion rate (m/s)

f_s = safety factor

$$t_{insul} = (25)s(0.10) \frac{mm}{s} \quad (4)$$

$$t_{insul} = 10 \text{ mm (0.39 inch)}$$

$$t_{chamber \text{ liner}} = 11.11 \text{ mm (0.4375 inch)}$$

Larger due to uncertainty about graphite material properties & to allow for a larger $\frac{A_c}{A_t}$ and longer max turn times in future modifications

Material	ρ kg/m ³	c_p cal/gm·K	κ W/m·K	F_{tu} MPa	\dot{e}^* mm/s
Pyrolytic Graphite	2200	0.50	0.059	103	0.05
Polycrystalline Graphite	1700	0.60	26.0	48	0.10
2-D Carbon/Carbon	1400	0.54	13.8	110	-
3-D Carbon/Carbon	1900	0.50	31.5	186	0.10
Carbon/Phenolic	1400	0.36	1.00	72.4	0.18
Graphite/Phenolic	1400	0.39	1.59	52.4	0.28
Silica/Phenolic	1700	0.30	0.55	52.4	1.3
Glass/Phenolic	1900	0.22	0.028	414	1.5
Paper/Phenolic	1200	0.37	0.40	152	1.9

ρ = Material density

c_p = Material specific heat

κ = Material thermal conductivity

F_{tu} = Ultimate tensile strength

\dot{e} = erosion rate

*Reference data:

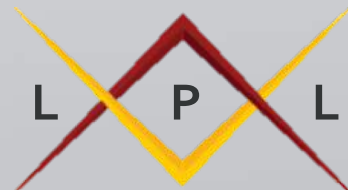
p_c = chamber pressure = 6.9 MPa

D_t = throat diameter = 0.3 m

T_c = combustion temperature = 3030 K

Note that values are scaled using correlations for convective heat transfer (see Heister [1990]).

This provides enough confidence to fire for a short duration & use test results to estimate a more accurate erosion rate



Ablative Cooling Energy Conservation

$$(\dot{Q}_{rad} + \dot{Q}_{con}) = \dot{m}_{ablative} h_{ablative}$$

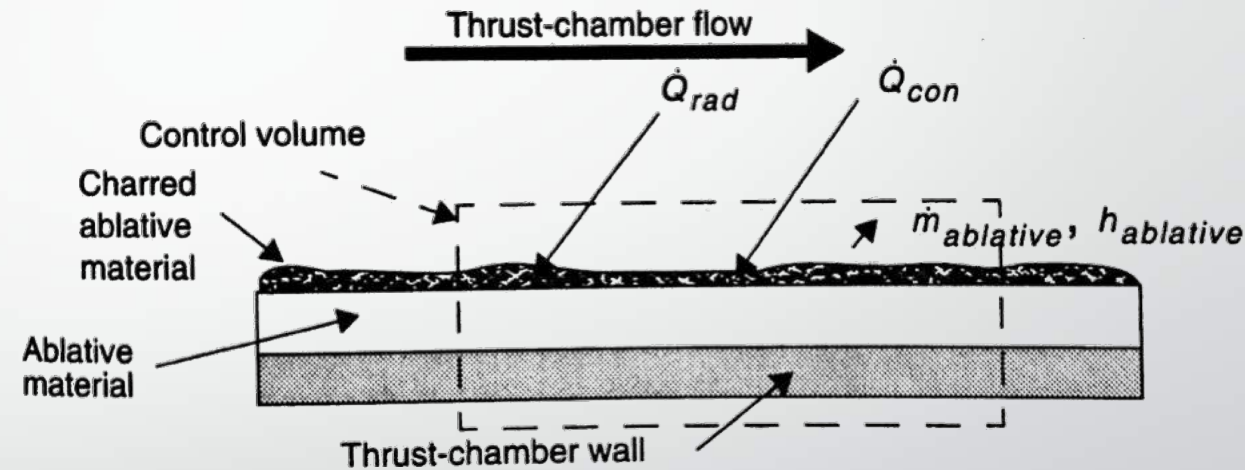
Where:

\dot{Q}_{rad} = heat addition due to radiation (W)

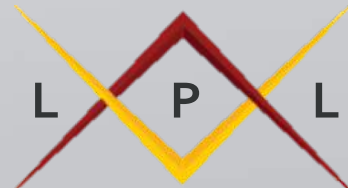
\dot{Q}_{con} = heat addition due to convection (W)

$\dot{m}_{ablative}$ = the mass flow of the ablative material (kg/s)

$h_{ablative}$ = enthalpy of material ablation (J/kg)



Note: Need to know ϵ_{flame} & $h_{ablative}$. Looking into this. Can estimate $h_{ablative}$ after a static fire by measuring the amount of material that has ablated.



Film Cooling Energy Conservation

$$(\dot{Q}_{rad} + \dot{Q}_{con})_{in} = \dot{Q}_{wall} + \dot{m}_{film} \left(\int_{T_{vap}}^{T_{out}} c_p dT + h_{fg} + c[T_{vap} - T_{in}] \right)$$

\dot{Q}_{rad} = heat addition due to radiation (W)

\dot{Q}_{con} = heat addition due to convection (W)

c_p = heat capacity of vaporized gases at constant pressure (J/kg.K)

c = heat capacity of the prevaporized fluid (J/kg.K)

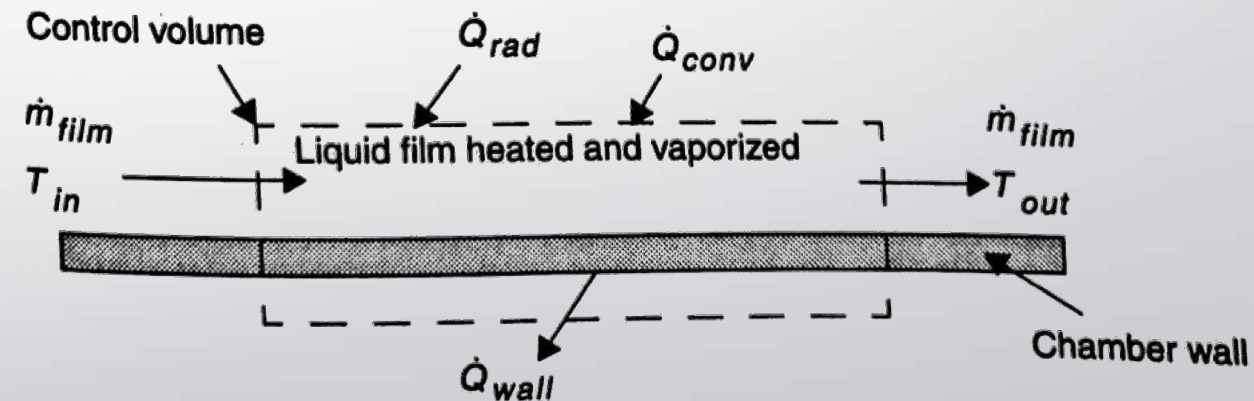
h_{fg} = heat of vaporization of the fluid (J/kg)

\dot{Q}_{wall} = heat flow into the wall (W)

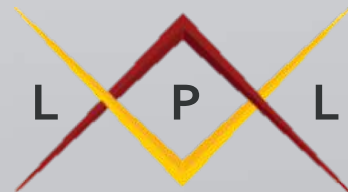
\dot{m}_{film} = mass-flow rate of the wall coolant (kg/s)


T_{in} = temperature of the coolant entering the control volume (K)

T_{out} = temperature of the vaporized coolant leaving the control volume (K)



Post CDR, more research will be done to in this area





J&J DESIGN & Analysis

Engine Interfaces

J&J Design & Analysis

Engine Interfaces

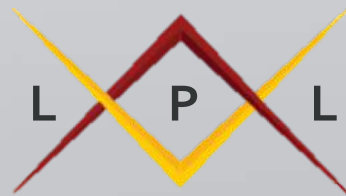
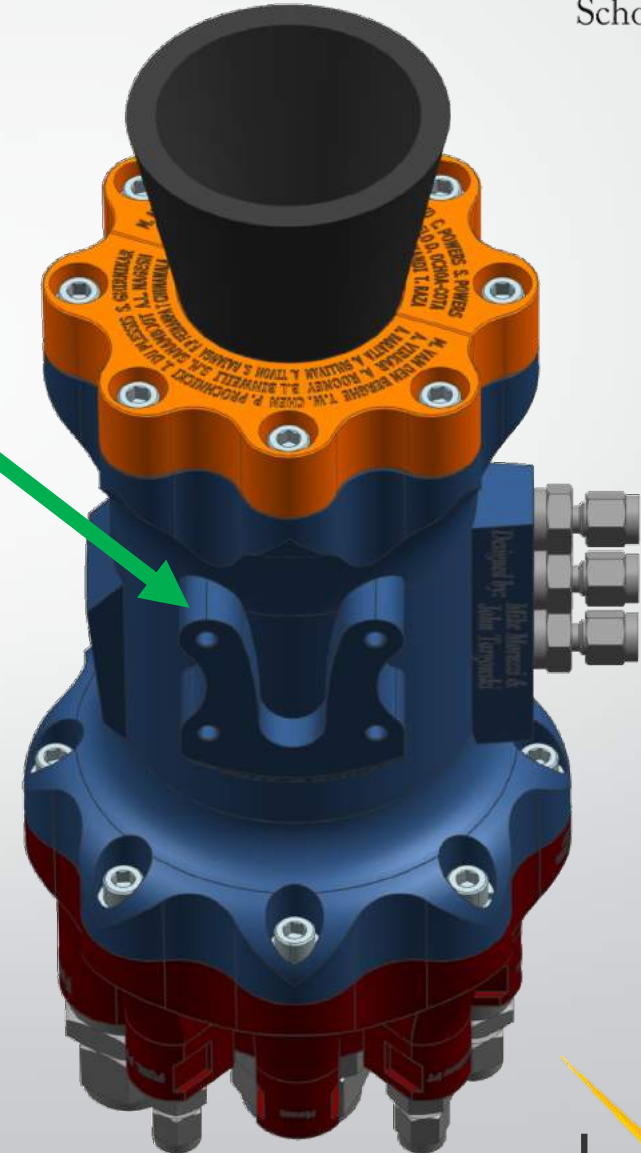
Mount Interface

Mount Interface:

4

This is mount the engine to the slide rail featured on Hydra

Mount Interface



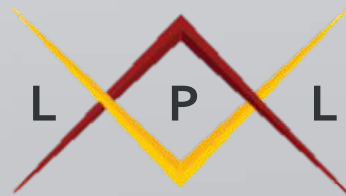
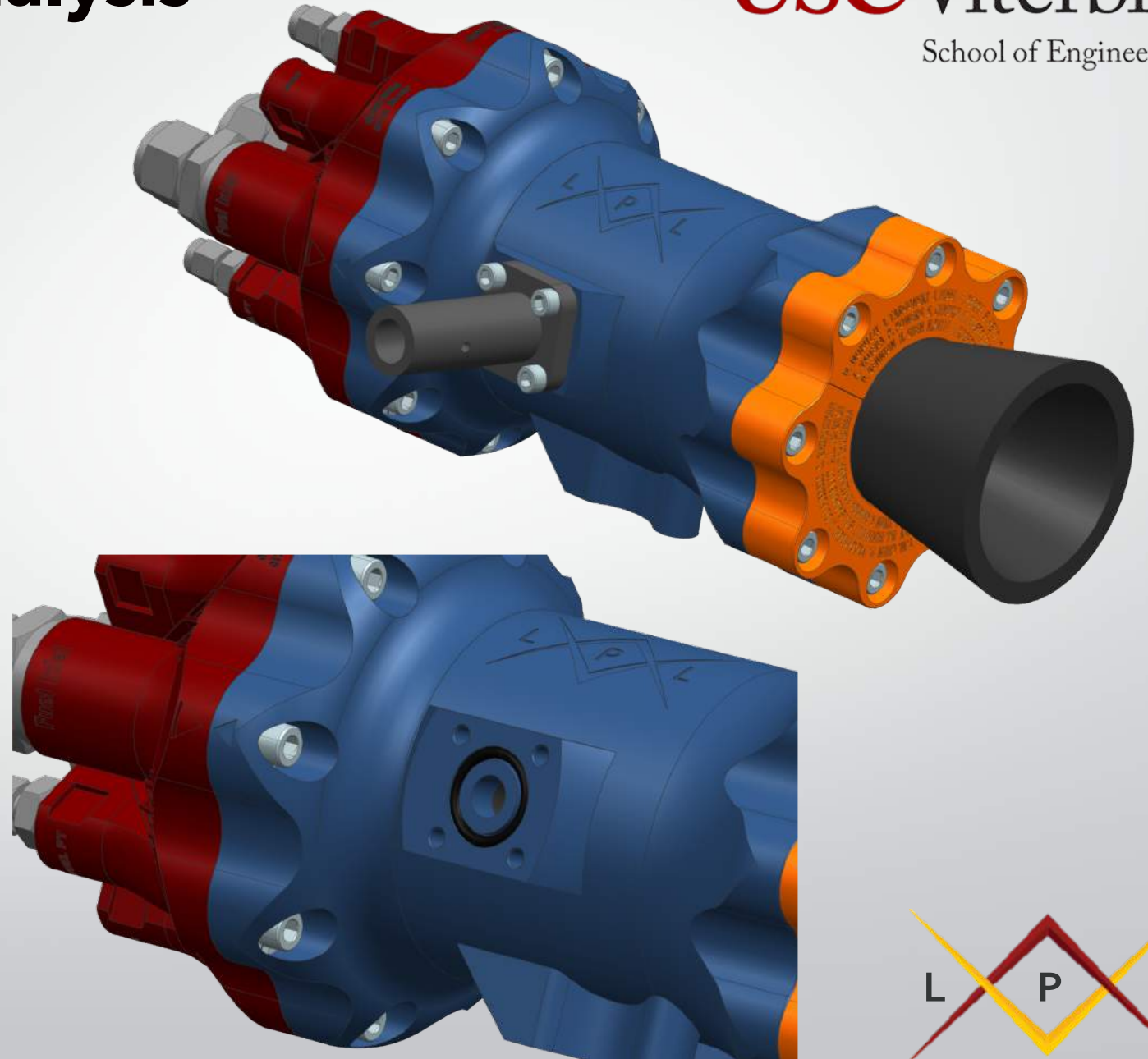
J&J Design & Analysis

Engine Interfaces

Ignitor Interface

4

The ignitor interface will secure and seal the ignitor onto the engine



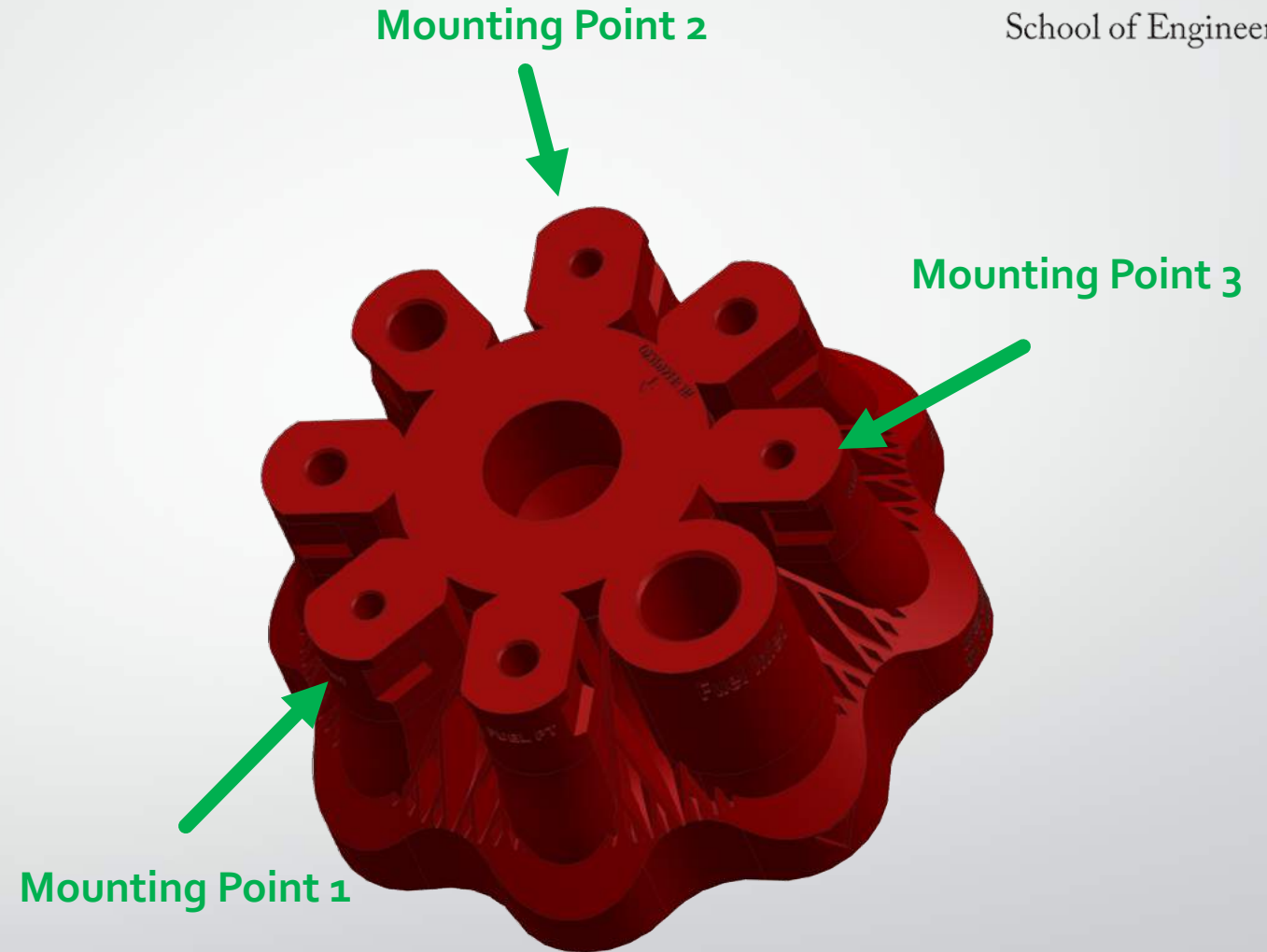
J&J Design & Analysis

Engine Interfaces

Milk Stool Interface

The injector houses the 3 1/4" -28 mounting points for the milk stool

The milk stool is strut design that will bypass all propellant inlet lines and make contact with a load cell to provide thrust measurements





J&J DESIGN & Analysis

Fasteners & Sealing

J&J Design & Analysis

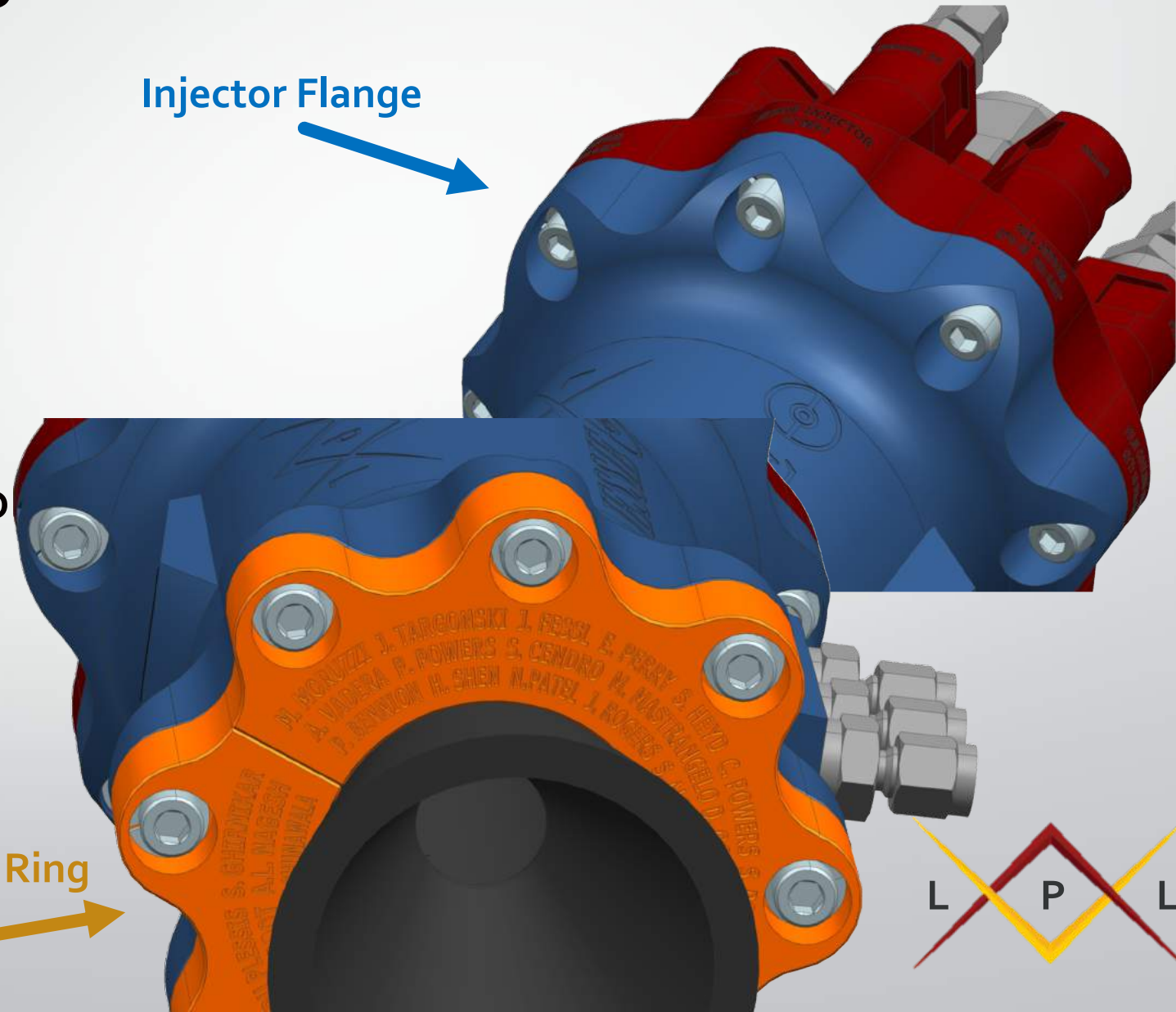
Fasteners & Sealing

J&J Fasteners

J&J will feature a total of 16 1/4-28 5/8" fully threaded socket head screws

The first set of 8 will secure the injector to the chamber and the second set of 8 will secure the nozzle to the chamber with a 3D printed retention ring.

Injector Flange



Nozzle Retention Ring
Flange

J&J Design & Analysis

Fasteners & Sealing

J&J Fasteners & Washer Material Properties

Screws

Used for both retention ring and injector side

Type: 1/4-28

Length: $\frac{3}{4}$ "

Material: 18-8 Stainless Steel

(fully threaded socket head screw)

Tensile Area: 0.03640"

Ultimate Strength: 70 ksi

Young's Modulus: 28500 ksi



Lock washers

Used for both retention ring and injector side

18-8 Stainless Steel Mil. Spec. Split Lock Washer

ID: 0.260"

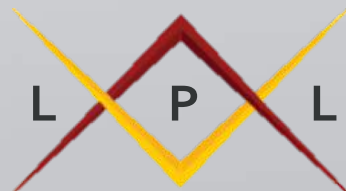
OD: 0.487"

Thickness: 0.062"

Ultimate Strength: 73.2 ksi

Young's Modulus: 28500 ksi

Yield Strength: 31.2 ksi



J&J Design & Analysis

Fasteners & Sealing

J&J Fasteners & Retention Ring Material Properties

Retention Ring, Injector, Chamber

Material: EOS Maraging Steel MS1

Yield Strength: 145 ksi (1000 MPa)

(in Z direction – lower than the XY direction)

Modulus of Elasticity: 22 Msi (150 Gpa)

(in Z direction – lower than the XY direction)

Keensert (Lightweight Insert)

Only Using on Retention Ring Side

Non-locking (Part # KN428J)

Internal Thread Class 3B 1/4-28

Material: 303 CRES (passivated)

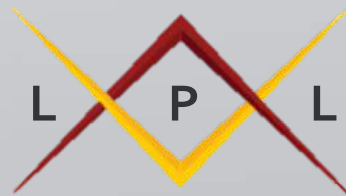
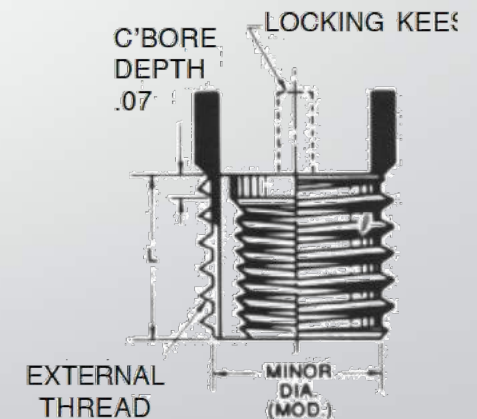
External Thread: 3/8 – 16

Shear Engagement: 0.2371"

L: 0.37"



Lightweight



J&J Design & Analysis

Fasteners & Sealing

Screw Preload Force

$$\text{Preload Force} = 0.75 (\sigma_{proof}) A_t$$

Where $A_t = \text{Tensile Area}$

(0.75 is coefficient used for reusable screws)

$$\text{Preload Force} = 0.75 (80 \text{ ksi}) 0.0364 \text{ in}^2$$

$$\text{Preload Force} = 2184 \text{ lbf} (9.610 \text{ kN})$$

Screw Torque Equation

$$T = K_t F_i D$$

Where : $T = \text{torque (in-lb, ft-lb, or N-m)}$

$K_t = \text{torque coefficient (0.15 lubed)}$

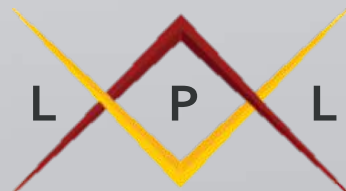
$F_i = \text{Initial preload Force in the bolt}$

$D = \text{nominal diameter of bolt}$

$$T = (0.15)(2184) \text{ lbf} (0.25) \text{ in}$$

$$\text{Torque Preload} = 81.9 \text{ in-lbf} (9.25 \text{ N-m})$$

For screws on both the injector and nozzle side



J&J Design & Analysis

Fasteners & Sealing

Screw Stiffness

$$K_{screw} = \frac{A_t E_{screw}}{L_{joint}} \text{ (Fully Threaded screw)}$$

$$E_{bolt} = 28500 \text{ ksi}$$

$$L_{joint} = 0.35 \text{ inch}$$

$$A_t = 0.0364 \text{ in}^2$$

$$K_{screw} = \frac{0.0364 \text{ in}^2 \cdot 28500 \text{ ksi}}{0.35 \text{ inch}}$$

$$K_{screw} = 2.964 \text{ Msi}$$

Joint Stiffness

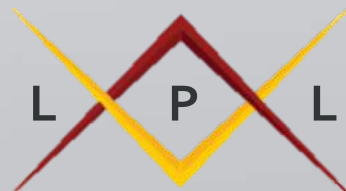
$$K_{joint} = \frac{\pi E_{joint} d_{shank}}{2 \ln \left(5 \left(\frac{L_{joint} + 0.5 d_{shank}}{L_{joint} + 2.5 d_{shank}} \right) \right)}$$

$$E_{joint} = 22000 \text{ ksi (entirely margining steel)}$$

$$d_{shank} = 0.281 \text{ inch}$$

$$K_{joint} = \frac{\pi (22000 E3) (0.281)}{2 \ln \left(5 \left(\frac{0.35 + (0.5)(0.281)}{0.35 + (2.5)(0.281)} \right) \right)}$$

$$K_{joint} = 11.5 \text{ Msi}$$



J&J Design & Analysis

Fasteners & Sealing

Joint coefficient of screw-load factor, C

$$C = \frac{k_{screw}}{k_{screw} + k_{joint}}$$

$$C = \frac{2.964 \text{ Msi}}{2.964 \text{ Msi} + 11.5 \text{ Msi}}$$

$$C = 0.20$$

The required minimum preload to prevent gapping is then

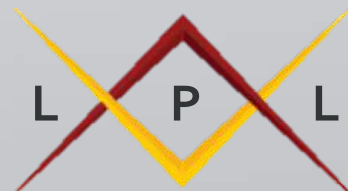
$$F_i = P(1 - C)$$

Factor of Safety against gapping

$$FS_{gap} = \frac{F_i}{P(1 - C)}$$

Where P = load

Now need to determine the load on the joint for both ends of the engine...



J&J Design & Analysis

Fasteners & Sealing

Fastening - Retention Ring Side

Determining Load on Fasteners

$$P_{Retention\ Ring} = (P_0)(A_c - A_t)$$

$$P_{Retention\ Ring} = (1000\ psi)(3.55in^2 - 0.466in^2)$$

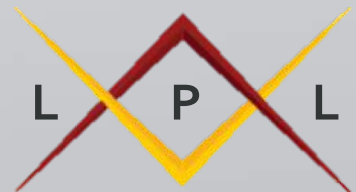
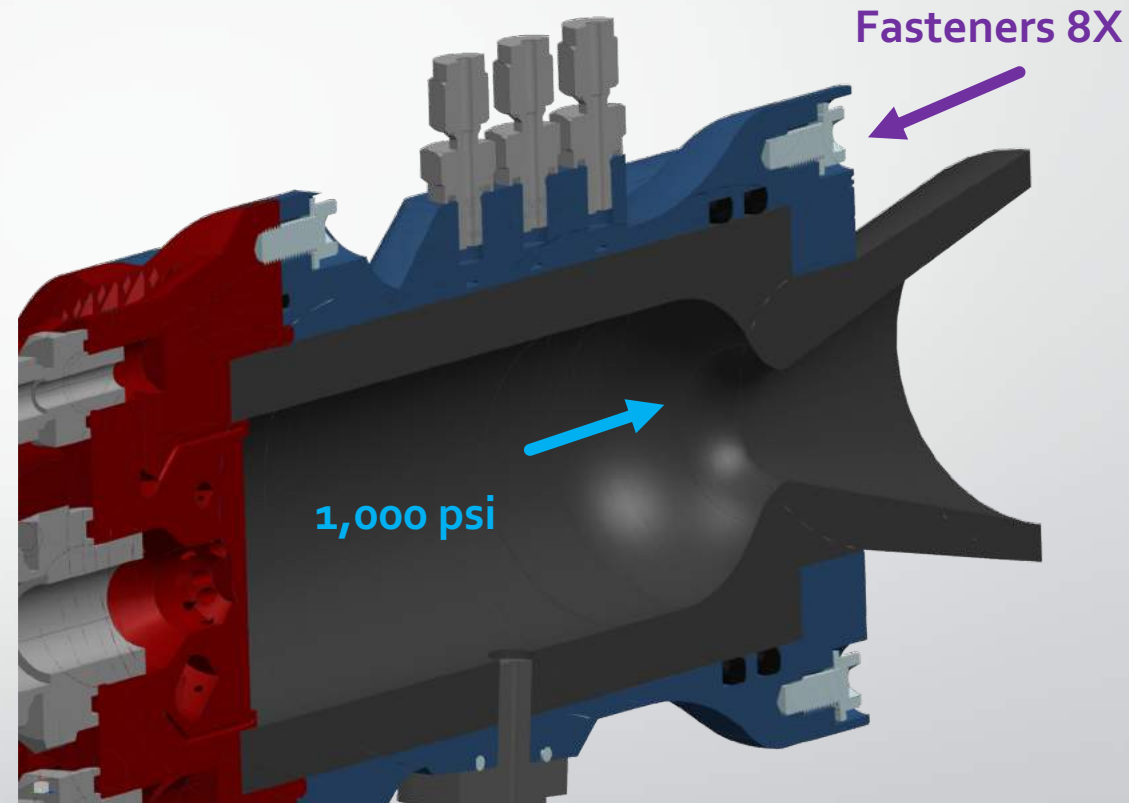
$$P_{Retention\ Ring} = 3084\ lbf$$

$$P_{screw} = \frac{P_{Retention\ Ring}}{\#\ of\ Screws}$$

$$\#\ of\ Screws = 8$$

$$P_{screw} = \frac{3084\ lbf}{8}$$

$$P_{screw} = 385.5\ lbf$$



J&J Design & Analysis

Fasteners & Sealing

Fastening - Retention Ring Side

$$\sigma_{screw} = \frac{P_{screw}}{\text{Tensile Area}}$$
$$\sigma_{screw} = \frac{385.5 \text{ lbf}}{0.0364 \text{ in}^2}$$

$$\sigma_{screw} = 10.6 \text{ ksi}$$

$$FS = \frac{\sigma_{ult}}{\sigma_{screw}}$$
$$FS = \frac{80 \text{ ksi}}{10.6 \text{ ksi}}$$
$$FS = 7.55$$

Failure in tension is NOT predicted!

The required minimum preload to prevent gapping is then

$$F_{i,min} = P(1 - C) = 385.5 \text{ lbf}(1-0.20)$$

$$F_{i,min} = 308 \text{ lbf}$$

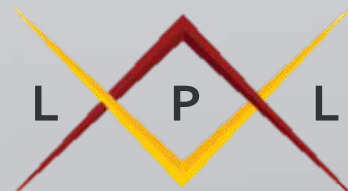
$$\text{Preload Force} = 2184 \text{ lbf} \checkmark$$

Factor of Safety against gapping

$$FS_{gap} = \frac{F_i}{P(1 - C)} = \frac{2184 \text{ lbf}}{385.5 \text{ lbf}(1-0.20)}$$

$$FS_{gap} = 7.08$$

Gapping is NOT predicted!



J&J Design & Analysis

Fasteners & Sealing

Fastening - Injector Side

Determining Load on Fasteners

$$P_{Injector} = (P_0)(A_c)$$

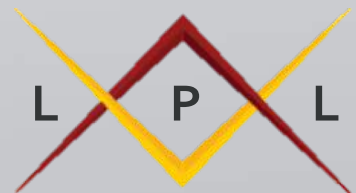
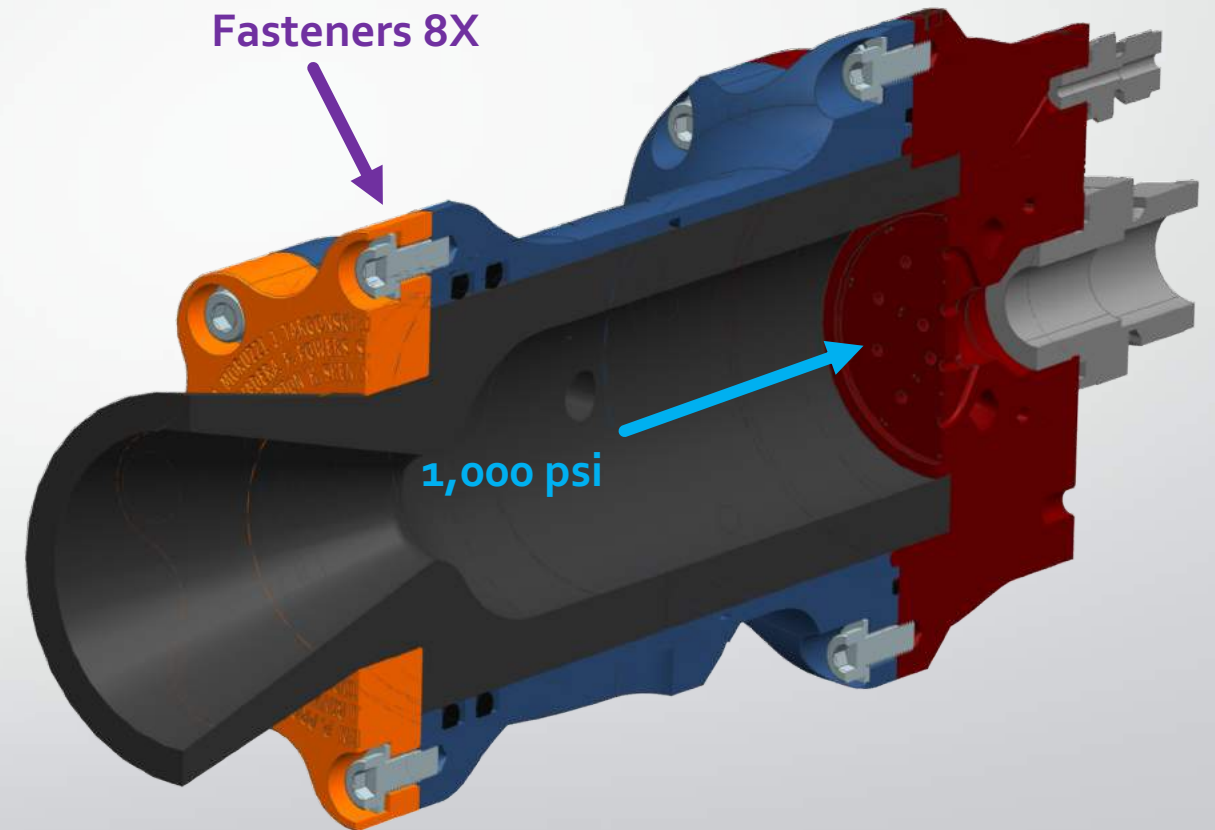
$$P_{Injector} = (1000 \text{ psi})(3.55 \text{ in}^2)$$

$$P_{Injector} = 3550 \text{ lbf}$$

$$\# \text{ of Screws} = 8$$

$$P_{screw} = \frac{3550 \text{ lbf}}{8}$$

$$P_{screw} = 444 \text{ lbf}$$



J&J Design & Analysis

Fasteners & Sealing

Fastening – Injector Side

$$\sigma_{screw} = \frac{P_{screw}}{\text{Tensile Area}}$$

$$\sigma_{screw} = \frac{444 \text{ lbf}}{0.0364 \text{ in}^2}$$

$$\sigma_{screw} = 12.2 \text{ ksi}$$

$$FS = \frac{80 \text{ ksi}}{12.2 \text{ ksi}}$$

$$FS = 6.56$$

Failure in tension is NOT predicted!

The required minimum preload to prevent gapping is then

$$F_{i,min} = P(1 - C) = 444 \text{ lbf}(1-0.20)$$

$$F_{i,min} = 355 \text{ lbf}$$

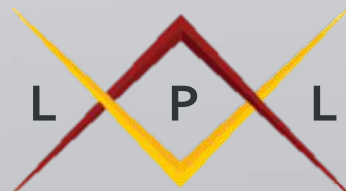
$$\text{Preload Force} = 2184 \text{ lbf} \checkmark$$

Factor of Safety against gapping

$$FS_{gap} = \frac{F_i}{P(1 - C)} = \frac{2184 \text{ lbf}}{444 \text{ lbf}(1-0.20)}$$

$$FS_{gap} = 6.15$$

Gapping is NOT predicted!



J&J Design & Analysis

Fasteners & Sealing

Checking Minimum Length of Engagement on Retention Ring Side, Not using Keenserts here

Minimum Screw Length of Engagement

$$L_{e,min} = \frac{(2)A_t}{K_n \max \pi \left(\frac{1}{2} + 0.5775n(E_s \min - K_n \max) \right)}$$
$$L_{e,min} = \frac{(0.1857)\pi \left(\frac{1}{2} + 0.5775(28)(0.1904 - 0.1857) \right)}{2(0.0364)}$$

$$L_{e,min} = 0.217 \text{ inch}$$

Since different materials need to get the J value

$$J = \frac{A_s \sigma_{ult,ext}}{A_n \sigma_{ult,int}}$$

A_s = Shear area of external thread (screw)

A_n = Shear area of internal thread (hole)

If $J > 1$ then the minimum length of engagement needs to be extended to:

$$L_{e,min \text{ new}} = J \times L_{e,min \text{ org}}$$

$$A_s = \pi n L_{e,min} k_n \max \left(\frac{1}{2n} + 0.57735(E_s \min - k_n \max) \right)$$

$k_n \max$ = Maximum minor diameter of internal thread

$E_s \min$ = Minimum pitch diameter of external thread

n = number of threads per inch

$$A_s = \pi (28) (0.217) (0.1857) \left(\frac{1}{2(28)} + 0.57735(0.1904 - 0.1857) \right)$$

$$A_s = 0.073 \text{ in}^2$$

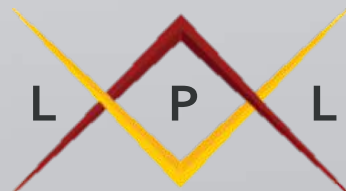
$$A_n = \pi n L_{e,min} D_s \min \left(\frac{1}{2n} + 0.57735(D_s \min - E_n \max) \right)$$

$E_n \max$ = Maximum pitch diameter of internal thread

$D_s \min$ = Minimum major diameter of external thread

$$A_n = \pi (28) (0.217) (0.2095) \left(\frac{1}{2(28)} + 0.57735(0.2095 - 0.1959) \right)$$

$$A_n = 0.103 \text{ inch}^2$$



J&J Design & Analysis

Fasteners & Sealing

Checking Minimum Length of Engagement on Retention Ring Side, Not using Keenserts here

Minimum Screw Length of Engagement cont.

Since different materials need to get the J value

$$J = \frac{(0.073 \text{ in}^2)(70 \text{ ksi})}{(0.103 \text{ in}^2)(145 \text{ ksi})}$$

$$J = 0.34$$

Since $J < 1$:

$$L_{e,min} = 0.217 \text{ inch}$$

Our length of Engagement On Retention Ring Side:

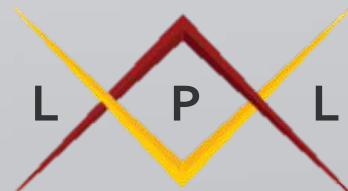
Length of Thread Engagment

$$L_e = L_{screw} - (t_{retention_{ring}} - d_{counter \ bore}) - t_{washer}$$

$$L_e = 0.75'' - (0.75'' - 0.4'') - 0.062''$$

$$L_e = 0.338''$$

On retention ring side both internal and external threads are NOT predicted to fail!



J&J Design & Analysis

Fasteners & Sealing

Using Keenserts on Injector Side

Insert Internal Thread Failure Check

$$A_s = \frac{3\pi L_e D_{major,ext}}{4}$$

Where $A_s = \text{Thread Shear Area}$

$L_e = \text{Length of Thread Engagment}$

$D_{major,ext} = \text{Major Diameter of the mating external thread}$

$$A_s = \frac{3\pi(0.338)(0.375)}{4}$$

$$A_s = 0.30 \text{ in}^2$$

Insert Internal Thread Failure Check

$$P_{ult} = 12370 \text{ lb (MS51830E-202L)}$$

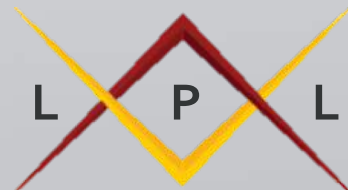
$$FS_{shear \text{ thread failure}} = \frac{P_{ult}}{P_{joint}}$$

For Injector Side

$$FS_{shear \text{ thread failure}} = \frac{12370 \text{ lbf}}{444 \text{ lbf}}$$

$$FS_{shear \text{ thread failure}} = 27.9$$

Insert Internal Thread Failure is NOT predicted!



J&J Design & Analysis

Fasteners & Sealing

Using Keenserts on Injector Side

Insert External Thread Failure Check

$$P_{ult} = 8630 \text{ lb (MS51830E-202L)}$$

$$A_s = 0.30 \text{ in}^2$$

For injector side

$$FS_{shear \text{ thread failure}} = \frac{8630 \text{ lbf}}{444 \text{ lbf}}$$

$$FS_{shear \text{ thread failure}} = 19.4$$

Insert External Thread Failure is NOT predicted!

Insert Parent Material Thread Failure Check

$$P_{ult} = (0.103 \text{ in}^2)(145 \text{ ksi})$$

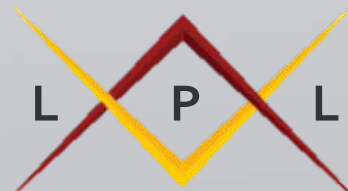
$$P_{ult} = 14,935 \text{ lbf}$$

For injector side

$$FS_{shear \text{ thread failure}} = \frac{14935 \text{ lbf}}{444 \text{ lbf}}$$

$$FS_{shear \text{ thread failure}} = 33.6$$

Insert Parent Material Thread Failure is NOT predicted!



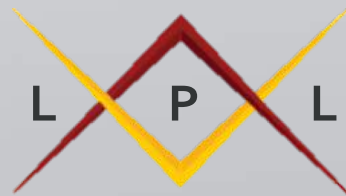
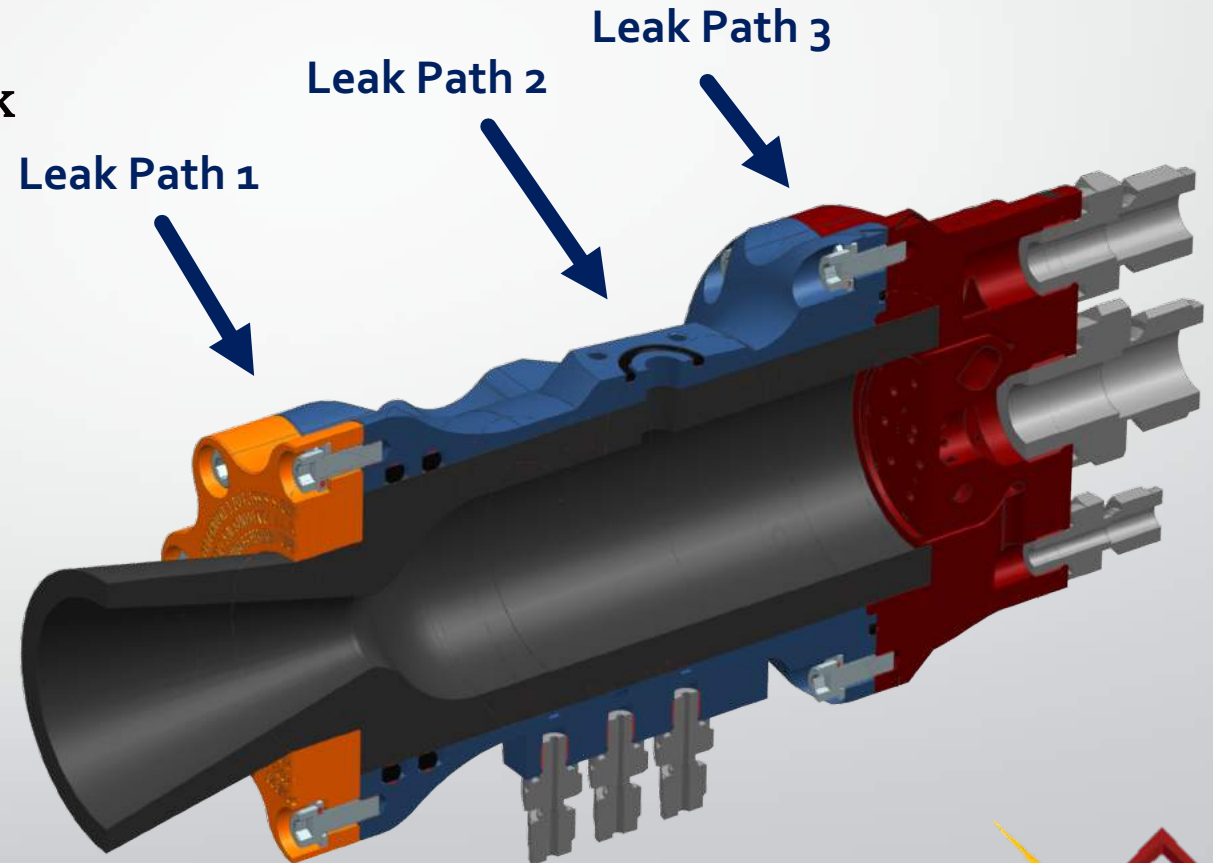
J&J Design & Analysis

Fasteners & Sealing

Sealing Features

Jessie & James each have 3 potential leak paths

1. *Nozzle & Chamber interface*
2. *Ignitor & Chamber interface*
3. *Injector & Chamber interface*



J&J Design & Analysis

Fasteners & Sealing

Sealing Features

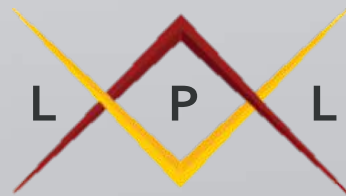
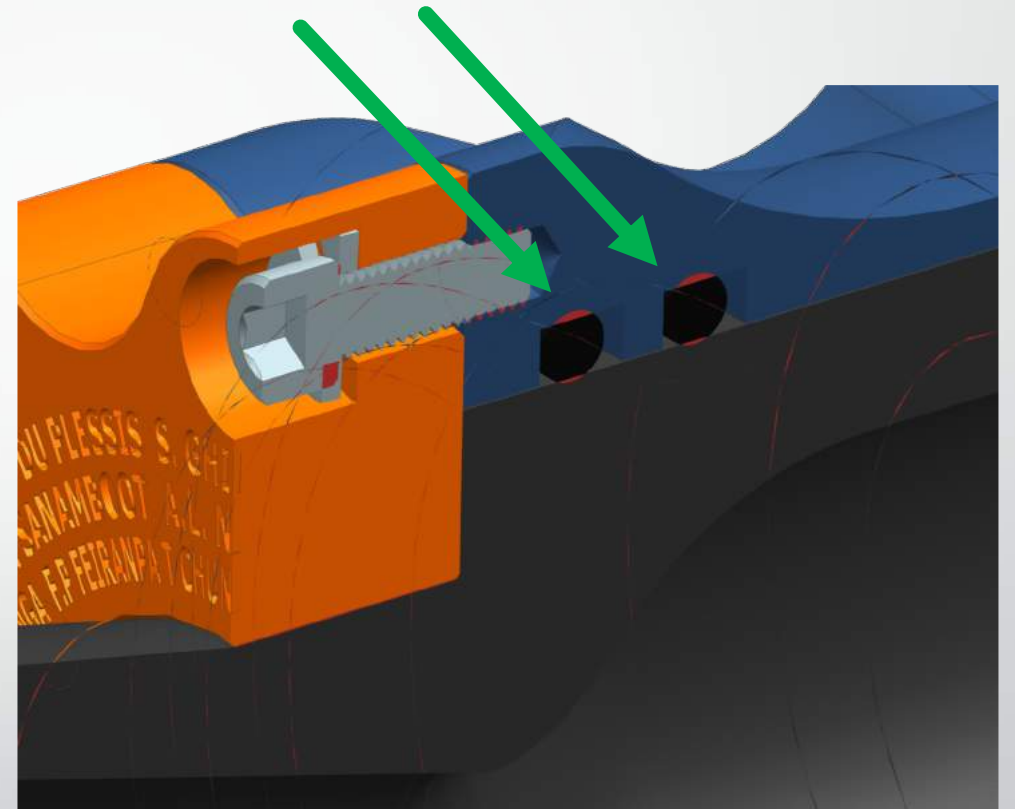
Nozzle & Chamber interface

Will feature two female gland piston seals

Two for redundant purposes, fine surface finish on nozzle may be hard to achieve

Multiple nozzles will be printed during Jessie & James lifetime, so O-ring groove has been placed on chamber side (less machining)

2 Female Gland Piston Seals



J&J Design & Analysis

Fasteners & Sealing

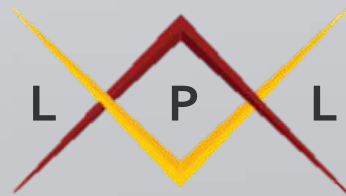
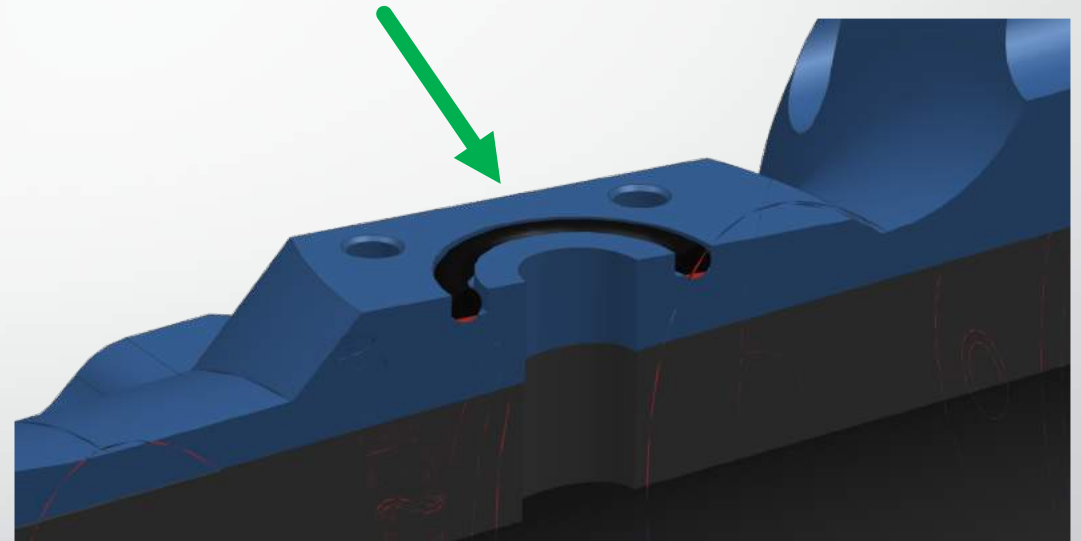
Sealing Features

Ignitor & Chamber interface

Will Feature a Face Seal

Because it is more likely to print future iterations of the ignitor, the O-ring groove has been placed on the chamber side (less machining labor)

Face Seal



J&J Design & Analysis

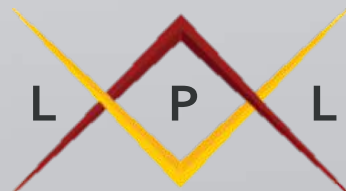
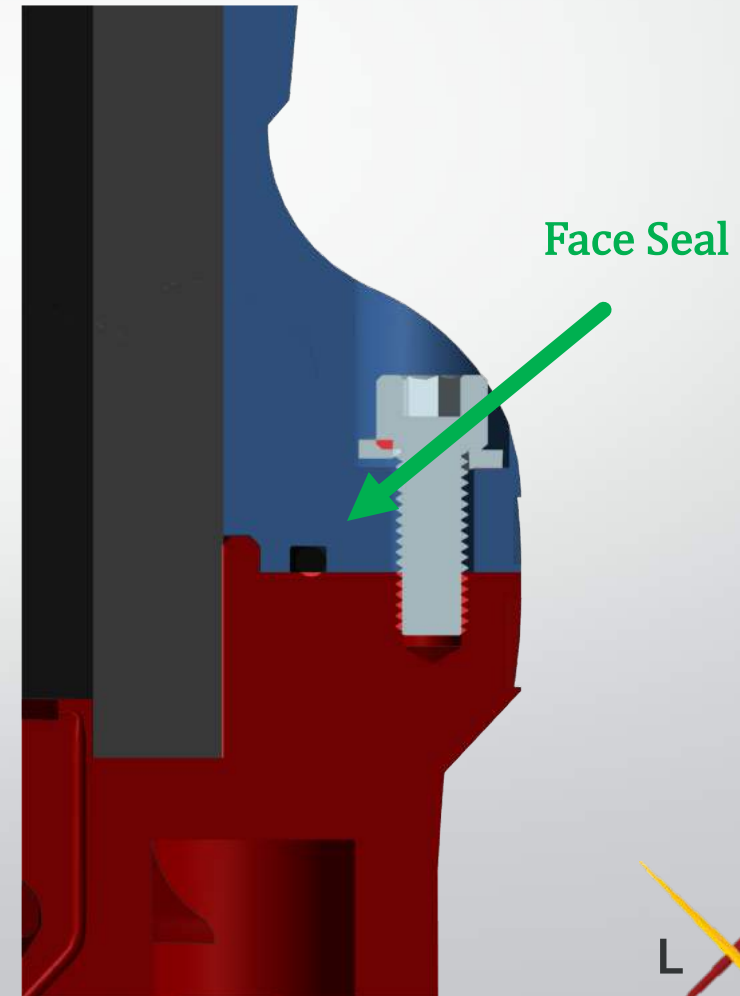
Fasteners & Sealing

Sealing Features

Injector & Chamber interface

Will Feature a Face Seal

Because it is more likely to print future iterations of the injector, the O-ring groove has been placed on the chamber side (less machining)



J&J Design & Analysis

Fasteners & Sealing

Injector-Chamber

Face Seal O-ring

Dash Number 153

Qty: 1

Size: 3/32"

Material : Viton



Nozzle-Chamber

Piston Seal O-rings

Dash Number 337

Qty: 2

Size: 3/16"

Material Viton



Ignitor-Chamber

Face Seal O-ring

Dash Number 115

Qty: 1

Size: 3/32"

Material : Viton



J&J Build & Test

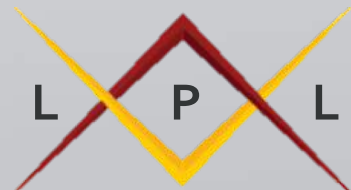
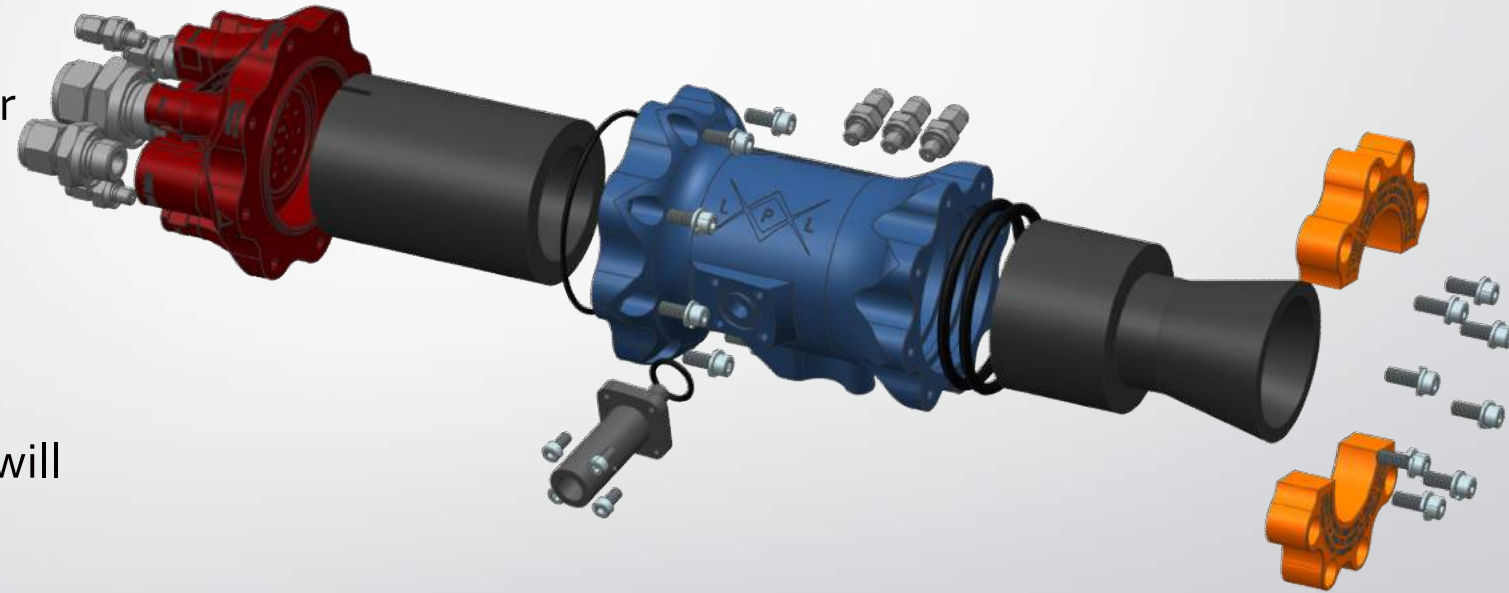
Fabrication & Assembly

Installing the Chamber insert

The chamber insert will be fabricated to have a slightly undersized outer diameter with respect to the combustion chamber inner diameter

This will provide ease of assembly

The chamber insert will be sized so that during the static fire the insert will expand and make contact on the chamber inner wall, this will help transfer all of the load to the chamber wall



J&J Build & Test

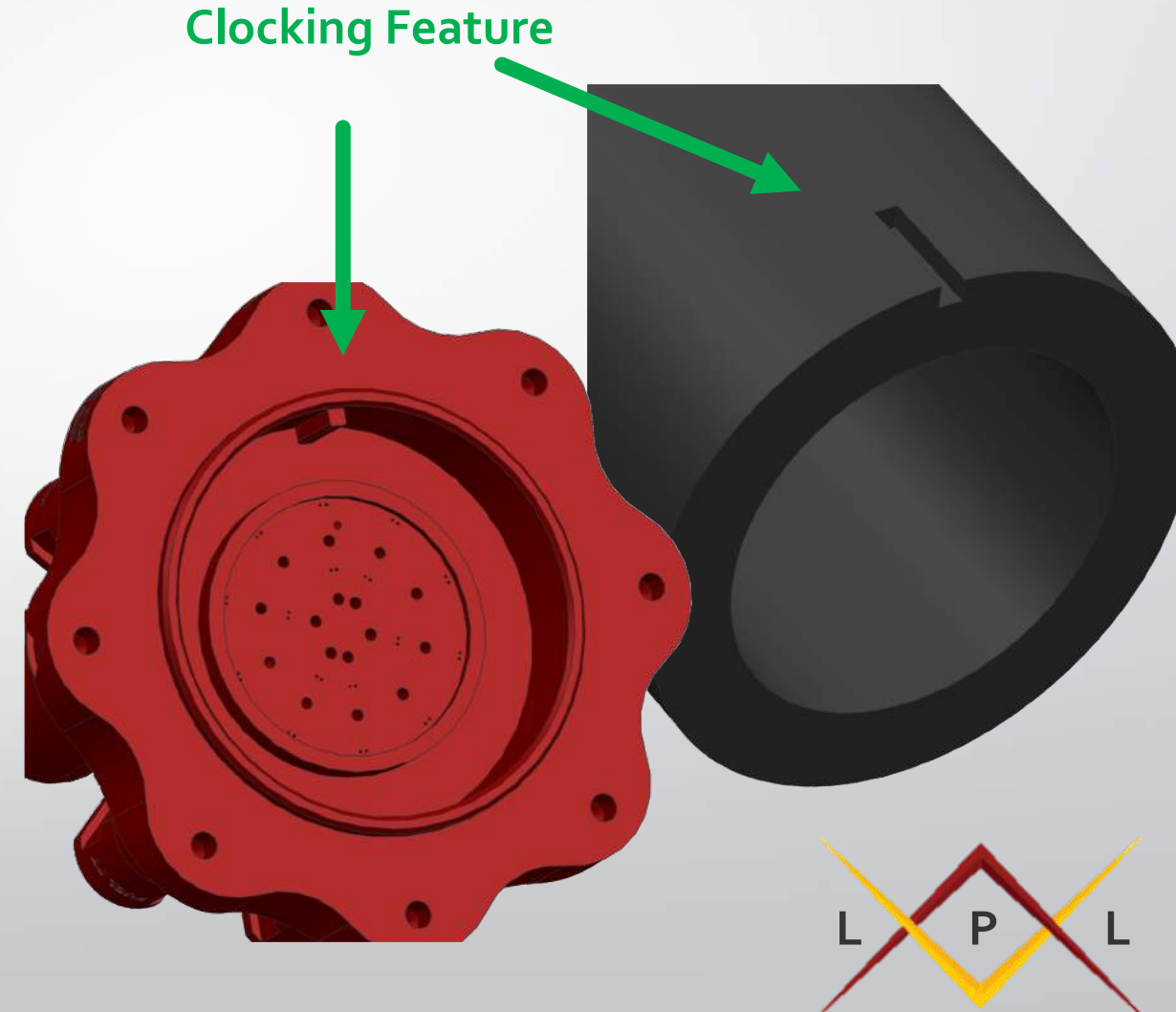
Fabrication & Assembly

Installing the Chamber insert

The axial length of the insert will be sized to be slightly larger than the engine's axial length. This will require a press fit of the chamber liner during assembly.

Press fitting the chamber liner will prevent any axial movement during the static fire.

A clocking feature on the injector face will position the liner correctly, to make sure the pressure chambers and ignitor are lined up.





J&J Build & Test



J&J Build & Test Fabrication & Assembly

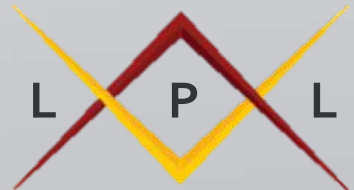
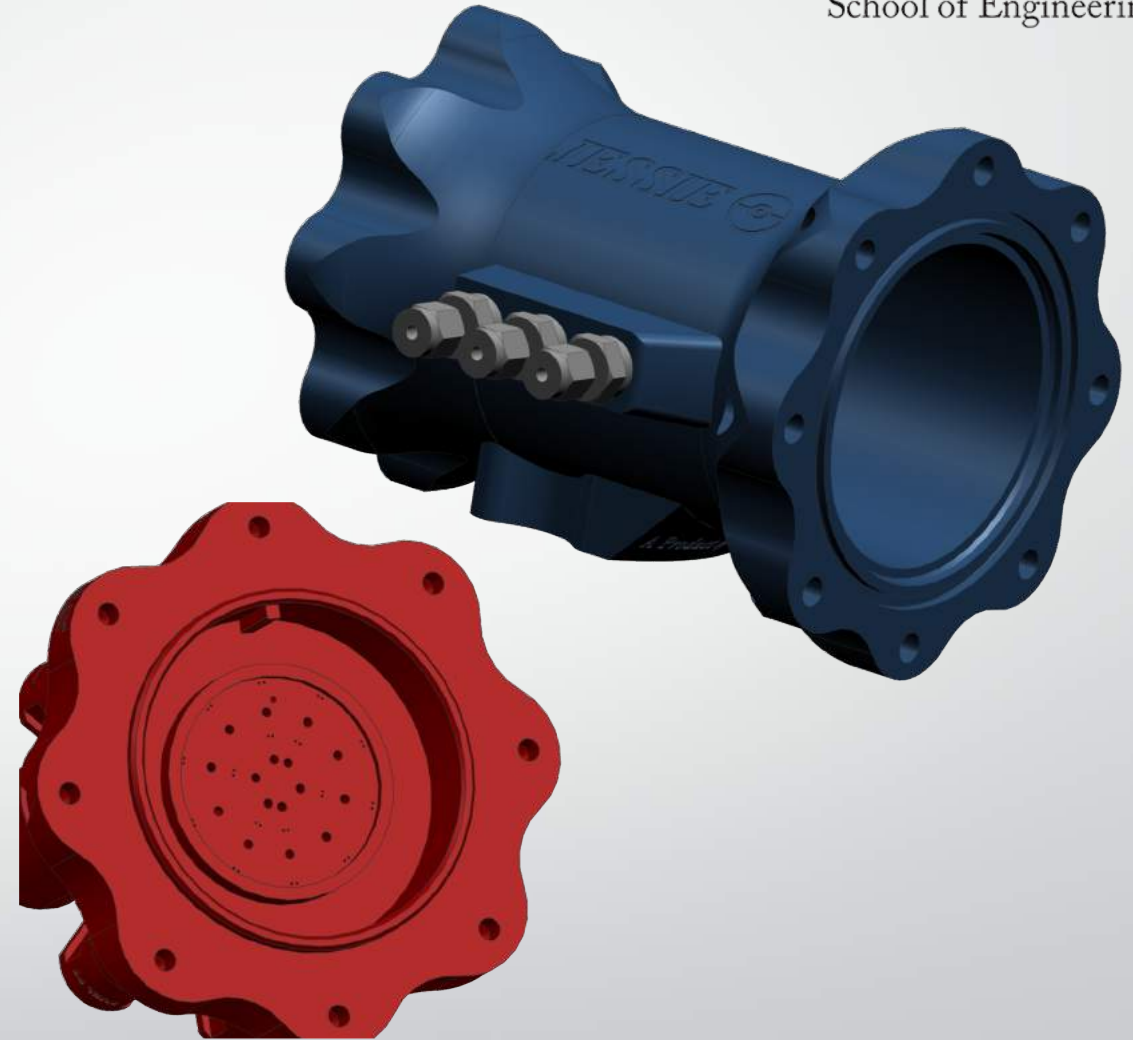
J&J Build & Test

Fabrication & Assembly

Printed Pieces

Each engine will be made up 4 printed pieces:

1. Injector
2. Chamber
3. Nozzle Retention Ring 1/2
4. Nozzle Retention Ring 2/2



J&J Build & Test

Fabrication & Assembly

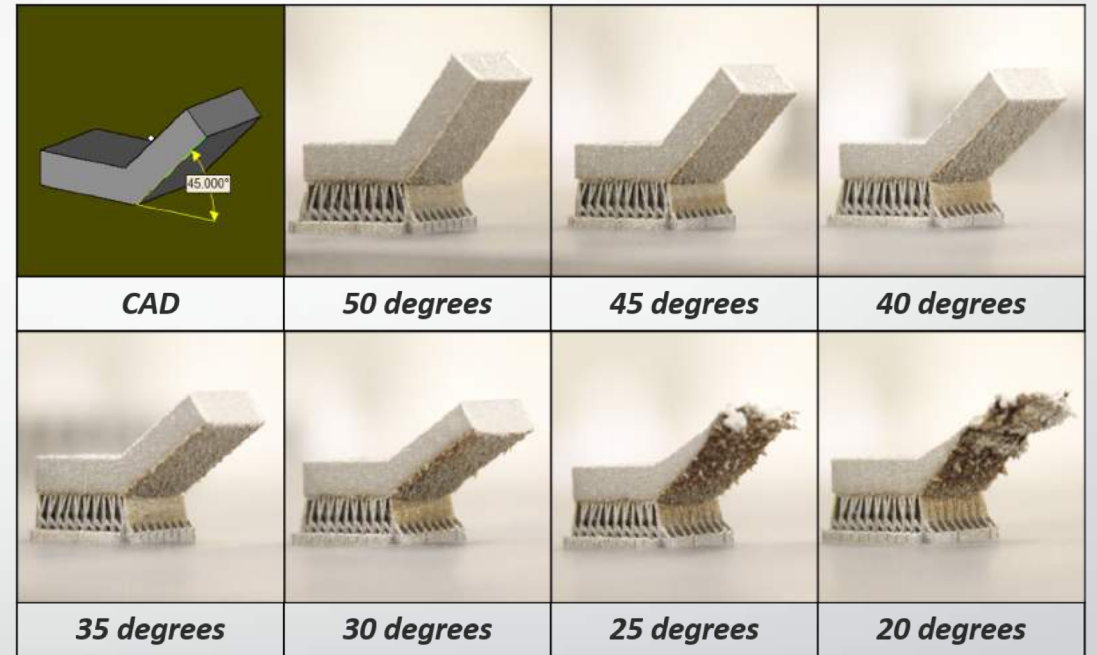
Printer: EOS M290

Design Constraints:

Max Print Height: 325 mm (12.8 inch)

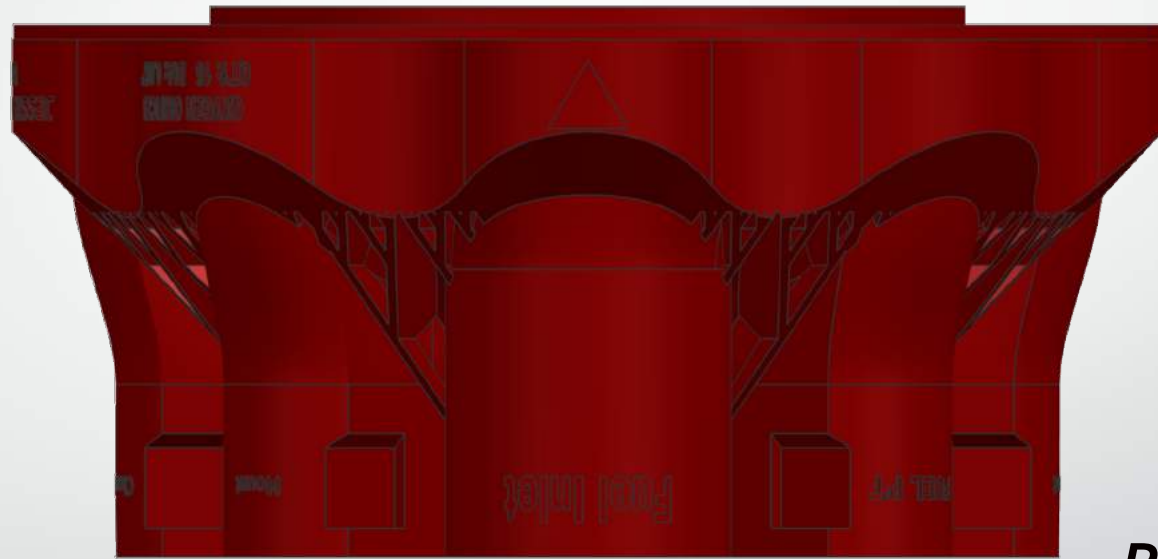
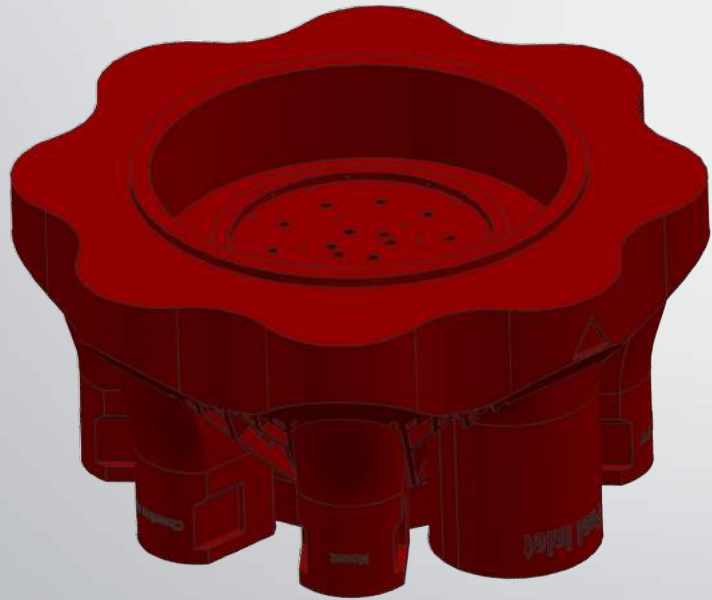
Must avoid 45° overhangs

Features should be above $150\ \mu\text{m}$ (0.006 inch)

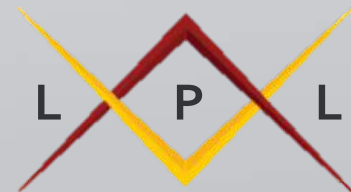


J&J Build & Test *Fabrication & Assembly*

Injector Print Direction

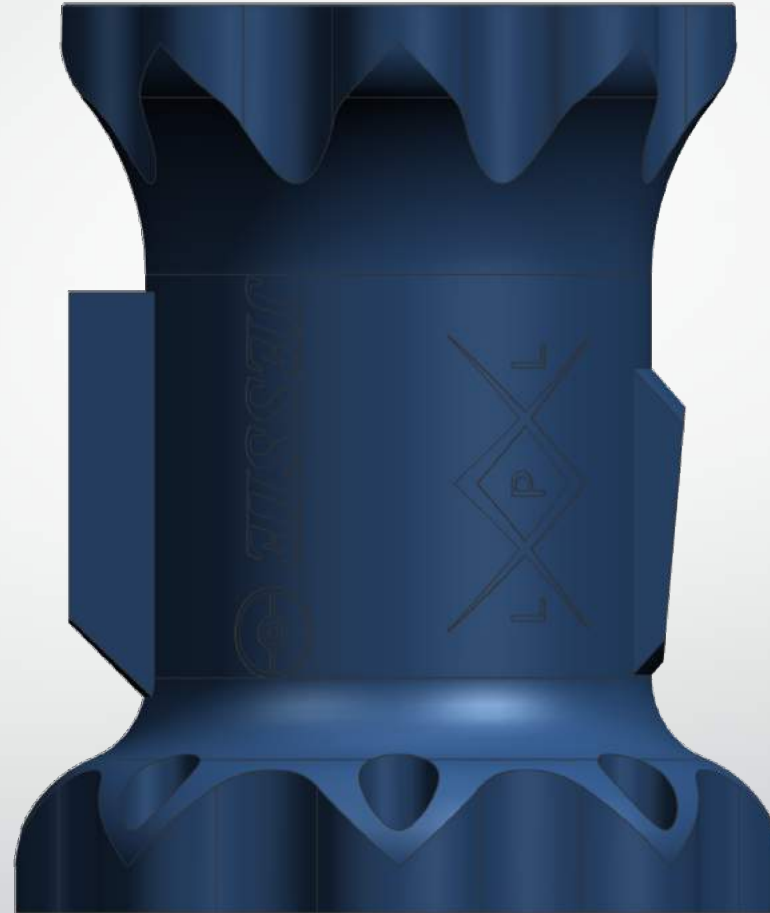
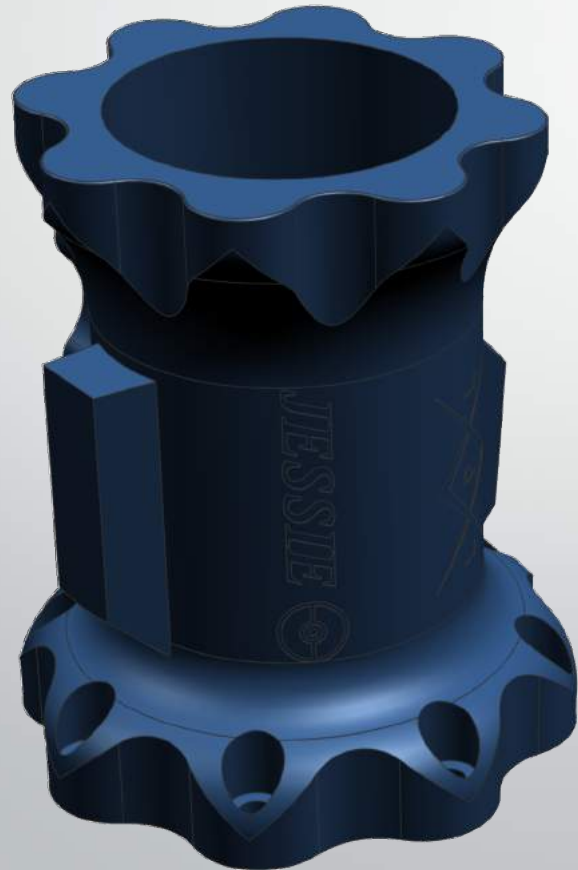


Print Direction

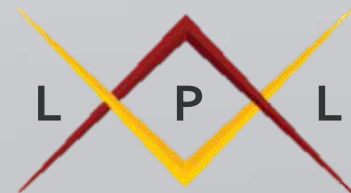


J&J Build & Test *Fabrication & Assembly*

Chamber Print Direction



Print Direction

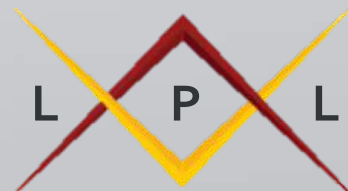


J&J Build & Test Fabrication & Assembly

Retention Ring Print Direction



Print Direction



J&J Build & Test

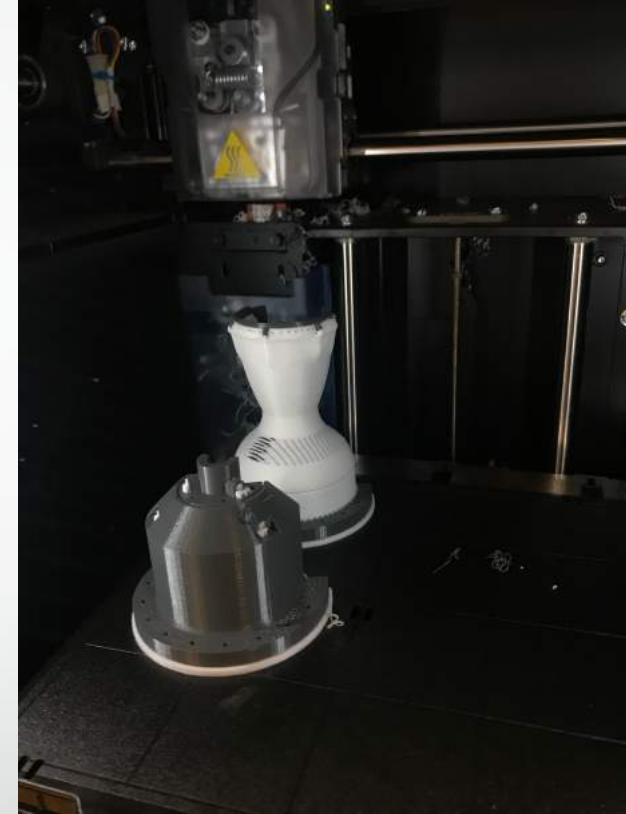
Fabrication & Assembly

Additive Manufacturers

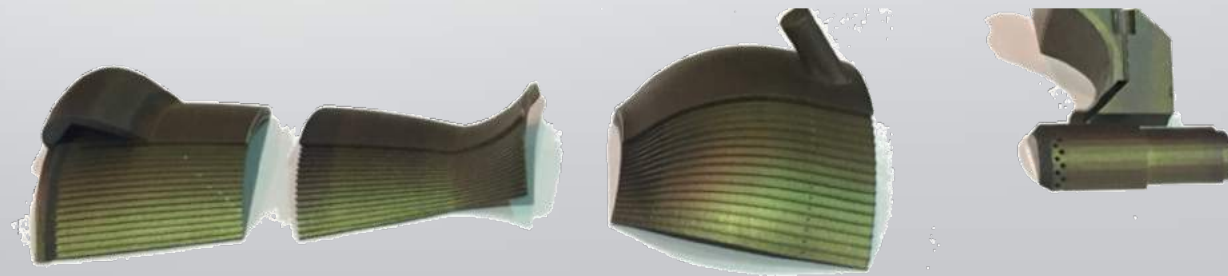
Will be using USC's Center for Advance Manufacturing (CAM) to print Jessie & James

Cheapest solution as they:

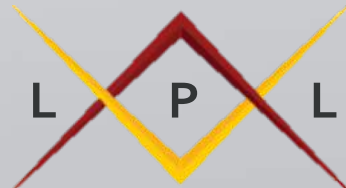
- Charge \$7/hour of printing time (others ~ \$100/hour)
- Only charge for the material
 - Inconel - \$150/kg
 - Maraging Seel - \$150/kg



3/8" Scale of our Balerion Engine printed at CAM

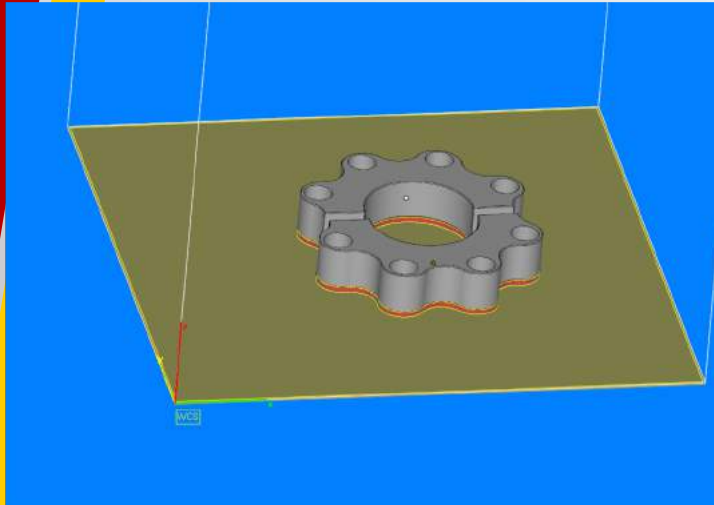


1/8" Slice of our Balerion Engine printed at CAM

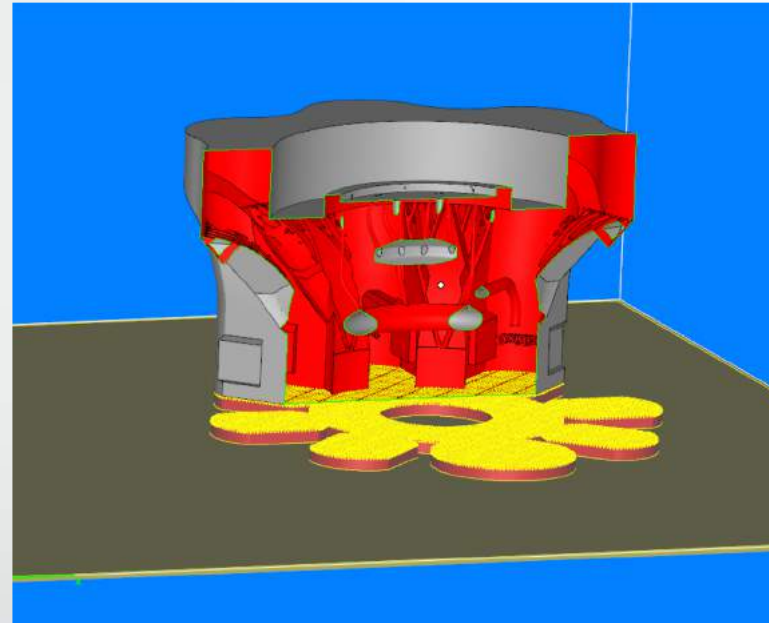


J&J Build & Test *Fabrication & Assembly*

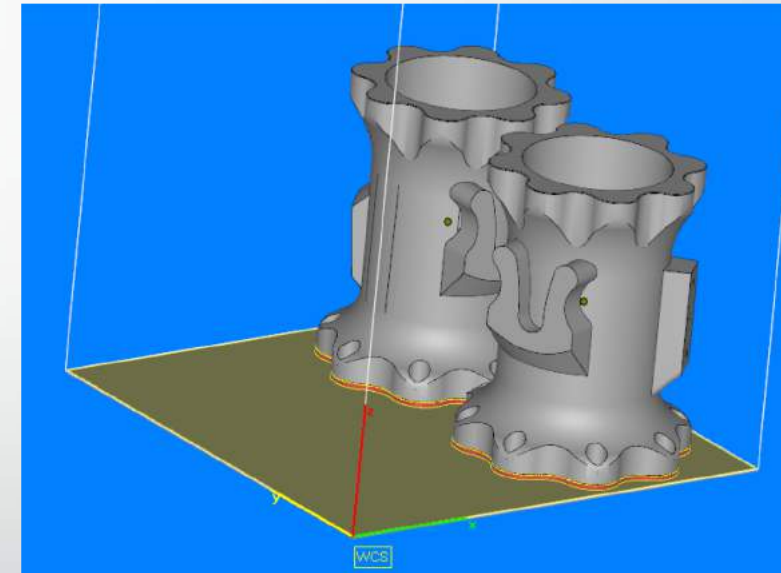
J&J Engine Parts on Build Plates



Retention Ring on build plate

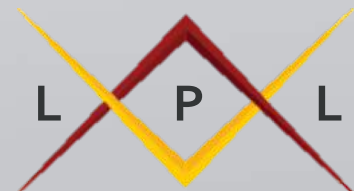


Injector on Build Plate



Both Chambers on Build Plate

No Support Structure Required!



J&J Build & Test Fabrication & Assembly

Additive Manufacturers

Jessie & James Printing Cost Estimate

Print Hours

2 Combustion Chambers ~ 66 hours

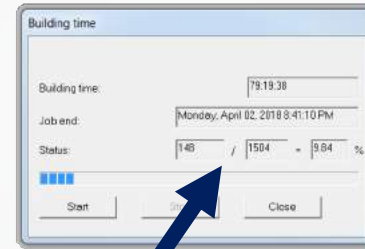
2 injectors & 4 (1/2) retention rings ~ 80 hours

Total weight of printed parts 5.72 kgs
(12.6lbs)

Printing Time Cost: \$1,022

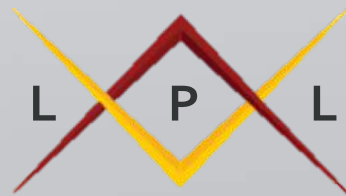
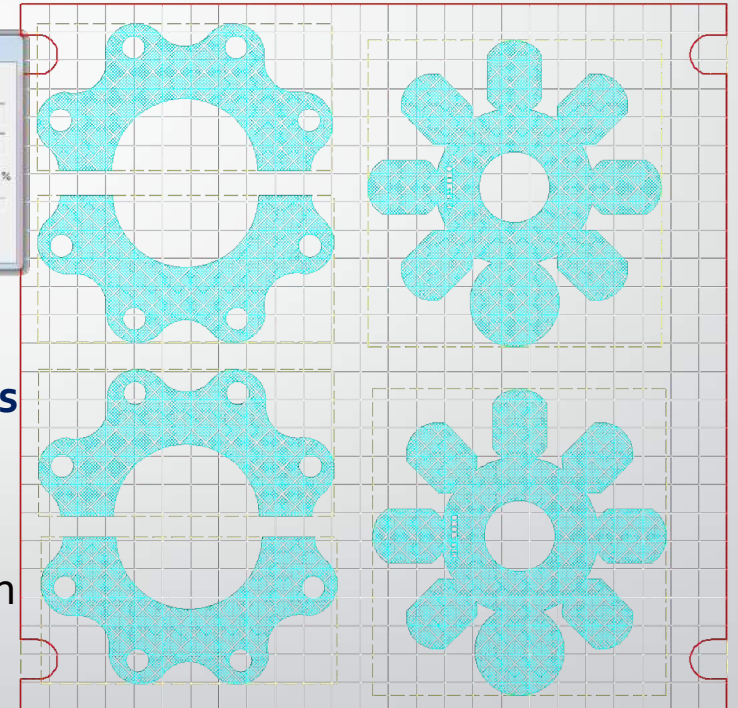
Material Cost: \$1,716

Estimated Total Cost: \$2,738



**Estimated 80 hours
build time**

Jessie & James
Injector & Retention
Ring on build plate





J&J Build & Test Tolerance Stack-ups

J&J Build & Test Tolerance Stack-ups

Tolerance Stack-Up

This will be completed post CDR

Stack-ups that will be addressed:

- Graphite liner press fit
- Graphite liner radial strain during test to ensure the printed chamber takes pressure loads
- Screw socket head below flange surface

Hooke's Law:

$$\sigma = E\varepsilon, \quad \varepsilon = \frac{\Delta L}{L_0}$$

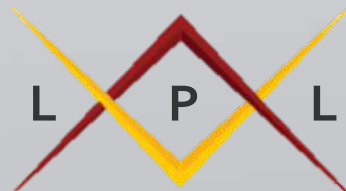
$$\varepsilon_{max} = \frac{\sigma_{ult}}{E} = \frac{50 \text{ MPA}}{7 \text{ GPa}} = 0.007, \quad \varepsilon = \frac{\Delta L}{L_0}$$

$$\Delta L = \varepsilon_{max} L_0 = (0.007)(0.11) \text{ m}$$

$$\Delta L = 7.7E - 4 \text{ m (0.030 inch)}$$

$$L_0 = 0.11 \text{ m (4.375 inch)}$$

Can Axial or Radially Compress ~0.030 inch
before failure

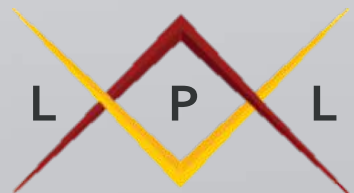




Questions?

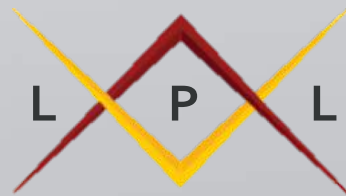


Future Modifications Hydra



Future Modifications

Jessie & James



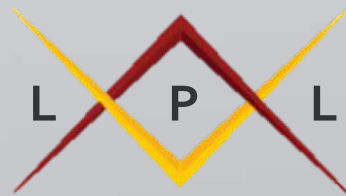


Supplementary Material

Master Equipment List (MEL)

Supplementary Material

Master Equipment List (MEL)

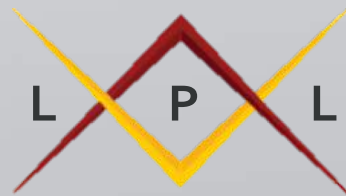




Supplementary Material *Cost*

Supplementary Material

Cost





Supplementary Material *Schedule*

J&J Design & Analysis Overall Engine Design

James

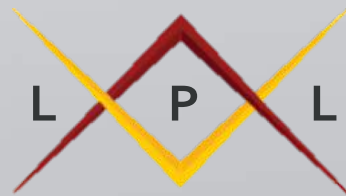
Combustion Chamber

Injector

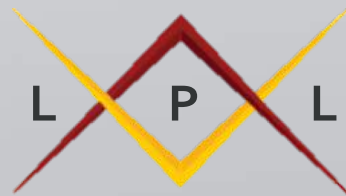
Isomolded
Graphite Nozzle

Retention Ring (2 Pieces)

The only difference in design is the injector & pressure transducer ports are rotated by 180°



Supplementary Material *Schedule*



Supplementary Material

Future Slide

Radiation Heat Addition

Radiation heat transfer coefficient

$$h_{rad} = \varepsilon\sigma(T_c^2 + T_\infty^2)(T_c + T_\infty)$$

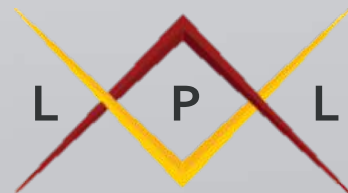
Where $\varepsilon = \text{emissivity (flame)}$

$$\sigma = \text{Stefan - Boltzmann constant} = 5.67 \times 10^{-8} \left(\frac{W}{m^2 K^4} \right)$$

$T_c = \text{chamber temperature}$

$T_\infty = \text{ambient temperature}$

Convection Heat Addition

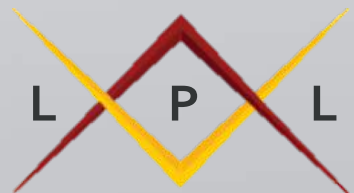


Motivation & Introduction

Constraints for Jessie & James

Hydra

- Bottle Pressure (limits ΔT , and \dot{M})
- Oxygen Regulator (Droop, max set pressure 1500 psi)
- Flow Meter
- Cylinder Orifice
- Line Velocity
- Pressurant max static line pressure (1890 psi Fuel Tank)

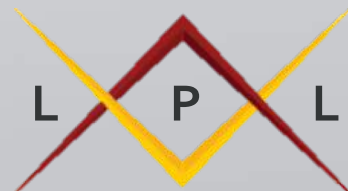


Motivation & Introduction

Design Constraints

Constraints with Hydra

Flow Meter Check



Motivation & Introduction

Design Constraints

Constraints with Hydra

Ox Cylinder Orifice Choke Check

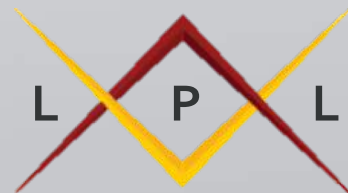
Mass flow rate

$$\dot{m} = \rho u A$$

Speed of Sound

$$a = \sqrt{\gamma R T}$$

Mention still need to know pressure drop by orifice and particulate filter and still maintain a incoming pressure above 2000 psi



Motivation & Introduction

Design Constraints

Constraints with Hydra

Line Velocity Check

